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#### ▶ To cite this version:

Cyril Labbé, Dominique Labbé. Was Shakespeare's Vocabulary the Richest?. 12th International Conference on Textual Data Statistical Analysis, Jun 2014, Paris, France. pp.323-336. hal-01002960

HAL Id: hal-01002960

https://hal.science/hal-01002960

Submitted on 7 Jun 2014

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# Was Shakespeare's Vocabulary the Richest?

Cyril Labbé<sup>1</sup>, Dominique Labbé<sup>2</sup>

<sup>1</sup> Laboratoire d'Informatique de Grenoble - Université Joseph Fourier (<u>cyril.labbe@imag.fr</u>)

<sup>2</sup> Laboratoire PACTE (CNRS - Institut d'Etudes Politiques de Grenoble) (dominique.labbe@umrpacte.fr)

In Née Emilie, Daube Jean-Michel, Valette Mathieu, Fleury Serge (dir.). *Proceedings of the 12th International Conference on Textual Data Statistical Analysis*. **Paris: June 3-6 2014, p 323-336**.

#### **Abstract**

It is generally assumed that the vocabulary of W. Shakespeare is exceptionally rich and his work contains a very large number of different words. We present a method to compare the extent of the vocabularies of several authors' works of unequal length. Applied to the theater of Shakespeare's time, it shows that the vocabulary of Shakespeare is not exceptional and that some or his contemporaries – like B. Jonson or T. Dekker – used a larger vocabulary.

#### Résumé

Il est généralement admis que le vocabulaire de W. Shakespeare est remarquablement riche. Son œuvre contiendrait un très grand nombre de mots différents. On présente une méthode qui permet de comparer *I*montre que le vocabulaire de cet auteur n'a rien d'exceptionnel et que certains contemporains – comme B. Jonson ou T. Dekker – utilisaient un vocabulaire plus étendu.

**Keywords:** lexicometry ; type-token ratio ; vocabulary richness ; vocabulary growth ; vocabulary specialization ; English theater ; Shakespeare

"Shakespeare, who displayed a greater variety of expression than probably any writer in any language, produced all his plays with about 15,000 words. Milton's works are built up with 8,000; and the Old Testament says all that it has to say with 5,642 words". English country laborers of the day had not 300 words in their vocabulary" "a well-educated person in England, who has been at a public school and at university, who reads his bible, his Shakespeare, and the Times... seldom uses more than about 3,000 or 4,000 words in actual conversation... and eloquent speakers may rise to a command of 10,000"

(Muller F. M., *Lectures on the Science of Language*. New York: Scribner, 1862, p. 377-379, quoted by Elliott & Valenza 2004)

"By comparison with other writers of the time, Shakespeare has a large recorded vocabulary".

(Maguire L. & Smith E. 30 Great Myths about Shakespeare. Oxford: Wiley & Sons, 2013, p. 138).

#### 1. Introduction

Among many others, the two above quotations expresses a wide-spread opinion: the vocabulary of W. Shakespeare (1564-1616) is the richest. During the 19th century, this richness was considered as absolute; nowadays this large vocabulary is relative to the Elizabethan era, but the idea remains.

The figures displayed to support this assumption, show that the richness is understood as the size of the vocabulary used in a work. It is proposed to test this opinion by studying the plays by Shakespeare: are their vocabularies more extensive than that of other plays from the same age but by different authors? This opinion has already been challenged by several studies (Eliott & Valenza 2004; Craig 2011). It should also be noted that we are only interested in the vocabulary actually observed and not in an estimation of the total vocabulary known by these authors (Efron & Thisted 1976; Thisted & Efron 1987).

Following the common intuition, one can define the vocabulary richness as the number of different words that can be found in a text or in the authors' oeuvre. The more they are, the greater the vocabulary richness or, inversely, the lower it is, the poorer the vocabulary.

This definition raises two important considerations.

First, one must "standardize" the spelling, so that a word is always written the same way: "One word, one spelling". This is quite important: at the beginning of the 17th century, spelling convention in books wasn't as strict as it is nowadays (see examples given by Elliott & Valenza 2004). A careful spelling standardization is a time consuming process. W. Elliot and T. Merriam have mostly done it and kindly provided us the 89 plays used in this experiment.

