

Influence of joint constraints on lower limb kinematics estimation from skin markers using global optimization

Sonia Duprey, Laurence Cheze, Raphaël Dumas

▶ To cite this version:

Sonia Duprey, Laurence Cheze, Raphaël Dumas. Influence of joint constraints on lower limb kinematics estimation from skin markers using global optimization. Journal of Biomechanics, 2010, 43 (14), pp. 2858-2862. 10.1016/j.jbiomech.2010.06.010. hal-00990413

HAL Id: hal-00990413 https://hal.science/hal-00990413

Submitted on 13 May 2014

HAL is a multi-disciplinary open access archive for the deposit and dissemination of scientific research documents, whether they are published or not. The documents may come from teaching and research institutions in France or abroad, or from public or private research centers. L'archive ouverte pluridisciplinaire **HAL**, est destinée au dépôt et à la diffusion de documents scientifiques de niveau recherche, publiés ou non, émanant des établissements d'enseignement et de recherche français ou étrangers, des laboratoires publics ou privés.

1	Influence of joint constraints on lower limb kinematics estimation from skin markers
2	using global optimization
3	
4	Sonia Duprey ^{a*} , Laurence Cheze ^a , Raphaël Dumas ^a
5	
6	^a Université de Lyon, F-69622 Lyon, France
7	INRETS, UMR_T9406, Laboratoire de Biomécanique et Mécanique des Chocs, Bron, France
8	Université Lyon 1, Villeurbanne, France
9	
10	* Corresponding author:
11	Sonia Duprey, LBMC, INRETS, 25 av F Mitterrand, F-69675 Bron Cedex, France. Phone:
12	(+33) 4 78 65 68 82 ; Fax: (+33) 4 72 14 23 60; Email: sonia.duprey@univ-lyon1.fr
13	
14	Word count: 1523 words
15	

2

In order to obtain the lower limb kinematics from skin-based markers, the soft tissue artefact (STA) has to be compensated. Global optimization (GO) methods rely on a predefined kinematic model and attempt to limit STA by minimizing the differences between model predicted and skin-based marker positions. Thus, the reliability of GO methods depends directly on the chosen model, whose influence is not well known yet.

8 This study develops a GO method that allows to easily implement different sets of joint 9 constraints in order to assess their influence on the lower limb kinematics during gait. The 10 segment definition was based on generalized coordinates giving only linear or quadratic joint 11 constraints. Seven sets of joint constraints were assessed, corresponding to different kinematic 12 models at the ankle, knee and hip: SSS, USS, PSS, SHS, SPS, UHS and PPS (where S, U and 13 H stand for spherical, universal and hinge joint and P for parallel mechanism). GO was 14 applied to gait data from five healthy males.

Results showed that the lower limb kinematics, except hip kinematics, knee and ankle flexion-extension, significantly depend on the chosen ankle and knee constraints. The knee parallel mechanism generated some typical knee rotation patterns previously observed in lower limb kinematic studies. Furthermore, only the parallel mechanisms produced joint displacements.

Thus, GO using parallel mechanism seems promising. It also offers some perspectives of
subject-specific joint constraints.

1 Introduction

2

3 To obtain an accurate skeleton kinematics from skin-based markers, the relative motion of 4 soft tissues with regards to the underlying bone (i.e. the soft tissue artefact, STA) has to be 5 compensated. Several methods minimizing STA have been developed (Leardini et al., 2005). 6 Some methods address each segment separately by computing the optimal bone pose from a 7 marker cluster (Söderkvist and Wedin, 1993; Challis, 1995, Cheze et al., 1995), while global 8 optimization (GO) methods address the entire limb, or full body, by minimizing distances 9 between measured and model-determined marker positions (Lu and O'Connor, 1999). GO 10 methods rely on the determination of a predefined kinematic model with specific joint 11 constraints. Therefore, GO results directly depend on the constraint choices.

