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# Degenerate determinant representation of solutions of the NLS equation, higher Peregrine breathers and multi-rogue waves.

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## Abstract

We present a new representation of solutions of the focusing NLS equation as a quotient of two determinants. This work is based on a recent paper in which we have constructed a multi-parametric family of this equation in terms of wronskians. This formulation was written in terms of a limit involving a parameter.

Here we give a very compact formulation without presence of a limit. This is a completely new result which gives a very efficient procedure to construct families of quasi-rational solutions of the NLS equation. With this method, we construct Peregrine breathers of orders  $N = 4$  to 7 and multi-rogue waves associated by deformation of parameters.

## 1 Introduction

In 1972 Zakharov and Shabat solved the nonlinear Schrödinger equation (NLS) using the inverse scattering method. The case of periodic and almost periodic algebro-geometric solutions to the focusing NLS equation were first constructed in 1976 by Its and Kotlyarov [15]. The first quasi-rational solutions of NLS equation were constructed in 1983 by Peregrine, nowadays called worldwide Peregrine breathers. In 1986 Eleonski, Akhmediev and Kulagin obtained the two-phase almost periodic solution to the NLS equation

and obtained the first higher order analogue of the Peregrine breather[3]. Other families of higher order were constructed in a series of articles by Akhmediev et al. [1, 2] using Darboux transformations.

In 2010, it has been shown in [7] that rational solutions of the NLS equation can be written as a quotient of two Wronskians. With this formulation, it was possible to recover as a particular case, Akhmediev's quasi-rational solution of the NLS equation.

Recently, it has been constructed in [13] a new representation of the solutions of the NLS equation in terms of a ratio of two wronskians determinants of even order  $2N$  composed of elementary functions; the related solutions of NLS are called of order  $N$ . Quasi-rational solutions of the NLS equation were obtained by the passage to the limit when some parameter tended to 0.

Here we obtain a new representation of quasi-rational solutions of NLS in term of a quotient of two determinants different from preceding works which does not involve wronskians.

With this method, we obtain very easily solutions of NLS equation with parameters of deformations until order 7. The following orders will be able to be the object of other publications.

These results can be compared with those obtain recently by Akhmediev et al. in [5] with Darboux dressing method and numerical approach.

This method appears to be very efficient without common measurement with the preceding one exposed in [13] and leads to new results about NLS equation.

## **2 Expression of solutions of NLS equation in terms of Wronskian determinant and quasi-rational limit**

### **2.1 Solutions of NLS equation in terms of Wronskian determinant**

We recall results obtained in [13]. We consider the focusing NLS equation

$$iv_t + v_{xx} + 2|v|^2v = 0. \tag{1}$$

From [12], the solution of the NLS equation can be written in the form

$$v(x, t) = \frac{\det(I + A_3(x, t))}{\det(I + A_1(x, t))} \exp(2it - i\varphi). \quad (2)$$

In (2), the matrix  $A_r = (a_{\nu\mu})_{1 \leq \nu, \mu \leq 2N}$  is defined by

$$a_{\nu\mu} = (-1)^{\epsilon_\nu} \prod_{\lambda \neq \mu} \left| \frac{\gamma_\lambda + \gamma_\nu}{\gamma_\lambda - \gamma_\mu} \right| \exp(i\kappa_\nu x - 2\delta_\nu t + x_{r,\nu} + e_\nu). \quad (3)$$

$\kappa_\nu, \delta_\nu, \gamma_\nu$  are functions of the parameters  $\lambda_\nu, \nu = 1, \dots, 2N$  satisfying the relations

$$0 < \lambda_j < 1, \quad \lambda_{N+j} = -\lambda_j, \quad 1 \leq j \leq N. \quad (4)$$

They are given by the following equations,

$$\kappa_\nu = 2\sqrt{1 - \lambda_\nu^2}, \quad \delta_\nu = \kappa_\nu \lambda_\nu, \quad \gamma_\nu = \sqrt{\frac{1 - \lambda_\nu}{1 + \lambda_\nu}}, \quad (5)$$

and

$$\kappa_{N+j} = \kappa_j, \quad \delta_{N+j} = -\delta_j, \quad \gamma_{N+j} = 1/\gamma_j, \quad j = 1 \dots N. \quad (6)$$

The terms  $x_{r,\nu}$  are defined by

$$x_{r,\nu} = (r - 1) \ln \frac{\gamma_\nu - i}{\gamma_\nu + i}, \quad 1 \leq j \leq 2N. \quad (7)$$

The parameters  $a_j$  and  $b_j$ , for  $1 \leq N$  are arbitrary parameters.