Secondly, the richness should not be considered as an absolute value but as a relative value helping comparison between authors, plays or corpora. In other words, it is not necessary to know if Shakespeare vocabulary is the "richest" – as stated by F.M. Muller – it is sufficient to test if it is richer (or poorer) than the vocabulary used by others authors of its time (of whom

there are at least two plays by them): F. Beaumont (1585-1616), T. Dekker (1572-1632), G. Chapman (1559 – 1634), J. Fletcher (1579-1625), R. Greene (1558-1592), B. Jonson (1572-1637), T. Kyd (1558-1594), C. Marlowe (1564-1593), T. Middleton (1580? -1527), G. Peele (1556-1596). Other authors like S. Daniel, J. Ford, T. Heywood, J. Lyly, T. Nashe and H. Porter are omitted from this experiment because we presently have only one play by each of them.

To achieve this goal we have used a corpus composed of 89 plays written during the Shakespeare's lifetime - so called "Elizabethan-Jacobean" or "Early Modern" period, EM in the following (annex; for more information on this period, see: Chambers 1923). Texts have been processed following the norm OCP ("Oxford Concordance Program": Hockey & Martin 1998).

### 2. Vocabulary Richness and text lengths

The relation between the text length (N) and the vocabulary size (V) is known as "Type-Token-Ratio". It is a well-studied question in "linguistic computing" (Wimmer & Altmann 1999). In the corpus EM, a visible relation exists between these two variables. For example, *Hamlet* is the longest play by Shakespeare (29 549 tokens) and it is the one which contains the largest number of different word types (4 663); *The Comedy of Errors* - the shortest play by Shakespeare (14 358 tokens) - contains the fewest different words types (2 504).

In Figure 1 each play of the corpus is shown as a point having as coordinates its length (number of tokens) and its vocabulary (number of word types). The vocabulary clearly grows with the length (the thin black line is the trend).

However the scatter plot shows an important dispersion around the trend, which can be referred to the differences (variations) of "vocabulary richness" (R).

The observation of this graph can be meaningful with regard to some comparisons. As an example, in the corpus EM, two plays (*Bartholomew Fair*, *A King and no King*) have lengths greater than *Hamlet* and smaller vocabularies (see Table 1). This obviously shows that the vocabulary used in these two plays is poorer than the one in Hamlet.

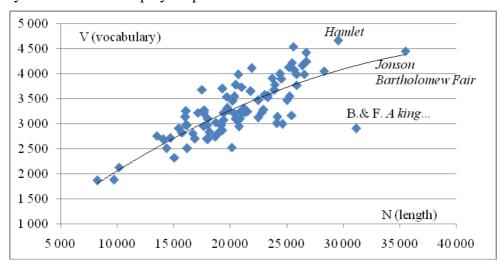


Figure 1. Relation between the number of word types (V) and the number of tokens (N) in each early modern play.

Author	Play	N	V
Jonson B.	Barthomew Fair	35 501	4 455
Beaumont F. & Fletcher J.	A King and no King	31 127	2 904
Shakespeare W.	Hamlet	29 549	4 663

Table 1. Lengths and vocabularies of the three longest EM plays

Given this, it is possible to write these two inequalities:

 $\{V_{Hamlet} > V_{A \ King} ; N_{Hamlet} < N_{A \ King} \} => R_{Hamlet} > R_{A \ King}$ 

 $\{V_{\textit{Hamlet}} > V_{\textit{Barthomew Fair}}; N_{\textit{Hamlet}} < N_{\textit{Barthomew Fair}}\} => R_{\textit{Hamlet}} > R_{\textit{Barthomew Fair}}.$ 

However, from the above two inequalities, it is not possible to conclude that:  $R_{Barthomew\ Fair} > R_{A\ King}$  because:  $N_{Barthomew\ Fair} > N_{A\ King\ and\ no\ King}$ 

In other word the relation "is richer than" is not a complete order and two plays are often not comparable. Sometimes, the complete comparison of three plays is possible (for example Table 2).

Author	Play	N	V
Middleton T.	The Nice Valour or The Passionate Madman	14 095	2 687
Shakespeare W.	Comedy of Errors	14 358	2 504
Greene R.	Alphonsus, King of Aragon	15 067	2 321

Table 2 Lengths and vocabularies of three comparable EM plays

From the point of view of their "vocabulary richness", these three plays can be classified as follows:

 $R_{Nice\ Valour(Middleton)} > R_{Comedy\ of\ Errors\ (Shakespeare)} > R_{Alphonsus(Greene)}$ 

Other comparisons are possible. Given its length, *A Game of Chess* (Middleton: 17 503 tokens and 3 684 types) has a vocabulary richness greater than those of the 38 plays longer than it (Annex). This includes 8 plays by Middleton himself (out of a total of 14 plays by him in the corpus) and 14 by Shakespeare (out of his 38 plays in the corpus): *All's Well That Ends Well* (V = 3 469), *As You Like It* (3 228), *Julius Caesar* (2 840), *King John* (3 546), *Measure for Measure* (3 307), *The Merchant of Venice* (3244), *Merry Wives of Windsor* (3 226), *Much Ado About Nothing* (2 942), *Pericles* (3 218), *Richard II* (3 650), *The Taming of the Shrew* (3 208), *Timon of Athens* (3269), *Titus Andronicus* (3 319), *Twelfth Night* (3 074).

