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### ▶ To cite this version:

Elisabetta Ottoz, Marina Di Giacomo. Diversification strategies and scope economies: Evidence from a sample of Italian regional bus transport providers. Applied Economics, 2011, pp.1. 10.1080/00036846.2011.568399. hal-00711444

# HAL Id: hal-00711444 https://hal.science/hal-00711444

Submitted on 25 Jun 2012

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# Diversification strategies and scope economies: Evidence from a sample of Italian regional bus transport providers

Journal:	Applied Economics
Manuscript ID:	APE-2009-0212.R1
Journal Selection:	Applied Economics
Date Submitted by the Author:	04-Feb-2011
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JEL Code:	L25 - Firm Size and Performance < L2 - Firm Objectives, Organization, and Behavior < L - Industrial Organization, L33 - Public versus Private Enterprises; Privatization < L3 - Nonprofit Organizations and Public Enterprise < L - Industrial Organization, L50 - General < L5 - Regulation and Industrial Policy < L - Industrial Organization, L92 - Railroads and Other Surface Transport: Autos, Buses, etc. < L9 - Industry Studies: Transportation and Utilities < L - Industrial Organization
Keywords:	cost function, scope economies, transport companies, diversification



### **1. INTRODUCTION**

Horizontal diversification has received relatively little attention in the literature, but the design of diversification policies for firms operating in regulated services is high on the agenda of European regulators. While the European Union requires the functional unbundling for vertically integrated utilities, horizontal unbundling is the object of some ongoing debate as there is no clear-cut evidence on its anti-competitive effects. In particular the diversification of a regulated firm into competitive sectors may bring about either an increase or a decrease in social welfare. If the firm diverts resources from the regulated sector to the unregulated or non-core business, customers are harmed; at the same time the presence of synergies or economies of scope in the joint production of different services can positively affect total welfare. This essential trade off can be empirically investigated<sup>1</sup>.

In this paper we assess the presence of economies of scope for local public transport (LPT) companies that undertook horizontal diversification.

In the regulated LPT industry a growing number of companies diversify their production lines and ownership structure seems to be coupled with different diversification strategies: private firms mainly supply services highly related to the LPT core business, e.g. bus renting and coaching activities, while publicly owned companies offer a large set of services, mainly car park management but also, in a few cases, waste disposal, water and sewage treatment and gas and electricity distribution. In particular, while private firms generally diversify in transport related competitive markets, publicly owned firms mainly operate in non transport related regulated markets.

The purpose of the paper is thus twofold. We evaluate the existence and dimension of scope economies for a set of firms operating in the LPT industry and we then compare cost savings stemming from the diversification in competitive *versus* regulated markets.

Our analysis advances in several dimensions the ongoing research on the LPT industry. Research on scope economies within LPT mainly deals with diversification

<sup>&</sup>lt;sup>1</sup> A theoretical treatment of the issue can be found in Sappington (2003) and Scarpa and Calzolari (2009).

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in urban and intercity transport or multi-modal operators, whereas we consider diversification in a broader connotation. In particular we consider joint production of public transport (urban and intercity) together with bus renting, coach services and other activities unrelated to the core business of the LPT firms such as gas, electricity or car parks.

We develop our empirical strategy by estimating a cost function for a sample of 40 Italian bus companies observed over the period 1998-2004. The strength of this dataset is that it contains information on the diversification patterns (either transport related services and / or non-transport related services) and the ownership structure. This allowed us to deal with a notion of scope economies in LPT not limited to urban vs intercity services, while taking account of the ownership impact. As far as we know, there are no other studies on LPT investigating the diversification strategies and the scope economies of companies with different ownership structure.

Moreover we take into account the fact that the correct assessment of scope economies requires the specification of a functional form for the cost function that is well suited for multi-product technologies. Many authors indicated the unreliable results obtained from the standard translog specification when the main object is the analysis of scope economies and cost complementarities. Findings from the standard translog and the generalized (Box-Cox) translog function model are then compared to those stemming from the separable quadratic and the composite cost function introduced by Pulley and Braunstein (1992), that appear to be more suitable for studying the cost properties of multi-product firms.

Our results show that, for all functional forms, scope economies are sizeable for both groups of public and private firms. However, as expected, a diversification strategy close to the core business, generally practised by private firms, appears to allow for higher cost savings, suggesting this kind of strategy should be preferable to the multiutility development pursued by public LPT firms. The empirical evidence is confirmed by a set of robustness checks that consider the potential bias stemming from measurement errors in the definition of the output for non-transport services.

Next section briefly reviews the empirical literature on scope economies and on the functional choice for a cost model. Section 3 gives details on the different cost specifications that are estimated, while section 4 describes the dataset. Section 5 presents the main estimation results and a discussion on the economies of scope and

size is given in section 6. Section 7 tackles a set of robustness checks, section 8 reports some policy implications while section 9 concludes.

### **2. LITERATURE REVIEW**

Our study benefits from two main strands of literature: empirical studies on scope economies in the local public transport industry and analysis that consider the choice of the optimal functional form for the investigation of multi products technologies.

Research on scope economies within LPT mainly considers diversification in urban and intercity transport or multi-modal operators. Fraquelli et al. (2004a) study a sample of Italian municipal public transport companies supplying intercity and / or urban services. They find that companies operating in the intercity sector have lower costs than urban firms and that companies supplying both urban and intercity services have lower costs than specialised firms. Their estimation strategy, however, does not allow them to compute scope economies since it is based on the inclusion of a dummy variable for the type of activity in the cost specification.

Viton (1992) considers urban transport companies supplying their services in six modes (motor bus, street cars, rapid rail, etc.) and the presence of scope and scale economies is uncovered. Similarly Colburn and Talley (1992) analyse a four modes urban company and find only limited cost complementarities. Viton (1993), by estimating a quadratic cost frontier for bus companies operating in the San Francisco bay area, evaluates the cost savings deriving from the merger of the seven companies in the sample. Cost savings depend on the modes being offered and on the number of merging firms, with benefits decreasing as the number of integrated companies increases.

Farsi et al. (2007) study a sample of Swiss companies supplying urban services using three modes: trolley bus, motor bus and tramway systems. They detect global scope economies for multi-modal operators from the estimation of a quadratic cost function.

Di Giacomo and Ottoz (2010) examine the presence of cost savings from the provision of urban and intercity connections in a sample of Italian bus companies. They find only moderate global scope economies, however large cost advantages can be obtained from fixed costs savings: it seems that there is some excess capacity

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among bus companies so that the joint production of urban and intercity services is a premise for the full exploitation of the available fixed inputs.

A growing literature exists on the choice of the functional form for a cost model quantifying the existence of scope economies from the simultaneous provision of different outputs. In general there seems to be a trade off among flexible functional forms satisfying all regularity conditions required for a cost function to be an adequate representation of the production technology (concave in input prices and non decreasing in input prices and outputs) and the dimension of the region over which such regularity conditions are fulfilled. Roller (1990) emphasizes that "this 'regular' region may be too small to be able to model demanding cost concepts such as economies of scope and subadditivity". The most popular flexible functional forms, such as the standard translog model (see Christensen et al., 1971), have a degenerate behaviour in the region which is relevant for the derivation of scope economies and subadditivity measures, (in general zero outputs levels) even if they satisfy the regularity conditions for a larger set of points (see Diewert, 1974 and Diewert and Wales, 1987).

