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# Detecting the Yarkovsky effect with the *Gaia* mission: list of the most promising candidates

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# ABSTRACT

The European Space Agency astrometric Gaia mission, due for a launch in late 2012, will observe a large number of asteroids (>250000 to V = 20 mag) over five years with an unprecedented positional accuracy (at the submilliarcsecond level). Among them, there will be a subset of near-Earth asteroids (NEAs), all sensitive to the tiny non-gravitational force due to the Yarkovsky effect, hardly detectable with ground based astrometry. Here we investigate the potential of Gaia to detect the Yarkovsky effect. From realistic simulated data on the currently known NEAs observable by Gaia, we performed a variance analysis from the observation residuals on a data model linearized with respect to the initial position and velocity of the asteroid and its semimajor axis drift rate (da/dt) – the main secular effect due to the Yarkovsky effect. The partial derivatives necessary to evaluate the expected accuracy with Gaia observations of (da/dt) are obtained by a numerical integration of the variational equations. We thus give the list of the most promising 64 NEAs for the detection of the Yarkovsky effect by Gaia, with an expected precision on (da/dt) better than  $5 \times 10^{-4}$  au Myr<sup>-1</sup> (from underestimated astrometric precision). We also add for each asteroid, the physical parameters to be precisely estimated from complementary ground-based observations (photometric, radar) to accurately model the Yarkovsky effect.

Key words: astrometry – minor planets, asteroids: general.

# **1 INTRODUCTION**

Orbiting the Earth–Sun Lagrangian point  $L_2$ , the European Space Agency astrometric satellite *Gaia* will observe over five years a huge number of minor planets (>250 000) with an unprecedented precision – at the submilliarcsecond. New perspectives in asteroid science have been set forth (Mignard et al. 2007). This includes in particular the weak dynamical effects impacting the motion of asteroids and which, until now, have been neglected because of insufficient observational accuracy. This might not be the case with *Gaia* thanks to its exquisite astrometric capability. Therefore, it is quite relevant to investigate the potential of *Gaia* in detecting nongravitational forces such as the Yarkovsky effect (Delbò, Tanga & Mignard 2008), and to select the best potential candidates in order to improve our knowledge of their physical parameters entering the dynamical model.

Discovered by the Polish civil engineer Ivan O. Yarkovsky (1844– 1902) (Yarkovsky 1901), but brought out of oblivion by Öpik (1951), the eponymous effect may be defined as a radiative re-

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coil of anisotropic re-emission of heat (thermal infrared photons) received from the Sun in the visible. It mainly produces a secular variation in the orbital semimajor axis of km-sized asteroids, and to a lesser degree in the eccentricity. Therefore, this effect cannot be ignored in explaining some aspects of the dynamics of minor planets.

The study of its impact in the motion of asteroids has truly begun with Rubincam's paper (1995): having shown that the observed decay of the Earth satellite *LAGEOS* was due to the Yarkovsky thermal drag (Rubincam 1988) – a seasonal variant that he introduced – the emphasis of his investigation was logically focused on meteorite delivery. Nevertheless, the first to have pointed out the importance of the Yarkovsky effect in the dynamics of such asteroids is P. Farinella (Farinella, Vokrouhlický & Hartmann 1998; Vokrouhlický & Farinella 1999). Indeed, this effect is thought to play a role in shaping some characteristics of the asteroid dynamics (Bottke et al. 2002).

Considered in the long term, it could explain the origin of NEOs, in a scenario previously hypothesized by Peterson (1976) and Afonso, Gomes & Florczak (1995), and showed in Morbidelli & Vokrouhlický (2003): the Yarkovsky effect is capable of delivering asteroids with diameters smaller than 20 km from their original

orbits into powerful resonances, which eventually turn their orbits into Earth-crossing ones. The Yarkovsky effect is also claimed to be an important cause of the dispersion of asteroid dynamical families that collisions cannot explain (Bottke et al. 2001, 2002). It, thus, becomes a decisive factor in estimating the age of asteroid families by means of backward numerical integrations (Nesvorný & Bottke 2004). Furthermore, the Yarkovsky effect has been shown to be significantly involved in the meteorite delivery process to Earth accounting for meteorite cosmic ray exposure ages (Vokrouhlický & Farinella 2000). In addition, a complementary effect, the socalled YORP (a second-order variation on the Yarkovsky effect), is also capable of changing the spin rates and axes of irregular asteroids with diameters not larger than a few km (Rubincam 2000). It could explain the large number of asteroids with a very fast and very slow rotational speed (Kaasalainen et al. 2007; Lowry et al. 2007).

At the short time-scale (~tens of years), direct detections of the Yarkovsky effect are not easy, and were achieved only for a few near-Earth asteroids (NEAs) of which the best known are (6489) Golevka from radar measurements (Chesley et al. 2003) and (152563) 1992 BF from astrometric observations over a longer period of time (~50 yr) (Chesley, Vokrouhlický & Matson 2006). However, this tiny non-gravitational acceleration turns out to be a real problem in deriving precise NEA orbits. In certain cases, a difficulty arises to identify NEAs (Vokrouhlický, Chesley & Matson 2008), predict close Earth approaches and, more important, to estimate direct impact probabilities with the Earth (Giorgini et al. 2002, Milani et al. 2009) because the orbit is too poorly known. Moreover, NEAs, on account of small semimajor axis and high eccentricities, constitute a very valuable set of targets to estimate certain global parameters such as the solar quadrupole  $J_2$ , or the gravitational parametrized post-Newtonian (PPN) parameters  $\beta$  and  $\gamma$ . The improvement of astrometric accuracy, notably with Gaia, offers us the opportunity to attempt these estimations from asteroid observations. To achieve this goal, one needs an accurate dynamical modelling of the NEAs, including the small non-gravitational effects, like Yarkovsky's.

This non-gravitational perturbation depends on physical characteristics of the asteroid (diameter, mass, surface density, thermal inertia, spin, shape, etc.), some of which could be inferred from accurate observations as demonstrated by Chesley et al. (2003) who constrained the bulk density of (6489) Golevka to  $2.7^{+0.4}_{-0.6} \,\mathrm{g}\,\mathrm{cm}^{-3}$ by analysing the non-gravitational effects on its orbit from radar ranging. Mass is probably the most wanted parameter and an important constraint on the internal structure and composition of an asteroid. However, as NEAs are generally small and consequently light, mass derivation by analysing their gravitational perturbations on other Solar system bodies is impossible, even with Gaia astrometric accuracy. Most of them are not binaries or with detectable moons, thus excluding another means of estimating mass. Today, the Yarkovsky effect seems to be the only possibility to assess the mass (Chesley et al. 2003), if spacecraft flybys are not considered.