Spherical joints have been classically applied (Lu and O'Connor, 1999; Charlton et al., 2004). Alternatively, models including universal and hinge joints at the ankle and knee were proposed (Reinbolt et al., 2005; Andersen et al., 2009c). Moreover, degree-of-freedom coupling curves were included as knee joint constraints in a registration technique (Sholukha et al. 2006) providing reliable results in terms of joint displacements. However the coupling curves were dependent on the chosen segment axes and Euler angle sequence.

18 Coupled degrees-of-freedom can also be modelled by spatial parallel mechanisms (Feikes et 19 al., 2003; Di Gregorio et al., 2007) that directly take into account anatomical structures (i.e. 20 articular surfaces as sphere-on-plane contacts and ligaments as constant lengths). The 21 corresponding joint constraints have not been included in GO methods so far.

22

The aim of the current study is to develop a GO method that allows to easily implement different sets of joint constraints, in order to assess their influence on the lower limb kinematics during gait. Different sets of joint constraints were evaluated, corresponding to

different kinematic models at the ankle, knee and hip joints: SSS, USS, PSS, SHS, SPS, UHS
 and PPS (where S, U and H stand for spherical, universal and hinge joint and P for parallel
 mechanism).

- 4
- 5

6 **Global optimization methods** (see appendices A, B, C for more details)

7

8 Parameter set

9 GO was performed using generalized coordinates (Dumas and Cheze, 2007) consisting, for 10 each segment *i*, of two position vectors (the proximal P_i and distal D_i endpoints) and two 11 unitary direction vectors (\mathbf{u}_i and \mathbf{w}_i):

12
$$\mathbf{Q}_i = \begin{bmatrix} \mathbf{u}_i & \mathbf{r}_{P_i} & \mathbf{r}_{D_i} & \mathbf{w}_i \end{bmatrix}^T$$
 (1)

13 with i = 1, 2, 3, 4 for the foot, shank, thigh, and pelvis, respectively.

14

15 These parameters were designed to stand for non-orthogonal directions: inertial (for inverse 16 dynamics purpose), anatomical (i.e., from joint centre to joint centre) and functional (i.e., 17 mean axis of rotation). Particularly, \mathbf{r}_{D2} and \mathbf{r}_{P2} are the ankle and knee joint centres while \mathbf{w}_2 18 and \mathbf{w}_3 are the ankle and knee flexion-extension axes. In addition, any position \mathbf{r} of a point (marker or virtual) and any direction \mathbf{n} embedded in the segment *i* can be straightforwardly 19 20 deduced from Q_i through a constant interpolation matrix N_i (Garcia de Jalon et al., 1986; 21 Dumas and Cheze, 2007). As 12 parameters represent the 6 degrees of freedom of the 22 segment, rigid body constraints have to be considered in addition to the joint constraints.

- 23
- 24
- 25

2

3 The objective function to minimize is the sum of the square distances between measured and
4 model-determined marker positions:

5
$$f = \sum_{i=1}^{4} \sum_{j=1}^{m_i} (\mathbf{r}_{M_i^j} - \mathbf{N}_i^{M_i^j} \mathbf{Q}_i)^2$$
 (2)

6 with M_i^j the j^{th} marker (out of m_i) embedded in segment *i*, $\mathbf{r}_{M_i^j}$ its measured position and $\mathbf{N}_i^{M_i^j}$ 7 the corresponding interpolation matrix.

- 8
- 9
- 10 Joint constraints
- 11

12 For the spherical model, the joint constraints at the ankle, knee and hip are:

13
$$\mathbf{r}_{D_{i+1}} - \mathbf{r}_{P_i} = 0$$
 (*i* = 1, 2) and $\mathbf{N}_4^{V_4^1} \mathbf{Q}_4 - \mathbf{r}_{P_3} = 0$ (3)

14 with V_4^1 a virtual point (i.e., hip joint centre) embedded in the pelvis segment and $\mathbf{N}_4^{V_4^1}$ the 15 corresponding interpolation matrix.