Pulley and Braunstein (1992) and Pulley and Humphrey (1993) introduce the composite specification that, unlike the translog model, is defined in the neighborhood of zero output levels and allows for the estimation of scope economies. McKillop et al. (1996), McKenzie et al. (1997), Bloch et al. (2001), Fraquelli et al. (2004b), Piacenza and Vannon i (2004), Fraquelli et al. (2005) all adopted the composite specification for the derivation of scope economies in different industries (ranging from the banking sector to the public utilities).

### **3. THE COST FUNCTION MODEL**

Our aim is to study the cost structure of a sample of transport companies operating in the administrative region of Piedmont, in Northern Italy and data were collected by the administrative offices of the local regional government. The choice of a regional extent is justified because of its consistency with the Italian regulatory framework issued from the LPT reform process, which transferred infrastructures and organizational resources to the local authorities corresponding to the Italian regions. In particular we are going to estimate a multi-output cost function since firms may provide a large set of services.

A stochastic cost function can be written as:

$$C_{ft} = C(\mathbf{y}_{ft}, \mathbf{p}_{ft}; \theta) + v_f + u_{ft}$$

where  $C_{ft}$  is total cost for firm f = 1,...,F, at time t=1,...T,  $\mathbf{y}_{ft}$  is the vector of outputs for firm f at time t,  $\mathbf{p}_{ft}$  is the vector of input prices,  $\theta$  is the vector of unknown parameters to be estimated,  $v_f$  is the firm specific time invariant error term, while  $u_{ft}$  is the remainder stochastic error term that varies over time and across companies.

Given the panel structure of the data, we are going to assume the absence of correlation among the individual specific effects  $v_f$  and the included regressors, i.e.  $E(v_f | \mathbf{y}_{ft}, \mathbf{p}_{ft}) = 0$ . This assumption ensures the consistency of the pooled nonlinear estimation procedure while panel robust standard errors, that take into account the likely correlation among errors for the same individual, should guarantee robust inference.

When dealing with nonlinear functional forms, the estimation of fixed effects or random effects models is not straightforward (see Cameron and Trivedi, 2005, chapter 23 for a survey) and solutions are mainly case specific. At the same time including a large set of firm specific dummy variables may lead to inconsistent estimates as the incidental problem arises (see Lancaster, 2000). Our choice of a pooled model is justified by the lower computational burden and the unreliable estimates that were obtained when trying to estimate a model where all individual dummy variables are included.

We present results for a three output cost model and section 4 gives details on the dataset construction.

We compare estimates from four different cost specifications. Baumol et al. (1982) recommend a quadratic output structure when examining scope economies, because this form allows for the direct handling of zero outputs, without any need for substitutions or transformations as in the translog models.

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We estimate a composite and a separable quadratic cost specification that have a quadratic structure in outputs and a log-quadratic structure in input prices, but also a standard translog and a generalized translog model.

The composite specification that we consider has the following form<sup>2</sup> (see Carroll and Rupert, 1984, 1988 and Pulley and Braunstein, 1992 for more details):

$$\ln(C) = \ln\left(\alpha_{0} + \sum_{i} \alpha_{i} y_{i} + \frac{1}{2} \sum_{i} \sum_{j} \alpha_{ij} y_{i} y_{j} + \sum_{i} \sum_{r} \alpha_{ir} y_{i} \ln p_{r} + \gamma_{1} Trend + \gamma_{2} Trend^{2} + \lambda Dummy\right) + \left[\sum_{r} \beta_{r} \ln p_{r} + \frac{1}{2} \sum_{r} \sum_{q} \beta_{rq} \ln p_{r} \ln p_{q}\right] = \ln[h(\mathbf{y}, \mathbf{p})] + f(\mathbf{p})$$

$$(1)$$

where *C* is the total cost,  $y_i$  is output i = T, *TR*, *NT*, for transport (*T*), transport related (*TR*) and non-transport services (*NT*) respectively;  $p_r$  is the price for input r=L, *M*, *K*, for labour (*L*), material (*M*) and capital (*K*) respectively, while *Trend* and *Trend*<sup>2</sup> are a linear and a squared time trend respectively. *Dummy* stands for additional regressors that we include in some specifications.

By applying the Shephard's Lemma, the associated input share equation is:

$$S_{r} = \frac{x_{r} p_{r}}{C} = \frac{\partial \ln(C)}{\partial \ln p_{r}} = \left[\beta_{r} + \sum_{q} \beta_{rq} \ln p_{q}\right] + \left(\sum_{i} \alpha_{ir} y_{i}\right) \cdot \left(\alpha_{0} + \sum_{i} \alpha_{i} y_{i} + \frac{1}{2} \sum_{i} \sum_{j} \alpha_{ij} y_{j} y_{i} + \sum_{i} \sum_{r} \alpha_{ir} y_{i} \ln p_{r} + \gamma_{1} Trend + \gamma_{2} Trend^{2} + \lambda Dummy\right)^{-1}$$

$$(2)$$

where  $x_r$  is the derived demand for input  $r(x_r = \partial C / \partial p_r)$ .

The separable quadratic model only differs from the composite specification in the assumed restriction that  $\alpha_{ir} = 0$  for all *i* and *r*.

The generalized translog function is:

In the following formulas we omit firm and time subscripts for notational brevity.

$$\ln(C) = \alpha_{0} + \sum_{i} \alpha_{i} y_{i}^{(\pi)} + \frac{1}{2} \sum_{i} \sum_{j} \alpha_{ij} y_{i}^{(\pi)} y_{j}^{(\pi)} + \sum_{i} \sum_{r} \alpha_{ir} y_{i}^{(\pi)} \ln p_{r} + \sum_{r} \beta_{r} \ln p_{r} + \frac{1}{2} \sum_{r} \sum_{q} \beta_{rq} \ln p_{r} \ln p_{q} + \gamma_{1} Trend + \gamma_{2} Trend^{2}$$
(3)

where  $y_i^{(\pi)}$  is the Box – Cox (1964) transformation of the output measure *i*:

$$y_i^{(\pi)} = (y_i^{\pi} - 1) / \pi \quad if \qquad \pi \neq 0$$
$$= \ln(y_i) \qquad if \qquad \pi = 0$$

The standard translog specification follows from the imposition of the restriction  $\pi = 0$  in equation (3).

The input share equation associated to the generalized translog specification is:

$$S_r = \frac{x_r p_r}{C} = \frac{\partial \ln(C)}{\partial \ln p_r} = \sum_i \alpha_{ir} y_i^{(\pi)} + \beta_r + \sum_q \beta_{rq} \ln p_q$$
(4)

Global economies of scope can be computed starting from the estimated cost functions as the difference among the sum of the costs associated to the disjoint productions and the total cost from the joint production. In the case of m outputs, global scope economies are given by:

$$SCOPE = [C(y_1, 0, ..., 0; \overline{\mathbf{p}}) + C(0, y_2, ..., 0; \overline{\mathbf{p}}) + ... + C(0, 0, ..., y_m; \overline{\mathbf{p}}) - C(y_1, y_2, ..., y_m; \overline{\mathbf{p}})] / C(y_1, y_2, ..., y_m; \overline{\mathbf{p}})$$

where *C* is the total cost,  $y_i$  is output *i* and **p** is the vector of input prices that are kept constant, usually at their sample median or mean level. Scope economies are detected if the value of *SCOPE*>0, while diseconomies arise if *SCOPE*<0.