The terms  $\epsilon_\nu$  are defined by :

$$\begin{aligned} \epsilon_\nu &= 0, & 1 \leq \nu \leq N \\ \epsilon_\nu &= 1, & N + 1 \leq \nu \leq 2N. \end{aligned} \quad (8)$$

We consider the functions

$$\begin{aligned} \phi_\nu^r(y) &= \sin(\kappa_\nu x/2 + i\delta_\nu t - ix_{r,\nu}/2 + \gamma_\nu y - ie_\nu), & 1 \leq \nu \leq N, \\ \phi_\nu^r(y) &= \cos(\kappa_\nu x/2 + i\delta_\nu t - ix_{r,\nu}/2 + \gamma_\nu y - ie_\nu), & N + 1 \leq \nu \leq 2N. \end{aligned} \quad (9)$$

We use the following notations :

$$\Theta_\nu = \kappa_\nu x/2 + i\delta_\nu t - ix_{r,\nu}/2 + \gamma_\nu y - ie_\nu, \quad 1 \leq \nu \leq 2N.$$

$W_r(y) = W(\phi_1, \dots, \phi_{2N})$  is the wronskian

$$W_r(y) = \det[(\partial_y^{\mu-1} \phi_\nu)_{\nu, \mu \in [1, \dots, 2N]}]. \quad (10)$$

We consider the matrix  $D_r = (d_{\nu\mu})_{\nu, \mu \in [1, \dots, 2N]}$  defined by

$$d_{\nu\mu} = (-1)^{\epsilon_\nu} \prod_{\lambda \neq \mu} \left| \frac{\gamma_\lambda + \gamma_\nu}{\gamma_\lambda - \gamma_\mu} \right| \exp(i\kappa_\nu x - 2\delta_\nu t + x_{r,\nu} - ie_\nu),$$

$$1 \leq \nu \leq 2N, \quad 1 \leq \mu \leq 2N.$$

Then we get the following link between Fredholm and Wronskian determinants [10]

**Theorem 2.1**

$$\det(I + D_r) = k_r(0) \times W_r(\phi_1, \dots, \phi_{2N})(0), \quad (11)$$

where

$$k_r(y) = \frac{2^{2N} \exp(i \sum_{\nu=1}^{2N} \Theta_\nu)}{\prod_{\nu=2}^{2N} \prod_{\mu=1}^{\nu-1} (\gamma_\nu - \gamma_\mu)}.$$

It can be deduced the following result :

**Theorem 2.2** *The function  $v$  defined by*

$$v(x, t) = \frac{W_3(0)}{W_1(0)} \exp(2it - i\varphi). \quad (12)$$

*is solution of the NLS equation (1)*

$$iv_t + v_{xx} + 2|v|^2v = 0.$$

## 2.2 Quasi-rational solutions of NLS equation in terms of a limit of a ratio of wronskian determinants

In the following, we take the limit when the parameters  $\lambda_j \rightarrow 1$  for  $1 \leq j \leq N$  and  $\lambda_j \rightarrow -1$  for  $N + 1 \leq j \leq 2N$ .

We consider the parameter  $\lambda_j$  written in the form

$$\lambda_j = 1 - j\epsilon^2, \quad 1 \leq j \leq N. \quad (13)$$

When  $\epsilon$  goes to 0, we realize limited expansions at order  $p$ , for  $1 \leq j \leq N$ , of the terms

$$\kappa_j = 4\sqrt{j/2}\epsilon(1 - \epsilon^2 j/2)^{1/2}, \quad \delta_j = 4\sqrt{j/2}\epsilon(1 - 2\epsilon^2 j/2)(1 - \epsilon^2 j/2)^{1/2},$$

$$\gamma_j = \sqrt{j/2}\epsilon(1 - \epsilon^2 j/2)^{-1/2}, \quad x_{r,j} = (r - 1) \ln \frac{1 + i\epsilon\sqrt{j/2}(1 - \epsilon^2 j/2)^{-1/2}}{1 - i\epsilon\sqrt{j/2}(1 - \epsilon^2 j/2)^{-1/2}},$$

$$\begin{aligned}\kappa_{N+j} &= 4\sqrt{j/2}\epsilon(1 - \epsilon^2 j/2)^{1/2}, \quad \delta_{N+j} = -4\sqrt{j/2}\epsilon(1 - 2\epsilon^2 j/2)(1 - \epsilon^2 j/2)^{1/2}, \\ \gamma_{N+j} &= 1/(\sqrt{j/2}\epsilon)(1 - \epsilon^2 j/2)^{1/2}, \quad x_{r,N+j} = (r-1) \ln \frac{1-i\epsilon\sqrt{j/2}(1-\epsilon^2 j/2)^{-1/2}}{1+i\epsilon\sqrt{j/2}(1-\epsilon^2 j/2)^{-1/2}}.\end{aligned}$$