In Section 2, we describe the simulations used to estimate the potential of *Gaia* in detecting the Yarkovsky effect for known NEAs expected to be observed by the space probe, the dynamical modelling as well as the NEAs tested. In Section 3, we list the best *Gaia* expected precisions on the semimajor axis drift rate – main signature of this effect – and the corresponding NEAs supplemented by many information in view of the *Gaia* observation characteristics, our knowledge about the physical features of each asteroid and numerous issues itemized in Section 1. Finally, prospects are discussed in the framework of the *Gaia* mission.

Ta	ble	1.	Di	stribı	ution	of	168	6	NEAs	with	respect	to	the	numl	ber
of	pre	dic	ted	obse	ervati	ons	by	G	<i>aia</i> . In	pare	ntheses,	the	e nu	mber	of
ast	eroi	ds	wit	h a d	iame	ter	<1	kп	n is giv	en.					

Num	ber of	Number of					
observations n	aste	roids	observations n	aste	(3) (1)		
<i>n</i> < 10	1047	(849)	$50 \le n < 60$	38	(3)		
$10 \le n < 20$	321	(129)	$60 \le n < 70$	16	(1)		
$20 \le n < 30$	121	(43)	$70 \le n < 80$	16	(1)		
$30 \le n < 40$	65	(10)	$80 \le n < 100$	11	(1)		
$40 \le n < 50$	47	(10)	<i>n</i> > 100	7	(-)		

### 2 DYNAMICAL MODELLING AND SIMULATIONS

#### 2.1 The observation of known NEAs by Gaia

Fitted with its two telescopes, *Gaia* will carry out a 5-yr continuous survey of the sky, visiting and revisiting celestial areas according to a well-defined pattern determined by its complex scanning law. It will orbit the Earth–Sun Lagrangian point  $L_2$  on a Lissajous orbit, and all the sufficiently point-like sources brighter than V = 20 mag will be repeatedly observed. An overview of the mission, the observing principle and its implications for Solar system objects are given in Mignard et al. (2007). From a software developed for the mission preparation and caring for the updated observational characteristics of the satellite, we performed a systematic exploration of the *Gaia* transit times from 2012 January 1, over a period of five years for 6930 known NEAs. Their orbital elements and absolute magnitude – necessary to filter out the non-detectable crossings of faint sources – were taken from the ASTORB catalogue of Bowell.<sup>1</sup>

1686 NEAs – about one-quarter of the initial sample – are expected to meet the *Gaia* detection limit to be observed. They are objects hard to observe because they are simultaneously fast moving and faint. Looking at the distribution of the number of transits in Table 1, one sees that about 38 per cent will be observed at least 10 times, and about 12 per cent with a subkm diameter, based on an estimate from the MPC (light-curve parameters) or concluded from the diameter as a function of the absolute magnitude *H* and the geometric visible albedo  $p_v$  as (Bowell et al. 1989)

$$d = \frac{1329}{\sqrt{P_v}} \times 10^{-0.2H} \text{ (km)}.$$
 (1)

The albedo being poorly known in the NEA population, the debiased average value ( $p_v = 0.14$ ) was used (Stuart & Binzel 2004).

The position of the objects observed by *Gaia* will be expressed in longitude  $\lambda$  and latitude  $\beta$  on a reference great circle computed from the mean positions of instantaneous scanning circles over one period. However, the along-scan (AL) precision  $\sigma_{\lambda}$  will be much better than in the across-scan direction; therefore, only the *Gaia* longitude will be considered in our simulations. More details can be read in Mignard et al. (2007).

The focal plane of the *Gaia* telescopes will be filled with a mosaic of CCDs. An asteroid entering in the field of view will first pass across one of the two sky mappers, and then the astrometric field (AF) composed of nine columns of CCDs, providing as many independent and nearly simultaneous 1D positions. The expected astrometric accuracy for a stellar source for one full transit (nine individual CCD measurements) is shown in Fig. 1, using the current

<sup>&</sup>lt;sup>1</sup> ftp://ftp.lowell.edu/pub/elgb/astorb.html



**Figure 1.** The expected astrometric precision of individual observations  $\sigma_{\lambda}$  for one transit (nine CCD measurements) in the case of non-moving objects. The sawtooth feature at the bright end results from the on-board handling of the CCD saturation. The trade-off between the number of teeth and their amplitude is not yet final.

instrument parameters. The AF precision of a single observation for one CCD in the case of non-moving point-like sources is currently estimated to 0.1 mas for V < 13 mag and reaches 3 mas at V =20 mag (De Bruijne 2009). Regarding moving objects, the astrometric precision is not yet precisely known. We tried to define a realistic preliminary AL precision as a function of the apparent magnitude V and also by considering the AL apparent velocity of the object based on current simulations in estimating the centroiding error produced by the apparent velocity over one CCD (Dell'Oro, private communication). The maximum apparent velocity of a main-belt asteroid (MBA), of the order of 30 mas s<sup>-1</sup>, should not produce an error greater than 15-20 per cent of the nominal error, while for fast NEAs, velocities larger than 100 mas s<sup>-1</sup>, this can be of the order of the nominal error or little more larger. Therefore, we have defined two plots in Fig. 2 representing the AL astrometric precision with respect to the apparent magnitude V. The first plot (continuous line) is the case where the AL apparent velocity is less than  $33.3 \text{ mas s}^{-1}$ (the fastest MBA apparent velocity found from a very huge sample), we added an additional error of 20 per cent at the nominal precision - that for non-moving object - and 130 per cent (arbitrary value) in the second plot (dashed line) for the fastest NEAs. However, the



**Figure 2.** The expected AL accuracy of individual observations  $\sigma_{\lambda}$  of a moving object as a function of the apparent magnitude, for slow moving main-belt objects (solid curve) and fast-moving NEAs (dashed curve). The astrometric accuracy is for the measurement over one CCD, equivalent to a frame of 4.5 s.