It is also possible to compute product specific scope economies when more than two outputs are simultaneously produced:

SCOPE 
$$_{i} = [C(0,0,...,0, y_{i},0,...,0;\mathbf{p}) + C(y_{1}, y_{2},..., y_{i-1},0, y_{i+1}..., y_{m};\mathbf{p}) - C(y_{1}, y_{2},..., y_{m};\mathbf{p})]/C(y_{1}, y_{2},..., y_{m};\mathbf{p})$$

where the cost of producing product *i* only (first term in the formula of  $SCOPE_i$ ) is summed to the production cost associated to all the other outputs (second term in the formula) and then compared to the total joint production cost. If  $SCOPE_i > 0$ , it follows that there are cost savings from the joint production of product *i* together with all the other goods.

Finally we can calculate scope economies for different pairs of products:

$$SCOPE_{ij} = [C(0,...,0, y_i, 0,..., 0; \overline{\mathbf{p}}) + C(0,...,0, y_j, 0,..., 0; \overline{\mathbf{p}}) - C(0,...,0, y_i, 0,..., 0, y_j, 0,..., 0; \overline{\mathbf{p}})] / C(0,...,0, y_i, 0,..., 0, y_j, 0,..., 0; \overline{\mathbf{p}})$$

for products *i* and *j*, with  $i \neq j$ ,  $SCOPE_{ij} > 0$  indicates the presence of scope economies from the joint production of the two goods, given the estimated cost structure.

We are also able to evaluate the magnitude of scale economies (SCALE):

$$SCALE = \left(\sum_{i} \frac{\partial \ln(C)}{\partial \ln(y_i)}\right)^{-1}$$

where the derivatives need to be interpreted as cost elasticities with respect to the *i*th output.

Economies of scale are present when *SCALE* is greater than one, while diseconomies of scale are found if *SCALE* is smaller than one. Neither economies nor diseconomies exist if SCALE is equal to one.

## 4. INDUSTRY AND DATA DESCRIPTION

Data come from two sources: the database owned by the administrative region of Piedmont, which yearly collects information on transport services supplied by the companies of the area and the official accounting reports of the firms.

The regional database reports data on total costs, input costs and outputs for all the companies supplying local public transport services<sup>3</sup>. We complement these data, providing information on transport activities only, with companies' annual reports. The aim is to obtain a comprehensive picture of the whole set of services and outputs that transport companies offer.

See also Ottoz et al. (2009) for more details on the characteristics of the regional database.

Our final sample is an unbalanced panel of 40 firms whose annual observations cover the period 1998-2004.

We define three broad outputs: subsidized local public transport services, nonsubsidized transport related activities and non-transport services.

Local public transport comprises urban and intercity transport connections that represent the core business for all the firms in our sample. Non-subsidized transport related activities denote coach renting and tourist travelling.

Non-transport services, mainly related to regulated markets, represent a broad and varied set of productions mainly consisting of parking areas management. For two firms the activity consists of waste disposal and water treatment and for one firm it encompasses gas and electricity distribution. Information on such services comes from the companies' financial statements.

The output quantities for transport services  $(Y_T)$  are given by vehicle-kilometres covered over the urban network and the intercity connections. Similarly the output quantities for transport related activities  $(Y_{TR})$  are the vehicle-kilometres, equal to the product of the number of vehicles by the total number of kilometres covered for coach renting and tourist travel organization over the year.

The output for the non-transport productions  $(Y_{NT})$  is obtained as the ratio of total revenues associated to such products to the consumer price index for housing, water, electricity and fuels<sup>4</sup>.

The choice of such magnitude was mainly motivated by measurement difficulties. Many output definitions have been adopted in transport studies, usually grouped into demand oriented measures (such as passengers-kilometres) and supply oriented outputs (like vehicle- kilometres or seat- kilometres). More ambiguous is the definition of a physical measure for the other two outputs. Transport related activities can in principle be measured by vehicle-kilometres or seat-kilometres as for transport services, however we expect these quantities may underestimate the actual activity of the sampled companies, as some companies may have different accounting practices, e.g. deciding to report the number of renting hours or other measures, not available to

<sup>&</sup>lt;sup>4</sup> The source for price indexes is Istat, Italian Statistical Institute, <u>www.istat.it</u>. The consumption price index is town and province specific and we apply the appropriate price index according to the town and province where the company runs its business.

us. Even more demanding is the task for other non-transport services as they are a very heterogeneous category (car parks management, but also, in a few cases, electricity and gas distribution, water and sewage treatment and waste disposal), and we were not able to disentangle the information on each single activity. Total revenues were finally selected as they were readily available while index prices should control for price effects. A similar approach was followed, among the others, by McKillop et al. (1996) in their study of giant Japanese banks, Cowie and Asenova (1999) for the assessment of cost inefficiencies in the British bus industry, Silk and Berndt (2004) for marketing firms and Asai (2006) for the broadcasting industry.

Total costs for a firm are given by total production costs as they are reported by the annual company profit and loss accounts.

Three inputs are considered: labour, material and capital.

Labour price  $(p_L)$  is calculated dividing total labour costs as they appear in the profit and loss account, by the total number of employees of the company.

Total material costs are obtained from the corresponding company account item and include raw materials, consumption and maintenance goods' purchases, energy and fuel expenses. The price for this heterogeneous input is measured by the producer price index for energy and gas, since most of the expenditures for materials are for energy and fuels.

Following Christensen and Jorgenson (1969), price for capital  $(p_K)$  is computed as:

$$p_k = \frac{PPI(IR+D)}{(1-T)}$$

where *PPI* is the producer price index for investment goods<sup>5</sup>, *IR* is the yearly average long term prime lending interest rate as assessed by the Italian Banking Association <sup>6</sup>, while *D* is the depreciation rate and *T* is the corporate tax rate.

D is computed as the ratio of total depreciation expenses to book-valued fixed assets at the beginning of the period. T is obtained as total paid taxes divided by operating profits, as they appear in the financial statements. A similar approach for the

<sup>5</sup> Data source: Istat, Italian Statistical Institute, www.istat.it

<sup>6</sup> Data available from the Bank of Italy website, www.bancaditalia.it

derivation of capital and material prices is followed by Adams et al. (2004) and Asai (2006).

Table 1 reports some descriptive statistics for the sample.

Firms are quite heterogeneous in their operating size: standard deviations for total operating costs and total revenues are quite high and the median is always smaller than the mean. Companies are asymmetrically distributed and few very large firms share the market with many small and medium sized LPT firms. The largest firms in the sample are publicly owned and table 1 splits the sample according to ownership. Apart from the size differences<sup>7</sup>, it is interesting to note the different production lines for the two groups of firms considering the median output levels and the revenues' shares: while publicly owned firms, mainly municipal entities, are diversified in regulated markets, such as municipal car park management and waste disposal; private companies diversify their activities in competitive transport related unregulated sectors, such as bus renting, coaching activities and tourist services.

Differences across the firms in the sample and between public and private companies are less evident when we consider the inputs: labour and capital prices as well as labour and material costs shares on total costs are characterized by smaller standard deviations.

Before estimation, all variables are normalised by their sample median levels. Moreover in order to cope with the required regularity conditions for cost functions, a number of restrictions are imposed in all models. Symmetry is ensured by the imposition of the following equalities in all cost specifications (see equations (1) and (3)):  $\alpha_{ij} = \alpha_{ji}$  and  $\beta_{rk} = \beta_{kr}$ . Linear homogeneity, requiring  $\sum_r \alpha_{ir} = 0$  for all *i*;  $\sum_r \beta_r = 1$ and  $\sum_k \beta_{rk} = 0$  for all *k*, is obtained dividing both the dependent variable (total costs) and the labour and material prices by the capital price which does not directly appear in the estimated function. The other regularity conditions (non-negative marginal costs with respect to outputs, non decreasing costs in input prices and concavity of the cost function in input prices) are checked after estimation for all sample observations. In particular we need to check that fitted costs and fitted marginal costs with respect to

<sup>7</sup> The largest firm in the dataset is GTT (Gruppo Torinese Trasporti), owned by the municipality of Turin.

outputs and input prices are non-negative and that the Hessian matrix of the cost function with respect to input prices is negative semi-definite<sup>8</sup>.