In Annex, other direct comparisons are of great interest, for example, Chapman's *Bussy d'Ambois* has a greater vocabulary richness than the Shakespeare's plays quoted above (except *Richard II* and *King John* which are longer than *Bussy* and therefore impossible for a direct comparison with it).

This suggests that, even if some Shakespeare's plays seem to have a rich vocabulary (particularly the historical ones), none of them would appear to be of an extraordinary/outstanding richness. A two by two comparison of authors can also be affected by the fact that the EM corpus contains a disproportionately large set of Shakespeare's plays (see Table 3). Nevertheless these direct comparisons can be helpful in comparing authors.

	Number of plays	N (tokens)	V (different types)
Peele G.	2	24 877	3 938
Kyd T.	2	38 231	5 064
Chapman G.	2	40 618	5 133
Dekker T.	2	43 778	5 845
Greene R.	3	51 102	5 836
Marlowe C.	7	111 858	9 164
Fletcher J. & Beaumont F.	5	116 244	7 401
Johnson B.	6	144 628	12 158
Fletcher J.	8	177 968	9 914
Middleton T.	14	263 426	13 828
Shakespeare W.	38	830 379	27 084
	89	1 843 109	

Table 3. Types and tokens in the works of the "Early Modern" authors (ranked by lengths).

Data in Table 3 (bold lines) lead to the following interpretation:

 $R_{Dekker} > R_{Greene}$ 

 $R_{Marlowe} > R_{Fletcher\&Beaumont}$ 

 $R_{Johnson} > R_{Fletcher}$ 

Again, when directly using N and V, it is impossible to set up a complete comparison of the works of each author. If we consider that the observed size of the vocabulary (V) is a function of the text's length (N) and of its vocabulary richness (R), then to compare R in two texts - of unequal lengths - one must be able to neutralize the impact of N on V. This can be done by modelling the way the vocabulary grows with the number of tokens used.

## 3. Modeling the vocabulary growth

Given, a text or a corpus, let:

N: total number of tokens in this text or corpus;

The V types, in the whole work, are graded in order of frequency into n frequency bins.

 $V_i$ : the number of types which occur *i* times.

Example: Shakespeare's King John: V = 3546 (types), N = 20375 tokens.

The problem is to predict how new words will appear while the text is growing. To study this phenomenon, the text *King John* is divided in 204 slices of 100 tokens. At each interval of 100 words, the different types are counted from the beginning of the corpus. For the K milestones - 100, 200, ..., 204 - let:

 $N_k$  be the number of tokens counted from the beginning of the texts until the  $k_{th}$  milestone.  $N_k$  varies from 0 to 204 ( $N_{204} = 20~375$ );

$$u_k = \frac{N_k}{N}$$
;  $u_k$  varies from 0 (beginning of the text) to 1 ( $u_{204}$ );

 $V_{k}$  be the number of different types counted since the beginning of the texts until the  $k_{th}$  milestone;  $V_{k}$  varies from 0 to 3 546.

Figure 2 presents the vocabulary growth in *King John* divided in slices of 100 tokens.

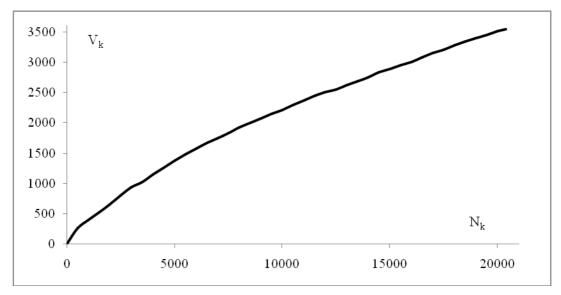


Fig. 2 Vocabulary growth in Shakespeare's King John

The slope of the curve slowly decreases as N grows and it is very similar to the one of the Figure 1: V is a decreasing non-linear function of N. To compare the vocabulary of  $King\ John$  with the one of another play of size N' (with  $N' < N_{King\ John}$ ), Muller proposes to estimate the number of types (V') as a random sample of size N' drawn out of  $King\ John$  (Muller 1977; Ule 1985):

(1) 
$$V'(u) = V - \sum_{i=1}^{n} V_{i} Q_{i}(u)$$
 with  $u = \frac{N'}{N}$  and  $Q_{i}(u) = (1 - u)^{i}$ 

The equation (1) is based on the assumption of a sampling without replacement (hypergeometric law: Hubert & Labbé 1988a). Of course, natural languages do not strictly follow this assumption and this leads to a systematic bias that is illustrated by Figure 3.