© 2011 The Authors, MNRAS **413**, 741–748 Monthly Notices of the Royal Astronomical Society © 2011 RAS AL accuracy should be better than those we consider because the asteroid position will be derived from signals collected by several CCDs (10 for the optimal cases) and not only one as here. Nevertheless, fast apparent moving objects such as certain NEAs will not cross all the *Gaia* focal plane.

#### 2.2 Modelling the Yarkovsky force

Regarding the Yarkovsky effect, a wide range of modelling is possible: from a simple estimation of the secular drift rate in the semimajor axis (da/dt) by a transverse force, in order to detect the effect, to sophisticated non-linear models incorporating the irregular shape and spin state of the asteroid (Chesley et al. 2003) in order to evaluate asteroid physical parameters. An intermediate level of refinement can be found in Vokrouhlický (1998, 1999) assuming a spherical body, and a force as a function of many parameters: diameter, mass, spin state, surface thermal conductivity, surface porosity, specific heat capacity and spin obliquity vector with respect to the Sun.

This paper aims primarily to list the most valuable asteroids to detect the Yarkovsky effect and not to prepare the data analysis, so a simplified dynamical model is acceptable. We then chose to just model the transverse force  $F_t$  which produces a secular drift (da/dt) of the semimajor axis – constant parameter to be fitted – and depends on the inverse of the square heliocentric distance r (Chesley & Vokrouhlický 2008), thus imitating the solar flux responsible for the Yarkovsky effect:

$$\boldsymbol{F}_{t} = \frac{n}{2} \frac{a^{2}(1-e^{2})}{r^{2}} \left(\frac{\mathrm{d}a}{\mathrm{d}t}\right) \boldsymbol{t},\tag{2}$$

where *n* is the mean motion of the asteroid, *e* the eccentricity, v the true anomaly and *t* is the unit vector in the transverse direction defined by

$$t = \frac{(\mathbf{r} \times \mathbf{v}) \times \mathbf{r}}{\|(\mathbf{r} \times \mathbf{v}) \times \mathbf{r}\|}$$
(3)

with r and v, the respective heliocentric position and velocity vectors of the asteroid.

Despite its simplicity, this representation gives a good approximation of the effect and requires only the knowledge of the asteroid orbital elements. This allows us to overcome the poor knowledge of the NEA physical parameters on which the Yarkovsky effect depends. In addition, estimating the *Gaia* expected precision on (da/dt) enables us to select the best candidates to detect this effect, and to investigate the possibility to constrain further physical parameters by analysing the perturbations in the asteroid motion.

#### 2.3 Variance analysis

From simulated data, we performed a variance analysis for the position and velocity vectors  $\boldsymbol{u}_0 = (\boldsymbol{r}_0, \dot{\boldsymbol{r}}_0)$  of each asteroid at the initial epoch  $T_0$  and the semimajor axis drift rate  $\dot{a}$  due to a transverse force (see equation 2). The reference time  $T_0$  is taken at the centre of the *Gaia* observational time-span (2012–2017), that is  $T_0 = \text{JD} 245\,6841.125$  (2014 July 3).

We have considered a linear least-square problem to fit the unknown parameters on the observation residuals:

$$\mathbf{W}^{1/2}(\mathbf{O} - \mathbf{C}) = \mathbf{W}^{1/2} \mathbf{A} \begin{pmatrix} \delta \boldsymbol{u}_0 \\ \delta \dot{\boldsymbol{a}} \end{pmatrix}$$
$$\Rightarrow \begin{pmatrix} \delta \boldsymbol{u}_0 \\ \delta \dot{\boldsymbol{a}} \end{pmatrix} = (\mathbf{A}^{t} \mathbf{W} \mathbf{A})^{-1} \mathbf{A}^{t} \mathbf{W} (\mathbf{O} - \mathbf{C}), \tag{4}$$

where  $(\mathbf{0} - \mathbf{C})$  are the observed minus computed positions in *Gaia* longitude  $\lambda$ . The corrections to the initial state vector  $(\mathbf{u}_0, \dot{a})$  are  $(\delta \boldsymbol{u}_0, \delta \dot{a}).$ 

The weighting matrix **W** is defined by

$$\mathbf{W} = \begin{pmatrix} \ddots & & 0 \\ & \sigma_i^{-2} & \\ 0 & & \ddots \end{pmatrix},$$

where  $\sigma_i$  is the error on the asteroid position at the *i*th simulated observation date from the apparent magnitude and velocity of the asteroid converted to Gaia astrometric precision (see Fig. 2).

The matrix **A** contains the partial derivatives of the longitudes  $\lambda$ with respect to the state vector  $(\boldsymbol{u}_0, \dot{a})$ ,

$$\mathbf{A} = \begin{pmatrix} \vdots & \vdots \\ \frac{\partial \lambda_i}{\partial u_0} & \frac{\partial \lambda_i}{\partial a} \\ \vdots & \vdots \end{pmatrix}.$$

The elements of the matrix  $(\partial \lambda_i / \partial \boldsymbol{u}_0)$ ,  $(\partial \lambda_i / \dot{a})$  are decomposed with respect to the rectangular coordinates:

$$\frac{\partial \lambda_i}{\partial \boldsymbol{u}_0} = \sum_{q=1}^3 \frac{\partial \lambda_i}{\partial r_q} \frac{\partial r_q}{\partial \boldsymbol{u}_0}, \quad \frac{\partial \lambda_i}{\partial \dot{a}} = \sum_{q=1}^3 \frac{\partial \lambda_i}{\partial r_q} \frac{\partial r_q}{\partial \dot{a}}.$$

They are then evaluated by analytically computing the quantities  $(\partial \lambda_i / \partial r_a)$ , while the equations of motion taking into account the planetary perturbations (in the force function F) are numerically integrated,

$$\ddot{\boldsymbol{r}}(t) = \boldsymbol{F}(t) \tag{5}$$

together with the variational equations,

$$\frac{\mathrm{d}^2}{\mathrm{d}t^2} \left(\frac{\partial r_q}{\partial \mathbf{r}_0}\right) = \sum_{n=1}^3 \left(\frac{\partial F_q}{\partial r_n}\frac{\partial r_n}{\partial \mathbf{r}_0} + \frac{\partial F_q}{\partial \dot{r}_n}\frac{\partial \dot{r}_n}{\partial \mathbf{r}_0}\right),$$
$$\frac{\mathrm{d}^2}{\mathrm{d}t^2} \left(\frac{\partial r_q}{\partial \dot{a}}\right) = \frac{\partial F_q}{\partial \dot{a}} + \sum_{n=1}^3 \left(\frac{\partial F_q}{\partial r_n}\frac{\partial r_n}{\partial \dot{a}} + \frac{\partial F_q}{\partial \dot{r}_n}\frac{\partial \dot{r}_n}{\partial \dot{a}}\right).$$

The formal precisions of the fitted parameters are then given by the diagonal elements of the inverse normal matrix  $(\mathbf{A}^{t}\mathbf{W}\mathbf{A})^{-1}$ . The matrix inversion is obtained by the singular value decomposition, which allows us to evaluate the conditioning of the normal matrix, and so the stability of the solution.