### **5. ESTIMATION RESULTS**

Table 2 presents the estimated parameters for the four specifications of the cost function: the standard translog, the generalized translog, the separable quadratic and the composite forms.

We simultaneously estimate the cost function and the corresponding input share equations (eq. (1) and (2) for the separable quadratic and the composite models; eq. (3) and (4) for the standard and generalized translog specifications) via a non-linear seemingly unrelated estimator. Since the three input cost share equations are linearly dependent, we drop the equation for capital price, obtaining a system of three equations for each specification. In order to control for the likely correlation among errors for the same firm, we present panel robust standard errors that should guarantee robust inference.

The first order terms for outputs are positive and statistically significant in all specifications. The second order and the interaction coefficients for outputs are less precisely estimated, the only exception being the standard translog where all squared outputs are highly significant.

First order parameters for the labour price and material price are always precisely estimated. The coefficient for labour price differs across specifications, with larger magnitudes from the composite models.

The interpretation of the first order coefficients, however, differs across the models: while they represent estimates of cost elasticities (with respect to output or input

<sup>&</sup>lt;sup>8</sup> In the composite specification we obtain that : a) fitted costs are always non-negative; b) fitted labour and material shares are always non-negative, c) fitted marginal costs with respect to transport services are always non-negative, fitted marginal costs with respect to transport related output are negative for 77 observations, fitted marginal costs for non-transport services are negative for 26 observations; d) the Hessian matrix of the cost function with respect to input prices is always negative semi-definite, except for 14 observations. About 60% of observations satisfy all regularity conditions under the preferred composite specification.

prices) in the translog specifications, they do not have straightforward interpretation in the separable quadratic and the composite forms. We compute cost elasticities also for the last two specifications and we obtain similar magnitudes. The highest cost elasticity is found for transport outputs (0.54 under the standard translog specification, 0.63 under the generalized translog, 0.68 under the separable quadratic and 0.74 for the composite model), the smallest is for non-transport services (ranging from 0.03 for the separable quadratic, to 0.15 from the standard translog) and transport related activities are in between the two (in the interval 0.07-0.19, whose limits are obtained from the composite specification and the standard translog respectively).

Cost elasticities with respect to input prices are very similar to actual input shares (see table 1 for descriptive statistics on labour and material shares). They range between 0.45 (from the standard translog) and 0.52 (from the composite) for labour and between 0.18 (composite specification) and 0.19 (standard translog) for material.

The time trend parameter is always negative and significant in the last three specifications, indicating cost reductions over time. The positive second order trend coefficient, however, indicates that such cost savings diminish over time.

Table 2 also shows a number of goodness-of-fit statistics. A set of likelihood ratio tests are reported, where the restrictions imposed by the standard translog model and the separable quadratic model are tested against the unrestricted generalized translog and composite specifications respectively. The generalized translog is always preferred to the standard translog model that imposes  $\pi=0$ . The  $\pi$  parameter is significant and particularly large ( $\pi=0.4$ ), suggesting sizeable differences among the estimated economies of density and scope from the two models, with more reasonable magnitudes from the generalized translog (see McKillop et al., 1996).

The restrictions imposed by the separable quadratic model are rejected at the 5% level.

The translog and the quadratic specifications are non-nested models that cannot be directly tested; however larger log likelihood and lower Akaike and Schwarz information criteria for the separable quadratic and the composite models suggest a better statistical fit. We also perform a Vuong (1989) closeness test, which is a likelihood-ratio based test that allows us to compare the two non-nested models: the generalized translog and the composite specifications. The composite model seems to

be preferred to the generalized translog specification as the statistics exceeds the quantile from the standard normal distribution at any significance level.

# 6. ECONOMIES OF SCOPE AND SIZE

Table 3 presents scope and density economies computed using all the estimated specifications. As expected, results significantly vary across different cost function models.

Scope economies computations based on the standard translog specification are unreliable: they are extremely large and imprecisely estimated for any sample (whole, public firms or private firms sub-samples) and for any considered sample point (first, second or third quartile). The explanation can be found in the degenerate behaviour of such cost function when outputs are close to zero (see Roller, 1990).

The generalized translog, the separable quadratic and the composite specifications, on the contrary, provide comparable results<sup>9</sup>.

Scope economies for the median firm in the sample range between 34% and 47% depending on the chosen cost function and they always are significantly different from zero.

Global scope economies for the median public firm range between -3.5% and 29% and significantly differ from zero only for the separable quadratic and composite models. Economies of scope for privately owned firms are always statistical significant and range between 31% and 46%. Global scope economies are generally lower when computations are based on the generalized translog model, while the largest estimates are from the separable quadratic function. The composite specification is in between the two.

Table 3 also reports the estimated global scope economies at the first and third quartile points. Scope economies decrease with size, especially if the generalized translog cost function is adopted or the sub-sample of public firms is considered.

<sup>9</sup> See also Ivaldi et al. (1996); Huang and Wang (2004); Das and Das (2007) for other alternative specifications to the standard translog model when considering multiproduct technologies.

Table 3 finally shows scale economies. They are always significantly different from one (except for the standard translog specification) indicating the presence of economies of size: proportionally increasing the operating size (with respect to all outputs) lowers average costs.

Our preferred specification is the composite cost function and next tables present results based on this specification only. We already mentioned the unreliable and unstable results from the standard translog specification with respect to global scope economies, that make it inadequate for our purposes. The composite specification is preferred to the separable quadratic function on the basis of the likelihood ratio test that rejects the restrictions imposed by the separable quadratic model (i.e. the strong separability between inputs and outputs). We finally performed a Vuong test for the non-nested generalized translog and composite models. The test suggests the composite model to be preferred to the generalized translog.

Table 4 presents product specific scope economies and scope economies for couples of products.

Product specific scope economies (first three rows in table 4) give a measure of the cost savings associated to the joint production when compared to the production of one output only on one side and the remaining two products on the other. Results from the composite specification give evidence of product specific scope economies that are quite similar across different outputs and are always positive and sizeable (ranging from 16% to 18%).

Pair specific scope economies are also interesting, given the different production sets supplied by public and private firms. Public firms mainly provide transport and non-transport services and scope economies associated to this pair of outputs are always smaller, particularly for public firms (9% vs 16% for the whole sample and the subsample of private companies). Private firms, that are specialized in transport and transport related activities, have quite high scope economies from this pair of outputs (20%, while for the median public firm cost savings amount to 12%).

# 7. ROBUSTNESS CHECKS

Differing global scope economies for the two groups of public and private firms might be the result of two different effects: the size effect, on one side, and the diversification strategy, on the other side. In general public firms are larger than private firms (see table 1) and exhibit lower global scope economies as table 3 makes clear. Moreover public firms mainly diversify in regulated industries (non-transport services), while private firms in competitive markets (transport related activities) and we are interested in the sign and dimension of the scope economies deriving from the strategic choice of diversification. In order to disentangle these effects and to check the robustness of our results, we compute global scope economies for each observation in the sample (see Farsi et al., 2008, for a similar approach). While computations from tables 3 and 4 are based on the construction of some "hypothetical" firm, characterized by a production set that alternatively coincides with the first, the second and the third quartiles for the three measures of output, we now estimate global scope economies at each actual sample point<sup>10</sup>. The distribution of global scope economies in the sample mimics the results from table 3. The median value is 30% in the whole sample, while in the sub-samples of public and private firms the median global scope economies are 12% and 35% respectively. Estimates based on the sub-sample of public firms always display lower diversification economies.