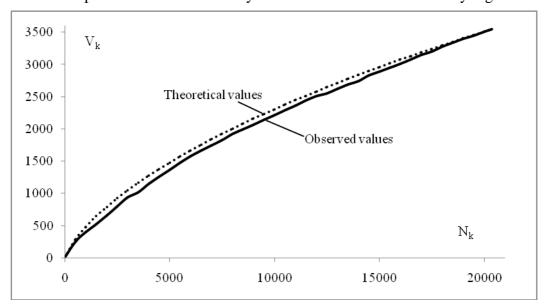


Fig. 3 Vocabulary growth in Shakespeare's *King John* (observed values (bold line) and theoretical values calculated with the help of hypergeometric model (dotted line).

In this diagram, the x-axis is the length of the text  $(N_k)$  and of the excerpts  $(N'_k \text{ with } N'_k \leq N_k)$ ; the y-axis is the size of the vocabularies observed  $(V_{*k})$  and the theoretical one calculated with

formula (1)  $(V'_k)$ . The dotted line represents these theoretical values whereas the bold line is the observed values in the text *King John*. The theoretical values can be interpreted as the expected numbers of different types in K simulated excerpts drawn out of *King John* from the beginning of the text until the  $k_{th}$  milestone.

It can be seen that the theoretical values (dotted line) are almost always significantly higher than the observed ones while the theoretical curve is supposed to adjust the observations... For example, it is the case for 32 out of the 38 plays of Shakespeare. This phenomenon has been reported by Muller, Ule and Cossette (1994). According to Muller, this phenomenon is due to the so-called "specialization of the vocabulary" (p) according to the different topics dealt in the text. The formula (1) would thus apply to a particular case: a text without vocabulary specialization (p = 0). In the EM corpus, this is the case for fewer than one play out of six. Thus to compare without bias the richness of the vocabularies of the five others, it is necessary to take into account the way the specialized vocabulary impacts the vocabulary growth.

### 4. Specialization of the vocabulary

First, charts like Fig. 2 & 3 are adjusted by calculating V' — the number of different types expected in an excerpt of N' tokens — according to the following formula (Hubert & Labbé, 1988a) in which the second part – between brackets - is the formula (1).

$$(2)V'(u) = p.u.V + (1-p) \left[V - \sum_{i=1}^{n} V_{i}Q_{i}(u)\right]$$
 with:  $p$  "coefficient of vocabulary partition".

The coefficient of vocabulary partition (p) measures the relative size of the two sets of vocabulary, which are used by one author in order to compose a text. The first set contains pV specialized word types which are devoted to a special part of the text. It is not possible to identify precisely these words, but various experiments have shown that they are mainly nouns of figures, towns and countries, technical terms... The average growth of this first set is a linear function of N' (first part of the formula (2)). The second set contains (1-p)V types which belong to the general vocabulary. This set contains the vocabulary used whatever the topic: articles, prepositions, auxiliary and modal verbs, etc. The probability of their appearing is constant at any stage of the text and can be estimated as if they belong to a sample of size N' tokens randomly drawn, without replacement, from the N tokens of the whole corpus. The size of this second set is estimated with the help of the hypergeometric formula: second part of the formula (1).

The value of p is that which minimises the sum of the squared deviations between the observed values  $(V^*_k)$  and the calculated ones  $(V'_k)$ :

(3) 
$$p = \frac{\sum_{1}^{K} \left[ (u_{k} - 1)V + \sum_{1}^{n} V_{i} Q_{i}(u_{k}) \right] \left[ V_{*}(u_{k}) - V + \sum_{1}^{n} V_{i} Q_{i}(u_{k}) \right]}{\sum_{1}^{K} \left[ (u_{k} - 1)V + \sum_{1}^{n} V_{i} Q_{i}(u_{k}) \right]^{2}}$$

Formulae (2) and (3) are easy to compute. For the calculation, the K intervals are not necessarily equal or proportional. Of course, the accuracy of results depends on the number

and quality of these observations: at least ten values of  $V_*(u_k)$  are necessary, evenly distributed within the texts or corpus.