## **3 RESULTS**

The most promising candidates for a Yarkovsky effect detection by Gaia are listed in Tables 2 and 3; Table 4 refers to non-NEAs. The Yarkovsky effect has not been seen yet for the NEAs of Table 2 unlike those in Table 3 (Chesley & Vokrouhlický 2008). The asteroids with diameters greater than 20 km were deleted from the list. The first two columns give the international astronomical union (IAU) number, when available, and the name of the asteroid. If the latter is a binary system, the letter B is written. We list the semimajor axis a and the eccentricity e of the NEA, a diameter estimate – the symbol (\*) depicts an estimation from the absolute magnitude and albedo as to equation (1) – which is an important clue about the sensitivity to the Yarkovsky effect. The expected precision on the semimajor axis drift rate  $\sigma(da/dt)$  from simulated Gaia data is

of the Yarkovsky force in the Gaia data, we estimated the detection level as the ratio between (da/dt) and the Gaia formal precision for this parameter. In Table 2, (da/dt) was numerically estimated from formulas used in the modelling of the Yarkovsky perturbations by Vokrouhlický (1998, 1999), while in Table 3, (da/dt) was taken from Chesley & Vokrouhlický (2008). Realistic values were used for the asteroid physical properties required by the model: the diameter, either taken from a direct measurement or estimated from the absolute magnitude and albedo (see Section 2.1), the thermal conductivity, assumed to  $0.01 \text{ W m}^{-1} \text{ K}^{-1}$ , the albedo to 0.14 (Stuart & Binzel 2004), the surface and bulk densities, respectively, to 1.7 and  $2.5 \text{ g cm}^{-3}$ , and the specific heat capacity to 600 J kg<sup>-1</sup> K<sup>-1</sup>. For the sake of simplicity, we considered a null obliquity which maximizes the Yarkovsky effect. Regarding the rotation period, when it is not known, the set of known ones is used to compute a mean of the drift rate (da/dt). Given the short lifetime of Gaia operations and the fact that the Yarkovsky forces produce a perturbation in the orbital longitude that propagates as  $\propto t^2$  and that the effects from the change of the initial conditions  $u_0$  is as  $\propto t$ , we have added a supplementary column to indicate the minimum and maximum absolute values found for the correlations between (da/dt) and the initial vector  $\boldsymbol{u}_0$ . Additional information about the *Gaia* observations of each asteroid can be read in the next columns with the total number (nb. obs.) and those for which the apparent velocity exceeds the critical threshold (see Section 2.1), the observational arc in years and the mean apparent magnitude mean V of the object. We then mention the possibility to have future radar measurements of each NEA from Vokrouhlický et al. (2005) for a potential combination with the *Gaia* astrometric measurements (see Section 4), as well as the current knowledge of the spin state and shape, respectively, from the Collaborative Asteroid Lightcurve Link (CALL)<sup>2</sup> and the data base of asteroid models from Inversion Techniques (DAMIT).<sup>3</sup> This final quantity is required to accurately model the Yarkovsky effect, and to investigate the possibility to constrain some of the parameters on which it depends, by analysing its non-gravitational signature on the dynamics of each asteroid. However, we need to have robust solutions for these physical parameters, and even if Gaia will perform such a derivation for several thousands of asteroids, the geometry of NEA observations could prevent us from deriving precise estimates (Delbò et al. 2008), hence, the necessity to complete the Gaia observations by ground-based observations (photometric, radar) (Thuillot, Tanga & Hestroffer 2009). Indeed, we noticed a problem with the conditioning of the normal matrix for all the objects selected.

The last three columns of Tables 2 and 3 pertain to the modelling of the dynamics of each NEA in relation with close Earth encounters. The first one refers to the number of times the asteroid will pass within 0.2 au from the Earth between 2020 and 2040 - the detailed close approaches are given in Table 5 - while the other two indicate if the NEA is useful to derive the solar quadrupole  $J_2$  and the PPN parameters  $\beta$  from the *Gaia* data (Mignard et al. 2007).

The dynamical model used will be essential to accurately measure the Yarkovsky effect from the asteroid dynamics. At present, the uncertainty in the gravitational perturbations by massive asteroids can be an important source of error because of the large uncertainty of their masses. So, we searched whether close approaches between massive asteroids and NEAs listed in Tables 2 and 3 could take

<sup>&</sup>lt;sup>2</sup> http://www.minorplanetobserver.com/astlc/LightcurveParameters.htm <sup>3</sup> http://astro.troja.mff.cuni.cz/projects/asteroids3D/web.php

**Table 2.** List of the most promising sub-20 km NEAs for a first Yarkovsky effect detection. The IAU number and the name of the NEA (the letter B refers to binary systems) are given, as well as the semimajor axis *a* and the eccentricity *e*, a diameter estimate *d*, the expected precision on the semimajor axis drift rate  $\sigma(da/dt)$ , the ratio between (da/dt) and  $\sigma(da/dt)$  – the asteroid name is in bold when the latter is greater than 2 – the minimum and the maximum absolute values found among the correlations between (da/dt) and  $u_0$ , the total number of *Gaia* observations (nb. obs.) and of those where the apparent AL velocity is considered as critical, the observation *arc*, the mean apparent magnitude *mean V*, the possibility for future radar measurements, the current knowledge of the spin state and the shape of the asteroid, the number of the encounters with the Earth. The last column is the interest of the asteroid in fitting the solar quadrupole  $J_2$  and the PPN parameter  $\beta$  from the *Gaia* data.