We also compute global scope economies for different dimensional classes. In particular we identify four classes (small, medium-small, medium and large) according to the number of employees and we compute the median scope economies for each group of companies<sup>11</sup>. Scope economies decrease with size and lower economies are found for public firms, in all classes.

We finally assess the robustness of our results to two issues: (i) differences in the cost structure of public and private firms; (ii) the definition of the output for non transport services. Table 5 shows results from the estimation of two composite models. In column (1) we report the base case model where we also include a dummy variable

<sup>&</sup>lt;sup>10</sup> However input prices are always kept at the sample median level for all firms. Details are available upon request from the authors.

<sup>&</sup>lt;sup>11</sup> Details available upon request from the authors.

(*dummy-public*) that equals one for publicly owned firms and zero for private companies. Point estimates turn out to be very similar to those already discussed in section 5. The dummy for public firms is positive but not significantly different from zero, suggesting that the cost structure for the two sets of firms is very similar, at least in terms of the intercept of the cost function.

In the second column of table 5 we present the results from a composite specification where we drop the output measure for non transport services and introduce a dummy variable (dummy-non-transport) that takes value one if the firm in that year declared to supply unrelated services and zero otherwise. The main advantage with respect to our preferred specification is that we avoid the non physical measure of the output and can thus check for the robustness of our results. The main drawback is that we are not able to measure global scope economies with respect to the provision of the three outputs. Some coefficients lose precision (e.g. the transport related output) and the log-likelihood and the two information criteria suggest lower statistical fit for this model. The dummy for public firms is now positive and significant. Similarly the dummy for non transport services is positive and significantly different from zero. Once we control for ownership, producing unrelated services increases total costs. In the last two rows of table 5 we also compute global scope economies. Scope economies as computed from the first model are comparable to those from our preferred specification (29%). From the second model we can only compute scope economies between the two included outputs and they amount to 37%. When the dummy for non transport services is set equal to one, scope economies increase to 42%. We argue that these magnitudes are not easily comparable to those obtained from a full three-output cost function, as some sort of model misspecification may be present. However cost elasticities from the two-output model are very similar to those from the preferred specification, suggesting that these magnitudes are quite stable across specifications.

### **8. POLICY IMPLICATIONS**

An analysis that considers the effect of horizontal diversification on total welfare is beyond the scope of this paper. Our focus is on the presence of synergies, in particular in the form of cost savings, from the joint production in the LPT industry and other,

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regulated or competitive, industries. On the whole, the evidence points to the presence of sizeable global scope economies for the median firm in the sample, and cost savings from the joint production reduce as the operation scale increases.

Two points have been highlighted: the role of ownership and the nature, either related or unrelated to the core LPT activity, of diversification on such cost synergies.

We split the whole sample of firms according to the ownership: publicly owned (mainly municipal) companies, and private firms. The two groups of firms differ both in the operation scales and in the diversification strategies. Privately owned firms are small and mainly diversify in non-subsidized transport related services, while publicly owned firms operate at a larger scale and provide services in regulated markets.

We find that firms providing non-transport services in regulated markets (publicly owned companies) always display lower scope economies (and in some cases also diseconomies), for any considered sample point and for any cost specification.

The result that firms diversifying in transport related activities have high cost savings is expected. However also LPT companies diversifying in non-core businesses enjoy scope economies, even if smaller. The possibility to share inputs across different lines of businesses always ensures some form of cost savings.

In general, horizontal diversification should be allowed as far as cost savings are considered. In particular, diversification in industries related to the core business should be encouraged, as it encompasses larger scope economies as compared to non transport related diversification In this way, the policy maker might, in principle, obtain that the reduced costs are passed, at least partially, to the customers in the form of lower prices or lower subsidies.

### 9. CONCLUDING REMARKS

This study gives evidence on the presence of cost savings from the joint production of transport services, transport related activities and other non-transport productions using different functional forms.

As expected, scope and density economies differ according to the chosen cost model, but they are always present. Global scope economies, for the median firm in the sample, amount to 34% under the preferred composite specification.

We split the whole sample of firms according to diversification strategy: private firms, mainly diversifying in competitive transport related services, and public firms providing non-transport services in regulated unrelated markets. Regardless of the functional form and the method used, scope economies appear sizeable for both groups but higher for firms diversifying in industries or sub-industries that are close to the core transport activity.

As scope economies appear to be decreasing with firms' size we calculate them at each sample point, so as to compare homogeneous dimensional classes, in order to exclude the possibility that the lower scope economies of public LPT companies merely depend on their larger dimension: results remain unaltered.

Applying the usual caveat, the analysis, then, suggests that, from a social point of view, horizontal diversification of LPT firms in non related activities should be fostered with caution, as it encompasses smaller scope economies as compared to transport related diversification.

### References

Adams, R.M., Bauer, P.W., and Sickle, R.C. (2004). Scale economies, scope economies and technical change in Federal Reserve payment processing. *Journal of Money Credit and Banking*, **36**, 943-958.

Asai, S. (2006). Scale economies and scope economies in the Japanese broadcasting market. *Information Economics and Policy*, **18**, 321-331.

Baumol, W.J., Panzar, J.C., and Willig, R.D. (1982). Contestable markets and the theory of industry structure. New York: Harcourt, Brace, Jovanovich, Inc.

Bloch, H., Madden, G., and Savage, S. J. (2001). Economies of scale and scope in Australian telecommunications. *Review of Industrial Organization*, **18**, 219-227.

Box, G., and Cox, D. (1964). An analysis of transformations. *Journal of the Royal Statistical Society*, Series B, **26**, 211-246.

Cameron, A.C., and Trivedi, P.K. (2005). Microeconometrics. Methods and Applications. New York: Cambridge University Press.

Editorial Office, Dept of Economics, Warwick University, Coventry CV4 7AL, UK

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Carrol, R., and Rupert, D. (1984). Power transformations when fitting theoretical models to data. *Journal of the American Statistics Association*, **79**, 321-328.

Carrol, R. and Rupert, D. (1988). Transformation and Weighting in Regressions. New York: Chapman & Hill.

Christensen, L., and Jorgenson, D.W. (1969). The measurement of U.S. real capital input, 1929–67. *Review of Income and Wealth*, **15**, 293–320.

Christensen, L.R., Jorgenson, D.W., and Lau, L.J. (1971). Conjugate duality and the transcendental logarithmic production function. *Econometrica*, **39**, 255-256.

Colburn, C.B., and Talley, W.K. (1992). A firm specific analysis of economies of size in the U.S. urban multiservice transit industry. *Transportation Research Part B*, **3**, 195-206.

Cowie, J., and Asenova, D. (1999). Organisation form, scale effects and efficiency in the British bus industry. *Transportation*, **26**, 231-248.

Das, A., and Das, S. (2007). Scale economies, cost complementarities and technical progress in Indian banking: evidence from fourier flexible functional form. *Applied Economics*, **39**(5), 565 – 580.

Diewert, W.E. (1974). Applications of duality theory. In M. D. Intriligator and D. A. Kendrick (Eds.), Frontiers in Quantitative Economics, Vol 2, pp. 106 – 171, Amsterdam: North Holland.