16

17 For the universal joint at the ankle, the joint constraints are:

18
$$\begin{cases} \mathbf{r}_{D_2} - \mathbf{r}_{P_1} = 0\\ \mathbf{w}_2 \bullet \mathbf{N}_1^{\mathbf{n}_1^1} \mathbf{Q}_1 - \cos \theta_A = 0 \end{cases}$$
 (4)

19 with θ_A the angle defining the relative orientation of the two functional joint axes, \mathbf{n}_1^1 an axis

- 20 (i.e., subtalar) embedded in the foot segment and $N_1^{n_1^i}$ the corresponding interpolation matrix.
- 21
- 22 For the hinge model at the knee, the joint constraints are:

$$1 \qquad \begin{cases} \mathbf{r}_{D_3} - \mathbf{r}_{P_2} = 0 \\ \mathbf{w}_3 \bullet \left(\mathbf{r}_{P_2} - \mathbf{r}_{D_2} \right) - L_2 \cos \theta_K^1 = 0, \\ \mathbf{w}_3 \bullet \mathbf{u}_2 - \cos \theta_K^2 = 0 \end{cases}$$
(5)

2 with θ_K^1 and θ_K^2 two angles defining the orientation of the joint axes and L_2 the shank 3 segment length.

4

5 For the parallel mechanism at the ankle (Di Gregorio et al., 2007), the joint constraints are:

$$6 \qquad \begin{cases} \left(\mathbf{N}_{1}^{V_{1}^{1}}\mathbf{Q}_{1}-\mathbf{N}_{2}^{V_{2}^{1}}\mathbf{Q}_{2}\right) \bullet \mathbf{N}_{2}^{\mathbf{n}_{2}^{1}}\mathbf{Q}_{2}-d_{A}^{1}=0\\ \left(\mathbf{N}_{1}^{V_{1}^{2}}\mathbf{Q}_{1}-\mathbf{N}_{2}^{V_{2}^{2}}\mathbf{Q}_{2}\right) \bullet \mathbf{N}_{2}^{\mathbf{n}_{2}^{2}}\mathbf{Q}_{2}-d_{A}^{2}=0\\ \left(\mathbf{N}_{2}^{V_{2}^{3}}\mathbf{Q}_{2}-\mathbf{N}_{1}^{V_{1}^{3}}\mathbf{Q}_{1}\right)^{2}-\left(d_{A}^{3}\right)^{2}=0\\ \left(\mathbf{N}_{2}^{V_{2}^{4}}\mathbf{Q}_{2}-\mathbf{N}_{1}^{V_{1}^{4}}\mathbf{Q}_{1}\right)^{2}-\left(d_{A}^{4}\right)^{2}=0\\ \left(\mathbf{N}_{2}^{V_{2}^{5}}\mathbf{Q}_{2}-\mathbf{N}_{1}^{V_{1}^{5}}\mathbf{Q}_{1}\right) \bullet \mathbf{N}_{1}^{\mathbf{n}_{1}^{2}}\mathbf{Q}_{1}-d_{A}^{5}=0 \end{cases}$$
(6)

These constraints represent the tibia/talus sphere-on-plane medial and lateral contacts (sphere centres V_1^1 , V_1^2 and radii d_A^1 , d_A^2 , contact plane points V_2^1 , V_2^2 and normals \mathbf{n}_2^1 , \mathbf{n}_2^2), the calcaneum-tibia, calcaneum-fibula ligaments (origins V_2^3 , V_2^4 insertions V_1^3 , V_1^4 and lengths d_A^3 , d_A^4) and the fibula/talus sphere-on-plane contact (centre V_2^5 and radius d_A^5 , contact plane point V_1^5 and normal \mathbf{n}_1^2).