	Astoroid		Ort	oital	Diam	$\sigma(da/d4)$	a/=(*)	Completion	G	<i>faia</i> ol	os.	Dodor	Available	Eantl-	C	
n0 IAII	Asteroid		ele	em.	Diam.	$\sigma(da/dt)$	$a/\sigma(a)$	Correlations	chai	racter	ISTICS Moon V	Radar	data Spin Shop	Earth	- G0	ina
II <sup>a</sup> IAU	name		(au)	e	a (km)	(au Myr <sup>-1</sup> )		$(\min u_0)$	nd. ods.	(yr)	Weatt V	candidate	spin snap	e enc.	$\beta$	$J_2$
	2005 GO21		0.75	0.34	1.9*	$4.49 \times 10^{-5}$	3.5	0.19-0.39	40-5	4.2	18.0			2		x
3554	Amun		0.97	0.28	2.1	$5.81 \times 10^{-3}$	2.9	0.17-0.66	134-10	4.9	18.0			-	X	
163243	2002 FB3		0.76	0.60	2.0*	$7.34 \times 10^{-3}$	2.1	0.10-0.56	48-9	4.4	18.3			-	X	X
2062	Aten		0.97	0.18	0.9	$8.66 \times 10^{-3}$	1.2	0.32-0.84	100-15	4.9	18.3	X		2		
96590	1998 XB		0.91	0.35	1.7	$9.50 \times 10^{-3}$	0.2	0.00-0.72	28-6	4.9	18.4			2		
162980	2001 RR17	_	1.55	0.49	1.6*	$1.04 \times 10^{-4}$	2.2	0.01-0.19	58-14	4.5	18.7			-		
137170	1999 HF1	В	0.82	0.46	3.6	$1.07 \times 10^{-4}$	0.8	0.28-0.63	54-3	4.4	16.7			1		
5381	Sekhmet	В	0.95	0.30	1.5	$1.09 \times 10^{-4}$	1.3	0.11-0.35	101-12	4.3	18.4			1		
3753	Cruithne		1.00	0.51	3.0	$1.11 \times 10^{-4}$	0.6	0.18-0.47	78-15	4.4	18.3			-		
66146	1998 TU3		0.79	0.48	3.7	$1.14 \times 10^{-4}$	0.8	0.22-0.77	64-8	4.3	16.6			6	X	X
66391	1999 KW4	В	0.64	0.69	1.3	$1.24 \times 10^{-4}$	1.3	0.17-0.59	34-8	4.3	18.1			5	X	X
137924	2000 BD19		0.88	0.90	1.3*	$1.38 \times 10^{-4}$	1.7	0.63-0.84	32-5	4.9	19.0			2	X	X
154555	2003 HA		1.18	0.58	1.7*	$1.40 \times 10^{-4}$	1.5	0.13-0.58	48-8	4.9	18.9			-		
138852	2000 WN10		1.00	0.30	0.3*	$1.46 \times 10^{-4}$	6.9	0.00-0.59	17-6	4.0	18.9	X		8		
	2004 BO41		1.02	0.49	1.2*	$1.48 \times 10^{-4}$	2.0	0.01-0.25	30-8	4.3	18.7			-		
	2004 QY2		1.08	0.48	4.2*	$1.50 \times 10^{-4}$	0.5	0.41-0.84	79-12	4.4	17.1			3		
163899	2003 SD220		0.83	0.21	1.6*	$1.61 \times 10^{-4}$	1.3	0.03-0.91	46-1	3.8	18.2			3		
1943	Anteros		1.43	0.26	2.0	$1.61 \times 10^{-4}$	1.0	0.02-0.53	81-1	4.9	18.6			2		
142563	2002 TR69		1.66	0.34	1.4*	$1.65 \times 10^{-4}$	1.4	0.07-0.58	50-4	4.4	19.0			-		
137925	2000 BJ19		1.29	0.76	2.3*	$1.71 \times 10^{-4}$	0.8	0.09–0.57	37-6	5.0	18.6			-	X	X
3103	Eger		1.40	0.35	2.2	$1.72 \times 10^{-4}$	0.7	0.05-0.75	73-1	4.9	18.3	X	X	-		
	2007 EX		0.87	0.42	1.4*	$1.76 \times 10^{-4}$	1.2	0.24-0.86	84-6	4.9	19.2			1	X	
4953	1990 MU		1.62	0.66	2.8	$1.88 \times 10^{-4}$	0.3	0.11-0.75	139-34	4.3	17.7			1		
10563	Izhdubar		1.01	0.27	1.1	$1.89 \times 10^{-4}$	0.6	0.19-0.72	142-58	5.0	19.1			-		
87684	2000 SY2		0.86	0.64	1.8	$1.92 \times 10^{-4}$	0.6	0.27-0.93	68-5	4.4	18.6			3	X	X
105140	2000 NL10		0.91	0.82	2.1	$2.05 \times 10^{-4}$	0.5	0.24–0.77	84-26	4.2	18.4			-	X	X
	2006 VB14		0.77	0.42	0.7*	$2.06 \times 10^{-4}$	2.3	0.14-0.57	16-3	4.2	19.0			-		
137805	1999 YK5		0.83	0.56	1.6*	$2.21 \times 10^{-4}$	0.9	0.16-0.96	74-6	4.9	18.8			-	X	X
164121	2003 YT1	В	1.11	0.29	1.0	$2.35 \times 10^{-4}$	0.6	0.03-0.84	59-4	4.4	19.1			2		
68216	2001 CV26		1.32	0.33	1.9*	$2.53 \times 10^{-4}$	0.7	0.08-0.99	51-6	4.2	17.6			-		
4769	Castalia		1.06	0.48	1.3	$2.59 \times 10^{-4}$	1.0	0.59–0.94	56-4	4.1	18.7		×	2		
33342	1998 WT24		0.72	0.42	0.4	$2.78 \times 10^{-4}$	1.3	0.47–0.76	27-4	4.3	19.2	X		3		
88710	2001 SL9	В	1.06	0.27	0.8	$2.78 \times 10^{-4}$	1.4	0.07 - 0.78	93-15	4.6	19.2			1		
138127	2000 EE14		0.66	0.53	1.4*	$2.81 \times 10^{-4}$	0.8	0.41-0.70	39-13	4.4	18.6			5		X
1864	Daedalus		1.46	0.61	3.0	$2.83 \times 10^{-4}$	0.3	0.08-0.39	79-2	4.9	18.6			-		
219071	1997 US9		1.05	0.28	1.1	$2.94 \times 10^{-4}$	0.9	0.52-0.94	62-11	3.8	19.3			-		
153415	2001 QP153		0.89	0.21	1.4*	$3.14 \times 10^{-4}$	0.7	0.00-0.77	43-13	4.9	19.0			2		
	2006 WY2		0.98	0.33	0.7*	$3.15 \times 10^{-4}$	1.5	0.31-0.64	28-6	5.0	19.3			-		
	2001 QL142		1.05	0.50	0.9*	$3.18 \times 10^{-4}$	1.1	0.26-0.82	43-11	4.8	19.6			1		
162385	2000 BM19		0.74	0.36	0.9*	$3.23 \times 10^{-4}$	1.2	0.15-0.83	35-6	4.0	19.6			3		
138847	2000 VE62		1.62	0.29	1.6*	$3.25 \times 10^{-4}$	0.7	0.26-0.75	52-8	4.7	18.6			-		
86667	2000 FO10		0.86	0.59	1.0	$3.26 \times 10^{-4}$	0.4	0.04–0.76	30-3	4.5	19.2			5	X	X
	2007 BG29		0.83	0.33	0.9*	$3.29 \times 10^{-4}$	1.0	0.01-0.95	18-0	3.4	18.5			2		
163693	2003 CP20		0.74	0.32	1.6	$3.61 \times 10^{-4}$	0.5	0.22-0.59	35-1	3.4	18.4			-		
12711	Tukmit		1.19	0.27	1.7	$3.76 \times 10^{-4}$	0.4	0.04-0.56	72-12	4.4	18.6			1		
68267	2001 EA16		1.51	0.43	1.4*	$3.98 \times 10^{-4}$	0.6	0.03-0.73	47-10	4.8	19.1			2		
	2002 XH4		1.61	0.27	0.5*	$4.05 \times 10^{-4}$	1.6	0.19-0.79	41-1	3.9	18.3			-		
1866	Sisyphus		1.89	0.54	8.6	$4.05 \times 10^{-4}$	0.1	0.10-0.60	75-2	4.6	17.4			-		
1036	Ganymed		2.66	0.53	31.6	$4.05 \times 10^{-4}$	0.0	0.14-0.36	75-0	4.9	15.0		х х	-		
7889	1994 LX		1.26	0.35	1.8	$4.09 \times 10^{-4}$	0.3	0.20-0.78	47-9	3.7	17.6			-		
	2006 KM103		1.58	0.38	0.3*	$4.09 \times 10^{-4}$	2.5	0.15-0.91	25-5	4.0	19.3			-		
	1998 QR52		1.04	0.29	0.5	$4.13 \times 10^{-4}$	0.3	0.08 - 0.55	28-5	3.9	19.2			-		
	2009 AV		1.03	0.07	0.9*	$4.31 \times 10^{-4}$	0.9	0.23-0.70	44-19	3.2	19.2			4		
	2005 TG45		0.68	0.37	1.1*	$4.46 \times 10^{-4}$	0.6	0.64-0.93	58-2	4.0	19.5			-		