Given this minimum requirement, many experiments prove that *p* is actually independent of the size and number of the excerpts. Figure 4 presents the results on *King John*: the theoretical curve – calculated with the help of this *partition model* - (dotted line) actually goes through the chart of the observed values (bold line).

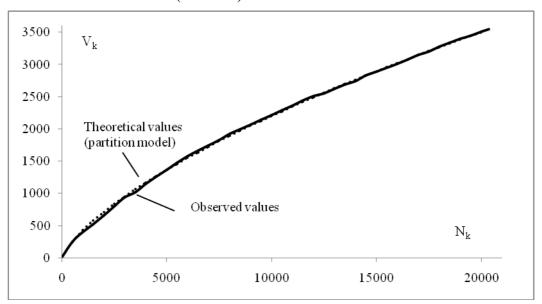


Fig. 4. Vocabulary growth in Shakespeare's *King John*. Observed values (bold line) and theoretical values calculated with the help of partition model (dotted line).

The observed curves for the other 88 plays of the corpus are also well fitting. This property allows one to take into account the specialization of the vocabulary in the computation of the number of types that a text would have had if it had been smaller. This will also allow the comparison of the vocabulary diversity of two texts of unequal lengths.

There are some limitations to this model. Especially, it can be assumed that, if the compared two texts are too diverse in length (one very small and one very large) the comparison would still be too "stretched" to lead to a proper comparison.

Let us consider "the", which is the most common word in all these corpora. In the whole EM Corpus, it occurs 25 239 times ( $F_{the} = 25 239$ ). For this word, let consider two possibilities:

- P(X=1) ("all its occurrences are drawn out of the whole corpus") has no sense when considering a sample length of less than 25 239 tokens (the event  $X = F_{the}$  is impossible);
- P(X=0) ("none is drawn out of the whole corpus") makes sense only for a sample (N' < N 25 239) otherwise the event ( $F'_{the} = 0$  is impossible).

This is the reason why Daniel, Ford, Heywood, Lyly, Nashe and Porter are omitted from this experiment for the time being. Within these limits, the partition model can be used to determine the vocabulary diversity of each play of the corpus EM.

## 5. Diversity of the vocabulary in the corpus EM

Two solutions can be considered to compute an unbiased vocabulary diversity for each plays of the corpus. The first one would be to compute the size of the vocabulary if all the plays had been of the smallest length found in the corpus (B. Jonson: *A Tale of a Tub* 8 237 tokens). The second one is to fix a standard and interpretable length that would allow a "universal" comparison between texts. In this second solution, the vocabulary *diversity* of a text is defined as the average number of different word types found in all different excerpts of 10 000 tokens (V'<sub>10000</sub>) that can be drawn from this text. This measure is computed with formula (2). This later solution seems to be more adequate in comparing vocabulary diversity of plays/authors/works.

Figure 5 shows these computed values for the corpus EM. This scatter plot should be compared to the one of figure 1. It clearly shows that the computed diversity  $(V'_{10000})$  is not related to the lengths of the texts.

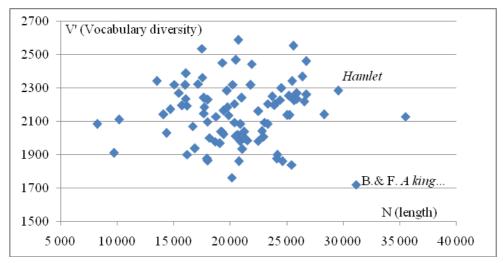


Figure 5. Relation between the vocabulary diversity (V'<sub>10000</sub>) and the number of tokens (N) for each EM plays

The fact that the computed value is not determined by the length has always been found true for all the tested corpora (see for example Monière & Labbé 2008; Labbé 1998). Given this, it is now possible to compare fairly all the plays of the EM corpus. Which one has the most diverse vocabulary or the poorest one? Tables 4 and 5 give the top ten and the bottom ten. The last columns give the computed richness of vocabulary ( $V'_{10000}$ ).