The parameters  $a_j$  and  $b_j$ , for  $1 \leq N$  are chosen in the form

$$a_j = \tilde{a}_j \epsilon^{2N-1}, \quad b_j = \tilde{b}_j \epsilon^{2N-1}, \quad 1 \leq j \leq N. \quad (14)$$

We have the result given in [12] :

**Theorem 2.3** *With the parameters  $\lambda_j$  defined by (13),  $a_j$  and  $b_j$  chosen as in (14), for  $1 \leq j \leq N$ , the function  $v$  defined by*

$$v(x, t) = \exp(2it - i\varphi) \lim_{\epsilon \rightarrow 0} \frac{W_3(0)}{W_1(0)}, \quad (15)$$

is a quasi-rational solution of the NLS equation (1)

$$iv_t + v_{xx} + 2|v|^2 v = 0,$$

depending on  $2N$  parameters  $\tilde{a}_j, \tilde{b}_j, 1 \leq j \leq N$ .

### 3 Expression of solutions of NLS equation in terms of a ratio of two determinants

We construct here solutions of the NLS equation which does not involve wronskian determinant and a passage to the limit, but which is expressed as a quotient of two determinants.

For this we need the following notations :

$$A_\nu = \kappa_\nu x/2 + i\delta_\nu t - ix_{3,\nu}/2 - ie_\nu/2,$$

$$B_\nu = \kappa_\nu x/2 + i\delta_\nu t - ix_{1,\nu}/2 - ie_\nu/2,$$

for  $1 \leq \nu \leq 2N$ , with  $\kappa_\nu, \delta_\nu, x_{r,\nu}, e_\nu$  defined in the preceding section.

We define the following functions :

$$\begin{aligned}f_{4j+1,k} &= \gamma_k^{4j-1} \sin A_k, & f_{4j+2,k} &= \gamma_k^{4j} \cos A_k, \\ f_{4j+3,k} &= -\gamma_k^{4j+1} \sin A_k, & f_{4j+4,k} &= -\gamma_k^{4j+2} \cos A_k,\end{aligned}$$

for  $1 \leq k \leq N$ , and

$$\begin{aligned} f_{4j+1,k} &= \gamma_k^{2N-4j-2} \cos A_k, & f_{4j+2,k} &= -\gamma_k^{2N-4j-3} \sin A_k, \\ f_{4j+3,k} &= -\gamma_k^{2N-4j-4} \cos A_k, & f_{4j+4,k} &= \gamma_k^{2N-4j-5} \sin A_k, \end{aligned}$$

for  $N+1 \leq k \leq 2N$ .

We define the functions  $g_{j,k}$  for  $1 \leq j \leq 2N$ ,  $1 \leq k \leq 2N$  in the same way, we replace only the term  $A_k$  by  $B_k$ .

$$\begin{aligned} g_{4j+1,k} &= \gamma_k^{4j-1} \sin B_k, & g_{4j+2,k} &= \gamma_k^{4j} \cos B_k, \\ g_{4j+3,k} &= -\gamma_k^{4j+1} \sin B_k, & g_{4j+4,k} &= -\gamma_k^{4j+2} \cos B_k, \end{aligned}$$

for  $1 \leq k \leq N$ , and

$$\begin{aligned} g_{4j+1,k} &= \gamma_k^{2N-4j-2} \cos B_k, & g_{4j+2,k} &= -\gamma_k^{2N-4j-3} \sin B_k, \\ g_{4j+3,k} &= -\gamma_k^{2N-4j-4} \cos B_k, & g_{4j+4,k} &= \gamma_k^{2N-4j-5} \sin B_k, \end{aligned}$$

for  $N+1 \leq k \leq 2N$ .

Then it is clear that

$$q(x, t) := \frac{W_3(0)}{W_1(0)}$$

can be written as

$$q(x, t) = \frac{\Delta_3}{\Delta_1} = \frac{\det(f_{j,k})_{j,k \in [1,2N]}}{\det(g_{j,k})_{j,k \in [1,2N]}}. \quad (16)$$

We recall that  $\lambda_j = 1 - j\epsilon^2$ . All the functions  $f_{j,k}$  and  $g_{j,k}$  depend on  $\epsilon$ . We use the expansions

$$f_{j,k}(x, t, \epsilon) = \sum_{l=0}^{2N} f_{j,1}[l](a(k))^l \epsilon^{2l} + O(\epsilon^{4N}), \quad f_{j,1}[l] = \frac{\partial^{2l} f_{j,1}}{\partial \epsilon^{2l}}(x, t, 0), \quad 1 \leq k \leq N,$$

$$f_{j,k}(x, t, \epsilon) = \sum_{l=0}^{2N} f_{j,N+1}[l](b(k))^l \epsilon^{2l} + O(\epsilon^{4N}), \quad f_{j,N+1}[l] = \frac{\partial^{2l} f_{j,N+1}}{\partial \epsilon^{2l}}(x, t, 0), \quad N+1 \leq k \leq 2N.$$