Diewert, W.E., and Wales, T.J. (1987). Flexible functional forms and global curvature conditions. *Econometrica*, **55**(1), 43-68.

Di Giacomo, M., and Ottoz, E. (2010). The relevance of scale and scope economies in the provision of urban and intercity bus transport. *Journal of Transport, Economics and Policy*, **44**(2), 161-187.

Farsi, M., Fetz, A., and Filippini, M. (2007). Economies of scale and scope in local public transportation. *Journal of Transport Economics and Policy*, **41**(3), 345–361.

Farsi, M., Fetz, A., and Filippini, M. (2008). Economies of scale and scope in the Swiss Multi Utilities sector. *Energy Journal*, **29** (4), 123-145.

Fraquelli, G., Piacenza M., and Abrate G. (2004a). Regulating Public Transit Systems: How Do Urban-Intercity Diversification and Speed-up Measures Affect Firms' Cost Performance? *Annals of Public and Cooperative Economics*, **75**(2), 193-225.

Fraquelli, G., Piacenza, M., and Vannoni, D. (2004b). Scope and scale economies in multi-utilities: evidence from gas, water and electricity combinations. *Applied Economics*, **36**, 2045-2057.

Fraquelli, G., Piacenza, M., and Vannoni, D. (2005). Cost savings from generation and distribution with an application to Italian electric utilities. *Journal of Regulatory Economics*, **28**(3), 289-308.

Huang, T., and Wang, M. (2004). Estimation of scale and scope economies in multiproduct banking: evidence from the Fourier flexible functional form with panel data. *Applied Economics*, **36**(11), 1245-1253.

Ivaldi, M., Ladoux, N., Ossard, H., and Simioni, M. (1996). Comparing Fourier and Translog Specifications of Multiproduct Technology: Evidence from an Incomplete Panel of French Farmers. *Journal of Applied Econometrics*, **11**(6), 649-667.

Lancaster, T. (2000). The incidental parameter problem since 1948. *Journal of Econometrics*, **95**, 391-413.

McKenzie, D.J., and Small, J.P. (1997). Econometric cost structure estimates for cellular telephony in the United States. *Journal of Regulatory Economics*, **12**, 147-157.

McKillop, D.G., Glass, J.C., and Morikawa, Y. (1996). The composite cost function and efficiency in giant Japanese banks. *Journal of Banking and Finance*, **20**, 1651-1671.

Ottoz, E., Fornengo, G., and Di Giacomo, M. (2009). The impact of ownership on the cost of bus service provision: an example from Italy. *Applied Economics*, **41**(3), 337-349.

Piacenza, M., and Vannoni, D. (2004). Choosing Among Alternative Cost Function Specifications: An Application to Italian Multi-Utilities. *Economics Letters*, **82**(3), 410-417.

Pulley, L.B., and Braunstein, Y.M. (1992). A composite cost function for multiproduct firms with an application to economies of scope in banking. *Review of Economics and Statistics*, **74**, 221-230.

Pulley, L.B., and Humphrey, D.B. (1993). Scope economies: Fixed costs, complementarity and functional form. *Journal of Business*, **66**(3), 437-462.

Roller, L.-H. (1990). Proper quadratic cost functions with an application to the Bell System. *Review of Economics and Statistics*, **72**, 202-210.

Sappington, D.E.M. (2003). Regulating horizontal diversification. *International Journal of Industrial Organization*, **21**(3), 291-315.

Scarpa, C., and Calzolari, G. (2009). On Regulation and Competition: Pros and Cons of a Diversified Monopolist. Working Papers 2009.55, Fondazione Eni Enrico Mattei.

Silk, A., and Berndt, E. (2004). Holding companies cost economies in the global advertising and marketing services business. *Review of Marketing Science*, **2**, Article 5.

Viton, P. (1992). Consolidations of scale and scope in urban transit. *Regional Science and Urban Economics*, **22**, 25-49.

Editorial Office, Dept of Economics, Warwick University, Coventry CV4 7AL, UK

Viton, P. (1993). How big should transit be? Evidence from San Francisco bay area. Transportation, 20, 35-57.

Vuong, Q. H. (1989). Likelihood Ratio Tests for Model Selection and non-nested Hypotheses. Econometrica, 57(2), 307-333.

	11 pul	olic firms, 49	obs.	29 pi	rivate firms,	135 obs.
	Mean	Std. dev.	Median	Mean	Std. dev.	Median
Total operating costs (th. Euro)	22,725.86	62,704.37	10,013.16	3,962.12	3,315.54	2,422.29
Total revenues (th Euro)	23,332.88	65,183.99	9,718.74	4,194.22	3,467.14	2,651.03
Share of total revenues from transport (%)	48.20	33.75	52.13	58.93	21.59	57.88
Share of total revenues from non-transport (%)	44.82	37.80	34.53	8.20	15.42	1.51
Share of total revenues from transport related (%)	6.98	12.67	3.45	32.87	20.36	32.75
$Y_T$ (vehicle-kilometres)	4,517,011	1.36e+07	1,404,906	1,513,367	1,626,780	989,512
<i>Y<sub>NT</sub></i> (revenues/CPI)	67.43	99.38	13.65	3.07	6.95	0.47
$Y_{TR}$ (vehicle-kilometres)	84,817.25	140,354.3	0	604,624.7	580,762.9	479,697
Labour price $p_L$ (th. Euro)	42.49	61.69	33.93	33.21	8.31	33.75
Material price $p_M$ (price index)	123.38	9.92	124.30	118.36	13.53	124.10
Capital price $p_K$	30.05	23.42	26.18	35.98	19.77	29.19
Labour share	0.50	0.13	0.53	0.43	0.08	0.42
Material share	0.19	0.13	0.14	0.18	0.05	0.18
Total cost of personnel (th. Euro)	11,534.70	33,574.90	3,555.44	1,842.11	1,747.94	1,064.00
Number of employees	351.12	1,017.88	94.00	55.79	52.71	34.00
Total cost of materials (th. Euro)	3,311.56	6,777.43	1,165.80	734.87	648.08	471.87

TABLE 1: Descriptive statistics for the samples of publicly and privately owned companies.

Notes: See the text for the definition of the output measure  $y_T, y_{NT}, y_{TR}$  and the input prices  $p_L, p_M, p_K$ 

TABLE 2: Estimation results. Dependent variable: natural logarithm of total operating costs, normalized by the capital price. Cluster robust standard errors in parenthesis, 184 observations.