Authors	Plays	Length	Vocabulary	V' <sub>10000</sub>
Dekker Thomas	The Whore of Babylon	20 711	3 989	2 587
Shakespeare William	Henry V	25 581	4 545	2 553
Middleton Thomas	A Game at Chess	17 503	3 684	2 536
Shakespeare William	King Henry VI, Part 1	20 518	3 782	2 469
Jonson Benjamin	The Alchemist	26 724	4 420	2 461
Shakespeare William	Edward III	19 331	3 705	2 452
Jonson Benjamin	The New Inn	21 890	4 116	2 443
Shakespeare William	Macbeth	16 085	3 256	2 388
Jonson Benjamin	Volpone	26 382	4 166	2 370
Marlowe Christopher	Tamburlaine 1	17 527	3 243	2 367

Table 4. The ten plays with the most diverse vocabulary

Authors	Plays	Length	Vocabulary	V' <sub>10000</sub>
Beaumont & Fletcher	A King and no King	31 127	2 904	1 719
Beaumont & Fletcher	The Second Maiden's Tragedy	20 139	2 525	1 762
Fletcher John	The Loyal Subject	25 433	3 171	1 838
Fletcher John	Valentinian	24 623	2 997	1 861
Shakespeare William	Much Ado About Nothing	20 758	2 942	1 861
Beaumont & Fletcher	Philaster	18 012	2 685	1 863
Middleton Thomas	A Trick to Catch the Old One	17967	2 706	1 876
Fletcher John	Demetrius and Enanthe	24 112	3 007	1 876
Beaumont & Fletcher	The Humourous Lieutenant	24 162	3 138	1 899
Marlowe Christopher	Massacre at Paris	9 718	1 880	1 909

Table 5. The ten plays with the least diverse vocabulary

Some authors like W. Shakespeare, T. Middleton or C. Marlowe can be found in both tables. In addition, it is interesting to note that some plays of which vocabularies are the richest are of debated origin: *Henry V, Henry VI, Edward III* or *King John, MacBeth* or *Timon of Athens* would not be entirely by Shakespeare (Merriam 2000, 2002a & b, 2003, 2004; Craig & Kinney, 2009).

This means that the "author" may not be the most important factor in order to explain the diversity of a text vocabulary. Among the factors that influence this diversity, the "genre" of the play seems to be of some importance. For W. Shakespeare and his contemporaries, comedies would mobilize less vocabulary than more serious plays such as tragedy as shown in Table 6.

Genre	V' <sub>10000</sub>	Indice
Historical plays	2 288	100
Tragedies	2 235	97
Comedies	2 083	90
Mean	2 191	95

Table 6. Diversity of the vocabulary for Shakespeare's plays according to their "genre"

But this may not be taken as a general rule: for example two Jonson's plays can be found within the top ten plays with the most diverse vocabulary (Table 4) and they actually are comedies. Within each genre, diversity of vocabulary seems to be the result of stylistic and thematic choices that cannot be addressed within the limited scope of this paper. Nevertheless the proposed tool is of a real utility in comparing corpora of different lengths. The Table 7 shows the diversity of the vocabulary for the EM works by author.

To have a better appreciation of the importance of the observed differences, it is useful to consider the standard deviation of the different observed sizes of vocabulary for excerpts of 10 000 tokens lengths (in the last column of Table 7). This gives an idea of differences that can be imputed to a "normal" or non-exceptional variation. A confidence interval can be associated with each value (ie with  $\alpha = 0.05$ ;  $V_{10000} \pm 1.96 \, \sigma$ ). With less than 5 chances in 100 of being wrong, it can be considered that the vocabularies of B. Jonson and T. Dekker are significantly richer than the ones of all the others. The same conclusion can be drawn for T. Kyd (compared to the authors listed in the lines below). However, it is not the same for the pairs {Jonson - Dekker}, {Shakespeare - Marlowe}, {Marlowe - Peele}, {Peele - Chapman} and {Chapman - Middleton} whose diversities are separated by intervals which are too low.

Author	Number	Number	Diversity	V Standard
	of plays	of tokens	V' <sub>10000</sub>	deviation ( $\sigma$ )
Jonson B.	5	144 628	2 384	23,6
Dekker T.	2	43 778	2 339	25,4
Kyd T.	2	38 231	2 269	24,3
Shakespeare W.	38	830 379	2 191	23,9
Marlowe C.	7	111 858	2 148	18,9
Peele G.	2	24 877	2 139	11,6
Chapman G.	2	40 618	2 132	23,5
Middleton T.	14	263 426	2 097	21,8
Greene R.	3	51 102	2 057	19,4
Fletcher J.	7	177 968	1 913	22,3
Fletcher J. & Beaumont F.	5	116 244	1 850	22,3
Total and mean	89	1 843 109	2 139	

Table 7. Diversity of the vocabulary for each author of the corpus EM, ranked by decreasing order

An important remark is that these variations do not seem to strictly depend on the number of plays under consideration.