# Table 2 – continued

Asteroid		Orb ele	oital m.	Diam.	$\sigma(\mathrm{d}a/\mathrm{d}t)$	$\dot{a}/\sigma(\dot{a})$	Correlations	G char	<i>aia</i> ob acteris	s. stics	Radar	Ava d	ilable ata	Earth	n <i>Gaia</i>	
n <sup>o</sup> IAU	name	a (au)	е	d (km)	(au Myr <sup>-1</sup> )		with $\boldsymbol{u}_0$ (min–max)	nb. obs.	arc (yr)	Mean V	candidate	Spin	Shape	enc.	fitti β	ng J <sub>2</sub>
53110	1999 AR7	1.64	0.21	1.6*	$4.57 \times 10^{-4}$	0.3	0.08-0.67	34-5	4.5	19.2				-		
85818	1998 XM4	1.66	0.42	2.8*	$4.68 \times 10^{-4}$	0.2	0.41-0.53	48-4	4.1	18.7				1		
3200	Phaethon	1.27	0.89	5.1	$4.82 \times 10^{-4}$	0.2	0.18-0.52	78-14	4.9	18.2		X		-	X	X
6569	Ondaatje	1.63	0.22	1.5	$4.82 \times 10^{-4}$	0.4	0.19-0.82	57-0	4.5	19.4				-		
144332	2004 DV24	1.42	0.29	1.7*	$4.93 \times 10^{-4}$	0.2	0.03-0.60	44-11	4.7	19.3				1		
	2008 EA32	0.62	0.30	1.8*	$4.93 \times 10^{-4}$	0.3	0.16-0.84	43-21	2.9	18.1				1		

Table 3. List of the most promising sub-20 km NEAs listed in Chesley & Vokrouhlický (2008) to detect anew the Yarkovsky effect.

	Asteroid	Orbi elei	ital n.	Diam.	$\sigma(\mathrm{d}a/\mathrm{d}t)$	$\dot{a}/\sigma(\dot{a})$	Correlations	<i>G</i> char	<i>aia</i> ob acteris	s. stics	Radar	Ava d	ilable ata	Earth	Ga	aia
nº IAU	name	a (au)	е	d (km)	(au Myr <sup>-1</sup> )		with $u_0$ (min–max)	nb. obs.	arc (yr)	Mean V	candidate	Spin	Shape	enc.	fitt $\beta$	$I_2$
1685	Toro	1.37	0.44	4.1	$9.28  imes 10^{-5}$	0.6	0.32-0.96	93-4	4.6	17.2		x		3		
2100	Ra-Shalom	0.83	0.44	2.8	$1.33 \times 10^{-4}$	5.3	0.17 - 0.87	52-13	4.2	17.7	×	X	X	4	X	X
1620	Geographos	1.25	0.34	2.5	$1.84 \times 10^{-4}$	0.6	0.16-0.79	72-4	4.9	18.2	X	×	X	2		
2063	Bacchus	1.08	0.35	1.1	$2.48\times10^{-4}$	4.3	0.20-0.56	109-9	4.1	18.8		X		2		

Table 4. List of the best 10 Gaia expected precisions on da/dt for non-NEAs.