Dependent variables         Translog         Translog         quadratic         Composition $Y_T$ 0.540***         0.627***         1856.899***         2043.259* $(0.08)$ $(0.06)$ (216.33)         (203.69) $Y_{TT}$ 0.145***         0.057***         78.021***         119.828* $(0.03)$ $(0.02)$ (16.41)         (18.90) $Y_{TR}$ 0.194***         0.115***         184.559*         193.919* $(0.06)$ $(0.04)$ (111.60)         (92.46) $Y_T^2$ 0.27***         0.001         86.334         81.773 $(0.07)$ $(0.04)$ (73.64)         (65.40) $Y_{TT}^2$ $0.021^{**}$ $0.009$ $0.608^{**}$ $-0.195$ $(0.01)$ $(0.01)$ $(0.29)$ $(0.20)$ $Y_{TT}^2$ $0.03^{***}$ $0.118^{**}$ $76.655^{**}$ $87.872^{*}$ $(0.01)$ $(0.02)$ $(0.03)$ $(11.30)$ $(9.33)$ $Y_T Y_{TR}$ $0.007$ $0.005$ $-17.022$ $-22.695^{*}$ $(0.02)$		Standard	Generalized	Separable	Commonitor
$Y_T$ 0.540***         0.627***         1856.899***         2043.2594           (0.08)         (0.06)         (216.33)         (203.69) $Y_{NT}$ 0.145***         0.057***         78.021***         119.828*           (0.03)         (0.02)         (16.41)         (18.90) $Y_{TR}$ 0.194***         0.115**         184.559*         193.9194           (0.06)         (0.04)         (111.60)         (92.46) $Y_T^2$ 0.277***         0.001         86.334         81.73           (0.07)         (0.04)         (73.64)         (65.40) $Y_{NT}^2$ 0.021***         0.009         0.608**         -0.195           (0.01)         (0.01)         (0.29)         (0.20) $Y_{RT}^2$ 0.03***         0.118**         76.655**         87.872*           (0.01)         (0.04)         (27.52)         (30.43) $Y_T Y_{TR}$ 0.011         -0.046         -2.629         -4.947           (0.02)         (0.03)         (11.30)         (9.33) $Y_T Y_{TR}$ 0.026         -0.074         -82.519         -167.86           (0.01)         (0.02) </th <th>ependent variables</th> <th>Translog</th> <th>Translog</th> <th>quadratic</th> <th>Composite</th>	ependent variables	Translog	Translog	quadratic	Composite
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$\begin{array}{cccccccccccccccccccccccccccccccccccc$	2	0.277***	0.001	86.334	81.773
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$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	2	0.021***	0.009	0.608**	-0.195
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$(0.02)$ $(0.06)$ $(118.12)$ $(107.94)$ $Y_{TR}$ $Y_{0.007}$ $0.005$ $-17.022$ $-22.695*$ $(0.01)$ $(0.02)$ $(17.43)$ $(11.16)$ $Y_T$ $np_L$ $0.015$ $0.016$ $-469.886*$ $(0.02)$ $(0.01)$ $(120.20)$ $Y_{NT}$ $np_L$ $-0.001$ $-469.886*$ $(0.02)$ $(0.01)$ $(120.20)$ $Y_{NT}$ $np_L$ $-0.001$ $-34.098**$ $(0.00)$ $(0.00)$ $(0.00)$ $(8.74)$ $Y_{TR}$ $np_L$ $-0.002$ $-0.003$ $-120.787*$ $(0.00)$ $(0.01)$ $(20.91)$ $(20.91)$ $Y_T$ $np_M$ $-0.005$ $-0.010$ $-47.771$ $(0.01)$ $(0.01)$ $(155.82)$ $(7.91)$ $Y_{NT}$ $np_M$ $0.001$ $0.002$ $4.270$ $(0.00)$ $(0.00)$ $(0.00)$ $(7.91)$ $Y_{TR}$ $np_M$ $0.000$ $0.006$ $13.024$ $(0.00)$ $(0.01)$ $(18.09)$	$Y_{TR}$	0.026	-0.074	-82.519	-167.867
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$\begin{array}{cccccccccccccccccccccccccccccccccccc$		(0.01)	(0.02)	(17.43)	(11.16)
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$Inp_L$	0.015	0.016		-469.886***
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$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$_{NT} lnp_L$	-0.001	-0.001		-34.098***
$Y_{TR} lnp_L$ -0.002       -0.003       -120.787* $(0.00)$ $(0.01)$ $(20.91)$ $Y_T lnp_M$ -0.005       -0.010       -47.771 $(0.01)$ $(0.01)$ $(155.82)$ $Y_{NT} lnp_M$ 0.001       0.002       4.270 $(0.00)$ $(0.00)$ $(7.91)$ $Y_{TR} lnp_M$ 0.000       0.006       13.024 $(0.00)$ $(0.01)$ $(18.09)$ Trend       -0.063       -0.430**       -826.619**       -834.657*		(0.00)	(0.00)		(8.74)
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$r_R lnp_L$	-0.002	-0.003		-120.787***
$Y_T \ lnp_M$ -0.005       -0.010       -47.771         (0.01)       (0.01)       (155.82) $Y_{NT} \ lnp_M$ 0.001       0.002       4.270         (0.00)       (0.00)       (7.91) $Y_{TR} \ lnp_M$ 0.000       0.006       13.024         (0.00)       (0.01)       (18.09)         Trend       -0.063       -0.430**       -826.619**       -834.657*		(0.00)	(0.01)		(20.91)
$(0.01)$ $(0.01)$ $(155.82)$ $Y_{NT} lnp_M$ $0.001$ $0.002$ $4.270$ $(0.00)$ $(0.00)$ $(7.91)$ $Y_{TR} lnp_M$ $0.000$ $0.006$ $13.024$ $(0.00)$ $(0.01)$ $(18.09)$ Trend $-0.063$ $-0.430^{**}$ $-826.619^{**}$	$lnp_M$	-0.005	-0.010		-47.771
$Y_{NT}$ lnp <sub>M</sub> 0.001         0.002         4.270           (0.00)         (0.00)         (7.91) $Y_{TR}$ lnp <sub>M</sub> 0.000         0.006         13.024           (0.00)         (0.01)         (18.09)           Trend         -0.063         -0.430**         -826.619**		(0.01)	(0.01)		(155.82)
$(0.00)$ $(0.00)$ $(7.91)$ $Y_{TR} lnp_M$ $0.000$ $0.006$ $13.024$ $(0.00)$ $(0.01)$ $(18.09)$ Trend $-0.063$ $-0.430^{**}$ $-826.619^{**}$	$_{NT} lnp_M$	0.001	0.002		4.270
$Y_{TR} lnp_M$ 0.000       0.006       13.024         (0.00)       (0.01)       (18.09)         Trend       -0.063       -0.430**       -826.619**       -834.657*		(0.00)	(0.00)		(7.91)
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	$_{TR} lnp_M$	0.000	0.006		13.024
<i>Trend</i> -0.063 -0.430** -826.619** -834.657*		(0.00)	(0.01)		(18.09)
	rend	-0.063	-0.430**	-826.619**	-834.657***
(0.35)  (0.19)  (261.08)  (214.10)		(0.35)	(0.19)	(261.08)	(214.10)
<i>Trend</i> <sup>2</sup> 0.010 0.287 538.526** 611.399*	rend <sup>2</sup>	0.010	0.287	538.526**	611.399***

	(0.35)	(0.19)	(228.83)	(178.23)
$lnp_L$	0.450***	0.451***	0.455***	0.746***
	(0.01)	(0.01)	(0.02)	(0.05)
$ln{p_L}^2$	-0.002	0.000	-0.006	0.084
	(0.04)	(0.03)	(0.03)	(0.05)
$lnp_M$	0.188***	0.185***	0.190***	0.190**
	(0.01)	(0.01)	(0.01)	(0.07)
$ln{p_M}^2$	-0.006	0.035*	0.022	0.018
	(0.02)	(0.02)	(0.02)	(0.02)
$lnp_L lnp_M$	0.022	0.003	0.022	0.016
	(0.02)	(0.02)	(0.02)	(0.04)
Constant	7.804***	7.903***	631.380**	418.375**
	(0.17)	(0.07)	(215.28)	(191.20)
π		0.443***		
		(0.09)		
2				
Cost funct. $R^2adj$	0.99	0.99	0.99	0.99
Lab. share eq. R <sup>2</sup> adj	0.96	0.96	0.95	0.97
Mat. share eq. $R^2adj$	0.86	0.87	0.86	0.87
LogL	295.07	370.93	402.21	427.84
AIC	-544.13	-693.86	-770.42	-809.68
BIC	-470.19	-616.70	-715.76	-735.73
LR test [p-value]	151.73 [0.0] 1 d.f.		51.26 [0.00] 6 d.f.	
Vuong Test Statistics		118.43		

#### Notes:

- All estimates performed by the routine nlsur for Stata 10.1, using an iterative Feasible Generalized NLS estimator.