12

14

13 For the parallel mechanism at the knee (Feikes et al., 2003), the joint constraints are:

$$\begin{cases} \left(\mathbf{N}_{3}^{V_{3}^{1}}\mathbf{Q}_{3}-\mathbf{N}_{2}^{V_{2}^{0}}\mathbf{Q}_{2}\right)\bullet\mathbf{N}_{2}^{\mathbf{n}_{2}^{3}}\mathbf{Q}_{2}-d_{K}^{1}=0\\ \left(\mathbf{N}_{3}^{V_{3}^{2}}\mathbf{Q}_{3}-\mathbf{N}_{2}^{V_{2}^{2}}\mathbf{Q}_{2}\right)\bullet\mathbf{N}_{2}^{\mathbf{n}_{2}^{4}}\mathbf{Q}_{2}-d_{K}^{2}=0\\ \left(\mathbf{N}_{3}^{V_{3}^{3}}\mathbf{Q}_{3}-\mathbf{N}_{2}^{V_{2}^{8}}\mathbf{Q}_{2}\right)^{2}-\left(d_{K}^{3}\right)^{2}=0\\ \left(\mathbf{N}_{3}^{V_{3}^{4}}\mathbf{Q}_{3}-\mathbf{N}_{2}^{V_{2}^{9}}\mathbf{Q}_{2}\right)^{2}-\left(d_{K}^{4}\right)^{2}=0\\ \left(\mathbf{N}_{3}^{V_{3}^{5}}\mathbf{Q}_{3}-\mathbf{N}_{2}^{V_{2}^{9}}\mathbf{Q}_{2}\right)^{2}-\left(d_{K}^{5}\right)^{2}=0\end{cases}$$
(7)

1 These constraints represent the femur/tibia sphere-on-plane medial and lateral contacts (sphere centres V_3^1 , V_3^2 and radii d_K^1 , d_K^2 , contact plane points V_2^6 , V_2^7 and normals \mathbf{n}_2^3 , \mathbf{n}_2^4) and 2 the anterior cruciate, posterior cruciate and medial collateral ligaments (origins V_3^3 , V_3^4 , V_3^5 3 insertions V_2^8 , V_2^9 , V_2^{10} and lengths d_K^3 , d_K^4 , d_K^5). 4 5 Model construction and initial guess 6 7 8 The construction of the lower limb kinematic models corresponds to the determination of the 9 constants (i.e. interpolation matrices N, angles θ , lengths L and distances d) from static calibration, functional methods and literature data (Di Gregorio et al., 2007; Feikes et al., 10 11 2003). 12 In the optimization process, the initial values of the parameters are obtained by constructing at 13 each frame the position vectors \mathbf{r}_{Pi} and \mathbf{r}_{Di} and direction vectors \mathbf{u}_i and \mathbf{w}_i from the skin-based markers (Dumas and Cheze, 2007; see also Appendix A). 14 15 16 Application 17 18 Five healthy male subjects (age: 28.8±4.8 years; height: 1.74±0.09 m; mass: 76.5±13.5 kg) 19 20 participated in this study. The trajectories of 32 skin-based markers on the right lower limb 21 were recorded at 100 Hz. The parameters Q_i were obtained by minimization of the objective function f under constraints (i.e., rigid body and different sets of kinematic constraints) with 22 23 the use of the «fmincon » Matlab function (Mathworks, USA). Then, the classical segment

24 coordinate systems were deduced from the Q_i parameters (Dumas and Cheze, 2007) and the

joint angles and displacements were computed (Wu et al. 2002; see also Appendix C). RMS
 differences were computed for each curve and averaged for the 5 subjects.

3

4 **Results**

5

6 *Constraint influence*

The hip kinematics was not much affected by ankle and knee constraint variations (Fig. 1,
Table 1): all models provided similar patterns and amplitudes for the hip flexion-extension
and abduction-adduction, and the dispersion of the internal-external rotations remained low.

10 The knee flexion-extension curves did not vary across models: a single pattern could be 11 observed and the dispersion was low. The patterns of the abduction-adduction, internal-12 external rotation and displacement curves appeared to depend on the applied knee constraint 13 (Fig. 2), but not on the ankle constraint. However, ankle constraints caused a dispersion of the 14 internal-external rotations (Table 1).

15 The ankle flexion-extension curves showed a similar pattern for all models with a slight 16 dispersion (Fig. 3). The ankle abduction-adduction, internal-external rotation and 17 displacement curves varied whenever the ankle or knee constraint was modified (Tables 1 and 18 2), except for the PPS and PSS models which provided similar rotation patterns and, for some 19 subjects, similar displacement patterns.