#### 6. Conclusions

The vocabulary richness is now divided into two dimensions: **specialization** – proportion of word types which are devoted to a special part of the text - and **diversity** - the average number of different word types found in a large number of blocks, with a standard length, drawn randomly from this text. These two dimensions can be measured and, by adopting the measures and standards proposed in this communication, it becomes possible to compare a large number of texts in terms of their stylistic features or to identify significant stylistic changes in a work (Labbé, Labbé & Hubert 2004).

As regards the English "Early Modern" theater, the experiment presented in this paper is sufficient to reject with confidence the hypothesis that the vocabulary of the plays presented under the name of W. Shakespeare is unusually "rich." Instead, it is within the average of his contemporaries. Therefore, there is no rational basis for the idea once so prevalent that this author had an extraordinary vocabulary (if he is the author of all documents published under his name)... The champion seems to be B. Jonson, but we studied only five plays of his. It is possible that these plays are not representative of all his theatrical work... The same can be said about T. Dekker who appears to be also "richer" than Shakespeare.

The diversity of vocabulary, as its specialization, is not characteristic of the culture of an author but more probably the result of a conscious choice made for each play. Some authors chose rather restrainedly (J. Fletcher, R. Greene), others, like B. Jonson and T. Dekker, have preferred diversity. But the same author can be found at the two extremes: it is the case for W. Shakespeare, C. Marlowe and T. Middleton.

These calculations allow one to examine with a fresh eye many other issues. For example, the chronology of a work. In fact, the vocabulary of the plays published under the name of Shakespeare seems to become more restrained over time. This trend might help the discussion about the dating of some of these plays.

Finally, one can discuss the definition of "richness", considering, for example, that the vocabulary richness can also stem from higher use of idiomatic expressions and other multiword expressions like collocations. In this case, it should be preferable to use the notion of "rarity". The feeling of "rarity" of the vocabulary of W. Shakespeare's plays could come from some unexpected words or from some "lexical creations" that are more or less extraordinary. A statistical measure of this "rarity" and of this "lexical creativity" would be possible only if we had the complete works - transcribed in modern English – of the main contemporaries of W. Shakespeare as B. Jonson, T. Middleton and J. Fletcher.

## Acknowledgements

The authors are grateful to Ward Elliott who gave them the idea of this paper, the quotation opening it and all the plays of the Claremont Shakespeare Clinic; to Tom Merriam who also gave them a large number of plays and a constant help; to Pierre Hubert who has elaborated the partition model with them; to Tom Merriam and Jacques Savoy for their careful reading of a previous version of this paper.

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**Annex.**The "Early Modern" Corpus (alphabetical order) with length and vocabulary of plays

Authors	Title	N (tokens)	V (word types)	V' <sub>10000</sub>
Chapman George	Bussy d'Ambois	19 731	3 544	2 285
Chapman George	The Gentleman Usher	20 887	3 104	1 979
Dekker Thomas	The Honest Whore, Part II	23 067	3 575	2 093
Dekker Thomas	The Whore of Babylon	20 711	3 989	2 587
Beaumont F. & Fletcher J.	A King and no King	31 127	2 904	1 719
	The Second Maiden's Tragedy	20 139	2 525	1 762
	Philaster	18 012	2 685	1 863
	The Scornful Lady	22 800	3 235	2 041
Beaumont F. & Fletcher J.	The Humourous Lieutenant	24 162	3 138	1 899
Fletcher John	Sir John Van Olden Barnavelt	21 531	3 247	1 985
Fletcher John	Chances	16 195	2 509	1 900
Fletcher John	Demetrius and Enanthe	24 112	3 007	1 876
Fletcher John	The Island Princess	22 456	3 126	1 982
Fletcher John	The Loyal Subject	25 433	3 171	1 838
Flectcher John	Monsieur Thomas	20 682	3 063	2 019
Fletcher John	Valentinian	24 623	2 997	1 861
Fletcher John	The Woman's Prize	22 936	3 279	2 006
Greene Robert	Alphonsus, King of Aragon	15 067	2 321	2 321
Greene Robert	Friar Bacon and Friar Bungay	16 184	2 978	2 193
Greene Robert	James IV	19 851	3 273	2 135
Benjamin Jonson	The Alchemist	26 724	4 420	2 461
Benjamin Jonson	Barthomew Fair	35 501	4 455	2 127
Benjamin Jonson	The New Inn	21 890	4 116	2 443
Benjamin Jonson	Sejanus	25 894	3 990	2 269
Benjamin Jonson	A Tale of a Tub	8 237	1 866	2 082
Benjamin Jonson	Volpone	26 382	4 166	2 370
Kyd Thomas	Soliman and Perseda	18 007	3 095	2 229
Kyd Thomas	The Spanish Tragedy	20 224	3 460	2 320
Marlowe Christopher	Doctor Faustus	15 454	2 910	2 271
Marlowe Christopher	Dido, Queen of Carthage	13 507	2 760	2 341
Marlowe Christopher	Edward II	20 508	3 098	2 010
Marlowe Christopher	The Jew of Malta	17 982	2 975	2 098
Marlowe Christopher	Massacre at Paris	9 718	1 880	1 910
Marlowe Christopher	1 Tamburlaine the great	17 162	3 223	2 324
Marlowe Christopher	II Tamburlaine.	17 527	3 243	2 363
Middleton Thomas	A Chaste Maid in Cheapside	16 685	2 811	2 069
Middleton Thomas	A Game at Chess	17 503	3 684	2 536
Middleton Thomas	Hengist/Mayor of Queenboro	19 427	3 218	2 165
Middleton Thomas	The Lady's Tragedy	18657	2 739	1 978
Middleton Thomas	A Mad World, My Masters	17686	2 949	2 147
Middleton Thomas	More Dissemblers	18 743	3 029	2 127
Middleton Thomas	Michaelmas Term	19 299	2 869	2 034
Middleton Thomas	No Wit/Help Like a Woman's	25 242	3 551	2 137
Middleton Thomas	The Phoenix	19 198	2 971	2 036
Middleton Thomas	The Puritan or the Widow of Watling Street	18171	2 827	2 001
Middleton Thomas	A Trick to Catch the Old One	17967	2 706	1 876
Middleton Thomas	The Nice Valour or The Passionate Madman	14095	2 687	2 141
Middleton Thomas	Women Beware Women	25 005	3 469	2 137
Middleton Thomas	The Witch	15 748	2 822	2 196
Peele George	The Arraignment of Paris	10 177	2 129	2 110
Peele George	David and Bethsabe	14 700	2 716	2 171
Shakespeare William	King Henry IV, Part 1	23 937	3 788	2 205
Shakespeare William	King Henry VI, Part 1	20 518	3 782	2 469
Shakespeare William	King Henry IV, Part 2	25 680	4 084	2 226
Similar it illiam		25 500		