	Asteroid		Orbita	l elem.	Diam.	$\sigma(da/dt)$	Gaia o	bs. charac	teristics
nº IAU	name		a (au)	е	d (km)	(au Myr <sup>-1</sup> )	nb. obs	Arc (yr)	Mean V
1139	Atami	В	1.95	0.26	9.3	$1.13 \times 10^{-4}$	74	4.8	16.4
1747	Wright		1.71	0.11	6.3	$1.14 \times 10^{-4}$	102	4.6	16.8
3800	Karayusuf		1.58	0.08	3.0	$1.41 \times 10^{-4}$	83	5.0	17.9
1103	Sequoia		1.93	0.09	6.5	$1.54 \times 10^{-4}$	93	4.8	16.5
	2010 CP8		1.72	0.21	5.6*	$1.59 \times 10^{-4}$	90	4.5	17.5
6618	1936 SO		1.88	0.04	5.3	$1.71 \times 10^{-4}$	89	4.7	17.0
4764	Joneberhart		1.93	0.05	4.6	$1.79 \times 10^{-4}$	98	5.0	17.6
2629	Rudra		1.74	0.23	4.5*	$1.87 \times 10^{-4}$	73	4.3	17.7
5427	Jensmartin		1.93	0.07	5.3	$2.02 \times 10^{-4}$	68	4.9	17.2
244	Sita		2.17	0.14	10.9	$2.11 \times 10^{-4}$	62	4.8	16.4

place during the *Gaia* mission. We found that a few perturbers – mainly (1) Ceres – are involved in a significant encounter, meaning with a deflection angle of the perturbed NEA >1 mas, during this period. Besides, all these perturbers will have a mass well derived by *Gaia* and, very accurately for both of them, (1) Ceres and (4) Vesta, by Dawn (Russell et al. 2007). Thus, the perturbing asteroids should not be a problem in the modelling of the Yarkovsky effect.

Despite our using an underestimated astrometric performance in the variance analysis – (see Section 2.1) – we found 64 promising NEAs to detect the Yarkovsky effect with a precision on (da/dt)smaller than  $5 \times 10^{-4}$  au Myr<sup>-1</sup> – this precision corresponds to the current levels obtained from radar measurements over much larger period of time (Chesley & Vokrouhlický 2008) – and 10 showing a ratio  $\dot{a}/\sigma(\dot{a}) \ge 2$ . The last mentioned can be considered as the best candidates for a clean detection. A realistic extrapolation of the results given in Tables 2 and 3 in the case of an optimal precision (nominal error from Fig. 1) would consist in dividing the formal precisions on (da/dt) by ~3 given that the mean apparent magnitude of each selected NEA is greater than 16 mag, and that the comparison of the two expected *Gaia* astrometric precisions for non-moving objects, one used as nominal error in Fig. 2 for moderate apparent velocities and the other one directly plotted in Fig. 1, shows a ratio of  $\sim 3$  (in fact consistent with nine CCD crossings) from the apparent magnitude V = 14 mag. More than the precision, the number of candidates for a Yarkovsky detection is really interesting because a larger choice of asteroids to be studied is given. In addition, *Gaia* will discover new NEAs, some of them will probably contribute to expand the list of the best candidates. Furthermore, the impact of systematic errors in the measurement of the Yarkovsky effects will be limited because of the short observational time-span of the mission and the accurate dynamical model that will be used for fitting – many masses of perturbing asteroids estimated etc.

The NEAs are well known to be the most sensitive object to the Yarkovsky effect, because they are small objects (low mass) with a small perihelion – strong solar radiation. However, other asteroids can have a motion affected by this effect, albeit smaller. Therefore, the variance analysis on the (da/dt) was extended to the other asteroids that *Gaia* will observe (>230 000). Of course, the asteroids not having too small a number of observations for the least-square treatment were automatically rejected. The best 10 precisions on (da/dt) are listed in Table 4, which are better than 2.11 ×  $10^{-4}$  au Myr<sup>-1</sup>, but do not allow us to foresee a significant detection:

**Table 5.** List of the close approaches (minimum distance  $\leq 0.2$  au) from 2020 to 2040 between the Earth and the NEAs listed in Tables 2 and 3. The asteroid designation is supplemented by the expected precision on (da/dt), the encounter date and the impact parameter *min. dist.* 

 $\sigma(da/dt)$ 

 $(au Myr^{-1})$ 

 $1.84 \times 10^{-4}$ 

 $9.28 \times 10^{-5}$ 

 $1.61 \times 10^{-4}$ 

 $8.66 \times 10^{-5}$ 

 $2.48 \times 10^{-4}$ 

 $1.33 \times 10^{-4}$ 

 $2.59 \times 10^{-4}$ 

 $1.88 \times 10^{-4}$ 

 $1.09 \times 10^{-4}$ 

 $3.76 \times 10^{-4}$ 

 $2.78 \times 10^{-4}$ 

 $1.14 \times 10^{-4}$ 

 $1.24 \times 10^{-4}$ 

 $3.98 \times 10^{-4}$ 

 $4.68 \times 10^{-4}$ 

 $3.26 \times 10^{-4}$ 

 $1.92 \times 10^{-4}$ 

the ratio between numerical estimates (da/dt) as in Table 2 and the

Gaia expected precisions  $\sigma(da/dt)$  are always smaller than one –

Earth encounters

Min. dist.

(au)

0.170

0.114

0.133

0.129

0.139

0.132

0.066

0.191

0.133

0.120

0.126

0.187

0.173

0.191

0.156

0.110

0.129

0.031

0.199

0.129

0.101

0.050

0.027

0.089

0.090 0.083

0.132

0.118

0.161

0.160

0.197

0.112

0.015

0.112

0.063

0.132

0.126

0.190

0.197

0.149

0.135

0.172

0.145

0.051

0.105

Date

(d/m/yr)

12/08/2026

12/03/2040

20/01/2024

20/01/2032

21/01/2040

30/05/2026

23/05/2038

31/12/2032

20/01/2034

30/03/2024

14/09/2031

31/08/2022

12/08/2025

15/10/2035

05/10/2038

22/08/2023

04/04/2027

06/06/2027

20/05/2038

15/07/2022

24/12/2026

26/11/2029

20/12/2040

05/11/2024

26/08/2026

07/11/2031 01/09/2033

06/11/2038

07/09/2040

26/05/2020

02/06/2034

29/05/2035

25/05/2036

26/05/2037

02/10/2027

25/09/2040

18/05/2027

02/03/2023

15/05/2024

18/05/2028

19/05/2032

17/05/2036

17/09/2027

13/09/2031

10/09/2035

Asteroid

name

Toro

Anteros

Aten

Bacchus

Ra-Shalom

Castalia

1990 MU

Sekhmet

Tukmit

1998 WT24

1998 TU3

1999 KW4

2001 EA16

1998 XM4

2000 FO10

2000 SY2

0.6 is the maximum value found.