20

21 Comparison with in-vivo (intra-cortical pins) data from the literature

The hip kinematics reproduced typical patterns (the authors were not aware of any hip *in-vivo*data).

The knee flexion-extension biphasic pattern (Lafortune et al., 1992; Benoit et al., 2006;
Andersen et al., 2009a) was obtained for all models. Abduction-adduction of limited

amplitude and internal rotation occurring twice during the stance phase (at heel strike and toeoff) was found when the model included a knee parallel mechanism. Furthermore, only the
knee parallel mechanism could reproduce the femoral rollback.

The ankle flexion-extension curves reproduced the typical 2-peak pattern (Reinschmidt et al., 1996; 1997). All models roughly produced an initial abduction followed by a slight adduction during stance and internal-external rotations of limited amplitude, as observed in *in-vivo* studies (Reinschmidt et al., 1996; 1997). Besides, only the parallel mechanisms produced joint displacements.

- 9
- 10

11 Discussion and conclusions

12

GO with joint constraints is one of the methods developed for minimizing STA. Its reliability
is under controversy (Stagni et al., 2009; Andersen et al., 2009a). Nevertheless, defining a
kinematic model is becoming usual in gait analysis (e.g., inverse-forward dynamics,
musculoskeletal models) and the constraint choice is essential.

In this study, a GO method was developed to implement different sets of joint constraints.
The segment definition, based on generalized coordinates (Dumas and Cheze, 2007), allowed
to readily implement complex constraints. Besides, the classical segment and joint coordinate
systems could easily be deduced.

Results showed that the lower limb kinematics, except hip kinematics, knee and ankle flexion-extension, significantly depend on the chosen set of constraints. An appropriate choice, such as the parallel mechanisms, seemed to provide physiologic patterns (i.e., limited abduction-adduction at the knee and femoral rollback). Furthermore, these mechanisms offer the possibility of matching model geometry with MRI data (e.g., by customizing the femur

condyles centre and radius) and of adapting the model to pathologies (e.g., by suppressing a
 ligament constraint). Thus, these mechanisms might be able to provide efficient subject specific models for clinical applications.

A major limitation of this study is the lack of *in-vivo* data. The ability to reproduce intersubject variability, which is an important criterion in the constraint choice, could not be assessed and subject-by-subject validation could not be performed. Thus, further studies enabling subject-by-subject comparisons would offer interesting perspectives.

- 8
- 9

10 **References**

11

12 Andersen, M.S., Benoit, D.L., Damsgaard, M., Ramsey, D.K., Rasmussen, J., 2009a. Do 13 kinematic models reduce the effects of soft tissue artefacts in skin marker-based motion 14 analysis? An in vivo study of knee kinematics. J Biomech, In Press, (available online 15 doi:10.1016/j.jbiomech.2009.08.034).

16

Andersen, M. S., Damsgaard, M., Macwilliams, B., Rasmussen, J., 2009b. A computationally
efficient optimisation-based method for parameter identification of kinematically determinate
and over-determinate biomechanical systems. Comput Methods Biomech Biomed Engin, In
Press.

21

Andersen, M. S., Damsgaard, M., Rasmussen, J., 2009c. Kinematic analysis of overdeterminate biomechanical systems. Comput Methods Biomech Biomed Engin 12(4), 371-84.