Shakespeare William	King Henry VI, Part 2	24 416	4 001	2 228
Shakespeare William	King Henry VI, Part 3	23 304	3 559	2 084
Shakespeare William	Much Ado About Nothing	20 758	2 942	1 861
Shakespeare William	Antony & Cleopatra	23 703	3 912	2 250
Shakespeare William	All's Well That Ends Well	22 481	3 469	2 160
Shakespeare William	As You Like It	21 292	3 228	1 999
Shakespeare William	Coriolanus	26 553	3 992	2 218
Shakespeare William	Cymbeline	26 750	4 244	2 260
Shakespeare William	Edward III	19 331	3 705	2 452
Shakespeare William	Comedy of Errors	14 358	2 504	2 030
Shakespeare William	Henry V	25 581	4 545	2 553
Shakespeare William	Henry VIII	23 325	3 529	2 204
Shakespeare William	Hamlet	29 549	4 663	2 283
Shakespeare William	Julius Caesar	19 107	2 840	1 968
Shakespeare William	King John	20 375	3 546	2 205
Shakespeare William	Love's Labours Lost	21 022	3 734	2 240
Shakespeare William	King Lear	25 215	4 132	2 253
Shakespeare William	Macbeth	16 085	3 256	2 388
Shakespeare William	Measure for Measure	21 260	3 307	2 037
Shakespeare William	Midsummer Night's Dream	16 062	2 970	2 236
Shakespeare William	The Merchant of Venice	20 910	3 244	2 083
Shakespeare William	Othello	25 891	3 774	2 234
Shakespeare William	Pericles	17 679	3 218	2 242
Shakespeare William	Richard II	21 797	3 650	2 318
Shakespeare William	Richard III	28 308	4 054	2 141
Shakespeare William	Romeo and Juliet	23 907	3 678	2 197
Shakespeare William	The Taming of the Shrew	20 386	3 208	2 092
Shakespeare William	The Two Gentlemen of Verona	16 875	2 703	1 938
Shakespeare William	Timon of Athens	17 713	3 269	2 183
Shakespeare William	Titus Andronicus	19 752	3 319	2 184
Shakespeare William	The Tempest	16 030	3 139	2 319
Shakespeare William	Twelfth Night	19 403	3 074	2 021
Shakespeare William	Trolius and Cressida	25 475	4 224	2 342
Shakespeare William	Merry Wives of Windsor	21 072	3 226	1 933
Shakespeare William	The Winter's Tale	24 518	3 904	2 299