**4 PERSPECTIVES** 

Geographos

nº IAU

1620

1685

1943

2062

2063

2100

4769

4953

5381

12711

33342

66146

66391

68267

85818

86667

87684

Detecting the Yarkovsky effect with Gaia 747

Fable 5 –	continued
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1	Asteroid	$\sigma(\mathrm{d}a/\mathrm{d}t)$	Earth end	counters
nº IAU	name	$(auMyr^{-1})$	Date (d/m/yr)	Min. dist (au)
88710	2001 SL9	$2.78  imes 10^{-4}$	27/04/2026	0.199
96590	1998 XB	$9.50 \times 10^{-5}$	28/11/2029 14/11/2035	0.182 0.172
137170	1999 HF1	$1.07 \times 10^{-4}$	16/03/2022	0.181
137924	2000 BD19	$1.38 \times 10^{-4}$	10/02/2020 13/02/2029	0.112 0.109
138127	2000 EE14	$2.81 \times 10^{-4}$	06/03/2021 06/03/2028 26/02/2029 07/03/2035 27/02/2036	0.168 0.171 0.179 0.174 0.174
138852	2000 WN10	$1.46 \times 10^{-4}$	10/11/2020 10/11/2021 10/11/2022	0.137 0.142 0.148
			10/11/2023 10/11/2024 10/11/2025 11/11/2026 11/11/2027	0.155 0.163 0.173 0.184 0.197
144332	2004 DV24	$4.93 \times 10^{-4}$	10/09/2035	0.094
153415	2001 QP153	$3.14 \times 10^{-4}$	07/08/2033 18/08/2038	0.128 0.186
162385	2000 BM19	$3.23 \times 10^{-4}$	13/01/2023 09/01/2030 01/03/2039	0.085 0.097 0.123
163899	2003 SD220	$1.61 \times 10^{-4}$	17/12/2021 02/12/2024 12/11/2027	0.036 0.088 0.138
164121	2003 YT1	$2.35 \times 10^{-4}$	03/11/2023 05/11/2030	0.059 0.148
	2001 QL142	$3.18 \times 10^{-4}$	09/09/2031	0.120
	2004 QY2	$1.50 \times 10^{-4}$	08/07/2020 15/07/2029 22/07/2038	0.163 0.048 0.172
	2005 GO21	$4.49 \times 10^{-5}$	20/06/2027 22/06/2029	0.196 0.046
	2007 BG29	$3.29 \times 10^{-4}$	29/11/2034 07/12/2037	0.177 0.120
	2007 EX	$1.76  imes 10^{-4}$	09/02/2020	0.153
	2008 EA32	$4.93  imes 10^{-4}$	01/01/2026	0.180
	2009 AV	$4.31 \times 10^{-4}$	21/08/2034 13/02/2035 26/08/2035 23/02/2036	0.178 0.177 0.114 0.092

stantiated, goal with *Gaia*. Preliminary variance analysis using *Gaia* simulated data gives the best precision for the fit of the diameter and density, the mass having been introduced in terms of volume and density (Mouret 2007). The force was modelled with a linearized version of the Yarkovsky effect described in detail in Vokrouhlický (1998, 1999). This modelling is inversely proportional to the mass of the asteroid, which can then be assessed from the data. This is an important parameter leading to the density and the associated constraints on internal structure and composition, when combined with the volume. Besides, spectroscopic measurements would enable us to investigate the possibility to link the taxonomic class

for small objects like NEAs to their density. Using surface force opens a new way to determine masses, complementary to the classical perturbation technique: the efficiency of the former increases with smaller bodies precisely when the standard method becomes inefficient. The use of the Yarkovsky effect will extend the power of *Gaia* in deriving asteroid masses, covering the lower range not overlapping with more than 150 masses that should be derived from gravitational perturbations during close encounters between asteroids (Mouret, Hestroffer & Mignard 2007). Realistic distribution for the other physical parameters (diameter, thermal inertia, spin state) impacting the magnitude and the direction of the Yarkovsky force will be used in the dynamical modelling to process the observations.

Detections of the Yarkovsky effect have already been achieved from ground-based observations, mainly radar (Chesley et al. 2003; Vokrouhlický et al. 2008). We plan to investigate the contribution of the observations from the ground (radar, astrometric) to the *Gaia* data in improving the modelling of the Yarkovsky effect and the fit precision of physical parameters. Besides, the interest for groundbased observations is strengthened by the fact that the star catalogue from *Gaia* will allow us to improve their reduction.

During the two years before the launch of *Gaia*, new NEAs will be discovered increasing the number of potential targets for a Yarkovsky effect detection. Therefore, the list of the most promising candidates will be regularly updated and available in electronic form.

# **5** CONCLUSIONS

Using realistic simulated data for Gaia observations, we estimated the potential of the mission to detect the Yarkovsky effect from currently known asteroids. We thus computed the expected precisions on the semimajor axis drift rate (da/dt) and listed the most valuable NEAs. A precision on (da/dt) better than  $5 \times 10^{-4}$  au Myr<sup>-1</sup> is expected for 64 NEAs (six for a precision smaller than  $10^{-4}$  au Myr<sup>-1</sup>), and 10 show an expected signal-to-noise ratio greater than 2. However, the result should be better because the astrometric precision used in the simulations was underestimated. For each asteroid, our knowledge of major physical parameters necessary to accurately model this effect is indicated so that observation campaigns are prepared to complete the Gaia data. The interest for each object in modelling the non-gravitational forces is given in terms of close Earth-encounter predictions and fits of the solar quadrupole  $J_2$  and the PPN parameter  $\beta$  from the *Gaia* observations. Furthermore, Gaia will discover new objects, and some will probably supplement the number of targets for detecting the Yarkovsky effect. Our promising results are incentive to continue the investigation by studying the contribution of radar measurements to the Gaia data and the possibility to estimate NEA masses by analysing the Yarkovsky effect.

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