1	Benoit, D.L., Ramsey, D.K., Lamontagne, M., Xu, L., Wretenberg, P., Renström P., 2006.
2	Effect of skin movement artifact on knee kinematics during gait and cutting motions
3	measured in vivo. Gait & Posture 24, 152–164.
4	
5	Challis, J.H., 1995. A procedure for determining rigid body transformation parameters. J
6	Biomech 28(6), 733-7.
7	
8	Charlton, I.W., Tate, P., Smyth, P., and Roren, L., 2004. Repeatability of an optimised lower
9	body model. Gait & Posture 20, 213–221.
10	
11	Cheze, L., Fregly B.J., Dimnet, J., 1995. A solidification procedure to facilitate kinematic
12	analyses based on videa system data. J Biomech 28(7), 879-884.
13	
14	Di Gregorio, R., Parenti-Castelli, V., O'Connor, J.J., and Leardini, A., 2007. Mathematical
15	models of passive motion at the human ankle joint by equivalent spatial parallel mechanisms.
16	Med Bio Eng Comput 45, 305-313.
17	
18	Dumas, R., and Cheze, L., 2007. 3D inverse dynamics in non-orthonormal segment
19	coordinate system. Med Bio Eng Comput 45, 315-322.
20	
21	Feikes, J.D., O'Connor, J.J., and Zavatsky, A.B., 2003. A constraint-based approach to
22	modelling the mobility of the human knee joint. J Biomech 36(1), 125-129.
23	

2	parallel mechanism for modeling passive motion at the human tibiotalar joint. J Biomech
3	42(10), 1403-1408.
4	
5	Garcia de Jalon, J., Unda, J., and Avello, A., 1986. Natural coordinates for the computer
6	analysis of multibody systems. Computer methods in applied mechanics and engineering, 56,
7	309-327.
8	
9	Lafortune, M.A., Cavanagh, P.R., Sommer III, H.J., Kalenak, A., 1992. Three-dimensional
10	kinematics of the human knee during walking. J Biomech 25(4), 347-357.
11	
12	Leardini, A., Chiari, L., Della Croce, U., and Cappozzo, A., 2005. Human movement analysis
13	using stereophotogrammetry. Part 3: Soft tissue artifact assessment and compensation. Gait &
14	Posture 21, 212-225.
15	
16	Lu, TW., and O'Connor, J.J., 1999. Bone position estimation from skin marker co-ordinates
17	using global optimisation with joint constraints. J Biomech 32(2), 129-134.
18	
19	Reinbolt, J.A., Schutte, J.F., Fregly, B.J., Koh, B.I., Haftkab, R.T., George, A.D. and
20	Mitchell, K.H., 2005. Determination of patient-specific multi-joint kinematic models through
21	two-level optimization. J Biomech 38(3), 621–626.
22	
23	Reinschmidt, C., 1996. Three-dimensional tibiocalcaneal and tibiofemoral kinematics during
24	human locomotion - measured with external and bone markers. PhD report, University of
25	Calgary, Alberta, Canada.

Franci, R., Parenti-Castelli, V., Belvedere, C., Leardini, A. et al., 2009. A new one-DOF fully

1

1

2

3

4

Biomech 12(1), 8-16.

5	
6	Sholukha, V., Leardini, A., Salvia, P., Rooze, M., Van Sint Jan, S., 2006. Double-step
7	registration of in vivo stereophotogrammetry with both in vitro 6-DOFs electrogoniometry
8	and CT medical imaging. J Biomech 39(11), 2087–2095.
9	
10	Söderkvist, I., and Wedin, P.A., 1993. Determining the movements of the skeleton using well-
11	configured markers. J Biomech 26(12), 1473-1477.
12	Stagni, R., Fantozzi, S., Cappello, A., 2009. Double calibration vs. Global optimisation:
13	Performance and effectiveness for clinical application. Gait & Posture 29, 119-122.
14	
15	Wu, G., van der Helm, F.C.T., Veeger, H.E.J., Makhsous, M., Van Roy, P., Anglin, C.,
16	Nagels, J., Karduna, A.R., McQuade, K., Wang, X., Werner, F.W., Buccholz, B., 2002. ISB
17	recommendation on definitions of joint coordinate system of various joints for the reporting

Reinschmidt, C., van den Bogert, A. J., Murphy, N., Lundberg, A., Nigg B.M., 1997.

Tibiocalcaneal motion during running, measured with external and bone markers. Clinical

18 of human joint motion—part I: ankle, hip, and spine. J Biomech 38(5), 981–992.

- 19
- 20
- 21
- 22