- The subscripts for the output variables are T for transport services, TR for transport related activities and NT for non-transport services. The subscripts for the input prices are L for labour and M for other variable inputs (i.e. raw materials and fuels).

- In the estimation of the standard translog specification, zero output levels are substituted by the value 0.00001.

- Standard errors are robust to heteroschedasticity of unknown form and to the likely presence of intra cluster correlation. Each cluster is represented by a different firm (40 clusters - firms in all specifications).

- R<sup>2</sup>adj is the centered adjusted R<sup>2</sup>, LogL is the value of the log-likelihood function, assuming errors are i.i.d. Normal. AIC and BIC are the Akaike and Schwarz Bayesian information criteria respectively

#### Submitted Manuscript

- LR test is the likelihood ratio test over the restricted specifications. The standard translog specification is the restricted model for the generalized translog ( $H_0$ :  $\pi=0$ ), while the separable quadratic model is the restricted specification for the composite model (H<sub>0</sub>: all interactions among input prices and output measures are zero).

- Vuong test statistics is the Vuong (1989) closeness test. The null hypothesis is that the composite model and the generalized translog model are the same. The null is rejected at any significance level in favour of the composite model.

- Significance levels: \* 10%; \*\* 5%; \*\*\* 1%.

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	Std. translog	Generalized translog	Separable quadratic	Composite
Global Scope Economies:				
Whole sample				
1 <sup>st</sup> quartile	2.69e+09	0.599***	0.871***	0.635***
	(1.58e+10)	(0.123)	(0.194)	(0.216)
Median	3.23e+09	0.353**	$0.472^{***}$	0.338***
	(1.82e+10)	(0.196)	(0.136)	(0.126)
3 <sup>rd</sup> quartile	2.33e+09	0.022	0.306***	0.258***
	(1.30e+10)	(0.194)	(0.112)	(0.084)
Public firms sample				
1 <sup>st</sup> quartile	3.18e+09	0.358***	0.753***	0.479***
	(1.81e+10)	(0.143)	(0.170)	(0.166)
Median	2.30e+09	-0.035	0.286***	0.176***
	(1.30e+10)	(0.150)	(0.098)	(0.077)
3 <sup>rd</sup> quartile	4.12e+09	-0.416	0.097	0.110
	(2.28e+10)	(0.268)	(0.109)	(0.096)
Private firms sample				
1 <sup>st</sup> quartile	2.30e+09	0.703***	0.813***	0.597***
	(1.35e+10)	(0.201)	(0.197)	(0.212)
Median	2.73e+09	0.313**	0.464***	0.346***
	(1.55e+10)	(0.194)	(0.133)	(0.125)
3 <sup>rd</sup> quartile	2.09e+09	0.062	0.332***	$0.284^{***}$
	(1.18e+10)	(0.178)	(0.105)	(0.093)
Global scale economies	1.137***	1.251***	1.275***	1.185***
	(0.118)	(0.123)	(0.100)	(0.082)
P-value of the test on unit scale economies	[0.12]	[0.02]	[0.00]	[0.01]

Notes: Global scope economies are evaluated for a hypothetical firm with the first quartile, median and third quartile level of each output in the whole sample and in the sub-samples of public and private firms respectively. Input prices are always kept at the sample median value. In the computation of

scope economies for the standard translog model, zero output levels are substituted with 0.00001. Scale economies are computed for the median firm in the sample.

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 TABLE 4: Estimated product specific scope economies: composite specifications. Asymptotic standard errors in parenthesis.

	Whole sample	Public firms	Private firms
SCOPE T	0.183***	0.093**	0.195***
	(0.062)	(0.044)	(0.063)
SCOPE NT	0.156***	0.093**	0.151***
	(0.066)	(0.044)	(0.065)
SCOPE TR	0.186***	0.083****	0.197***
	(0.062)	(0.036)	(0.063)
SCOPE T, NT	0.161***	0.093**	0.164***
	(0.066)	(0.044)	(0.068)
SCOPE T, TR	0.189***	0.123***	0.198***
	(0.064)	(0.053)	(0.064)

Notes: All magnitudes are evaluated for the hypothetical median firm in the sample, scope economies for public and private firms are evaluated for the hypothetical median public and private firm respectively. Input prices are always kept at the sample median value.

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TABLE 5: Estimation results for composite specifications. Dependent variable: natura
logarithm of total operating costs, normalized by the capital price. Cluster robust standard
errors in parenthesis, 184 observations

Dependent variables	(1)	(2)
Y <sub>T</sub>	1944.682***	1609.104***
	(173.55)	(269.39)
$Y_{NT}$	109.187***	
	(14.16)	
Y <sub>TR</sub>	224.427**	41.263
	(80.29)	(200.15)
$Y_T^2$	77.398	175.365**
	(53.60)	(79.98)
$Y_{NT}^{2}$	-0.085	
	(0.16)	
$Y_{TR}^{2}$	69.210**	174.547**
	(29.35)	(84.66)
$Y_T  Y_{NT}$	-7.370	
	(7.62)	
$Y_T Y_{TR}$	-112.907	-61.806
	(98.22)	(210.41)
$Y_{TR}$ $Y_{NT}$	-12.166	
	(11.88)	
$Y_T lnp_L$	-603.117***	-64.057
	(164.94)	(130.67)
$Y_{NT} lnp_L$	-41.177***	
	(10.94)	
$Y_{TR} lnp_L$	-137.829***	-53.770**
	(25.93)	(26.53)
$Y_T lnp_M$	-66.476	-76.249
	(152.16)	(69.77)

7.153

(13.02)

-2957.180\*\*

(1068.74)

2174.921\*\*

(802.44)

0.506\*\*\*

(0.06)

-0.021

(0.03)

0.206\*\*\*

(0.03)

-0.019

(0.02)

0.047\*\*

(0.02)

4979.991\*\*

(2411.07)

205.024\*\*

(71.67)

1803.321\*\*

(732.03)

0.996

0.959

0.864

285.54

-533.08

$Y_{NT} lnp_M$	3.045
	(8.31)
$Y_{TR} lnp_M$	9.075
	(18.97)
Trend	-686.790**
	(233.73)
<i>Trend</i> <sup>2</sup>	489.531**
	(194.85)
lnp <sub>L</sub>	0.817***
	(0.08)
lnp <sub>L</sub> <sup>2</sup>	0.123**
	(0.06)
$lnp_M$	0.200**
	(0.07)
$ln{p_M}^2$	0.017
	(0.02)
$lnp_L lnp_M$	0.021
	(0.04)
Dummy - Public	446.120
	(328.69)
Dummy - Non - Transport	
Constant	346.218**
	(175.21)
Cost funct. R <sup>2</sup> adj	0.999
Lab. share eq. R <sup>2</sup> adj	0.971
Mat. share eq. $R^2$ adj	0.871
LogL	432.94
AIC	-817.88

#### **Submitted Manuscript**

BIC	-740.72	-472.00
Global scope economies	0.288**	0.374***
	(0.123)	(0.133)

Significance levels: \* 10%; \*\* 5%; \*\*\* 1%