We have the same expansions for the functions  $g_{j,k}$ .

$$g_{j,k}(x, t, \epsilon) = \sum_{l=0}^{2N} g_{j,1}[l](a(k))^l \epsilon^{2l} + O(\epsilon^{4N}), \quad g_{j,1}[l] = \frac{\partial^{2l} g_{j,1}}{\partial \epsilon^{2l}}(x, t, 0), \quad 1 \leq k \leq N,$$

$$g_{j,k}(x, t, \epsilon) = \sum_{l=0}^{2N} g_{j,N+1}[l](b(k))^l \epsilon^{2l} + O(\epsilon^{4N}), \quad g_{j,N+1}[l] = \frac{\partial^{2l} g_{j,N+1}}{\partial \epsilon^{2l}}(x, t, 0), \quad N+1 \leq k \leq 2N.$$

Then  $q(x, t)$  can be rewritten as

$$q(x, t) = \frac{\begin{vmatrix} f_{1,1}[0] & \cdots & f_{1,1}[N-1] & f_{1,N+1}[0] & \cdots & f_{1,N+1}[N-1] \\ f_{2,1}[0] & \cdots & f_{2,1}[N-1] & f_{2,N+1}[0] & \cdots & f_{2,N+1}[N-1] \\ \vdots & \vdots & \vdots & \vdots & \vdots & \vdots \\ f_{2N,1}[0] & \cdots & f_{2N,1}[N-1] & f_{2N,N+1}[0] & \cdots & f_{2N,N+1}[N-1] \end{vmatrix}}{\begin{vmatrix} g_{1,1}[0] & \cdots & g_{1,1}[N-1] & g_{1,N+1}[0] & \cdots & g_{1,N+1}[N-1] \\ g_{2,1}[0] & \cdots & g_{2,1}[N-1] & g_{2,N+1}[0] & \cdots & g_{2,N+1}[N-1] \\ \vdots & \vdots & \vdots & \vdots & \vdots & \vdots \\ g_{2N,1}[0] & \cdots & g_{2N,1}[N-1] & g_{2N,N+1}[0] & \cdots & g_{2N,N+1}[N-1] \end{vmatrix}}$$

Then we get the following result :

**Theorem 3.1** *The function  $v$  defined by*

$$v(x, t) = \exp(2it - i\varphi) \frac{\begin{vmatrix} f_{1,1}[0] & \cdots & f_{1,1}[N-1] & f_{1,N+1}[0] & \cdots & f_{1,N+1}[N-1] \\ f_{2,1}[0] & \cdots & f_{2,1}[N-1] & f_{2,N+1}[0] & \cdots & f_{2,N+1}[N-1] \\ \vdots & \vdots & \vdots & \vdots & \vdots & \vdots \\ f_{2N,1}[0] & \cdots & f_{2N,1}[N-1] & f_{2N,N+1}[0] & \cdots & f_{2N,N+1}[N-1] \end{vmatrix}}{\begin{vmatrix} g_{1,1}[0] & \cdots & g_{1,1}[N-1] & g_{1,N+1}[0] & \cdots & g_{1,N+1}[N-1] \\ g_{2,1}[0] & \cdots & g_{2,1}[N-1] & g_{2,N+1}[0] & \cdots & g_{2,N+1}[N-1] \\ \vdots & \vdots & \vdots & \vdots & \vdots & \vdots \\ g_{2N,1}[0] & \cdots & g_{2N,1}[N-1] & g_{2N,N+1}[0] & \cdots & g_{2N,N+1}[N-1] \end{vmatrix}}. \quad (17)$$

is a quasi-rational solution of the NLS equation (1).

$$iv_t + v_{xx} + 2|v|^2v = 0,$$



## 4 Quasi-rational solutions of order $N$

We have already constructed in [13] solutions for the cases  $N = 1, 2, 3$ , and this method gives the same results. We don't reproduce it here. We only give solutions of (NLS) equation in the cases from  $N = 4$  to 7.

Because of the length of the expressions of polynomials  $N$  and  $D$  in the solutions  $v$  of the NLS equation defined by

$$v(x, t) = \frac{N(x, t)}{D(x, t)} \exp(2it - i\varphi),$$

we only give in the appendix. In the following cases, we only give the plots for the modulus of  $v$  in the  $(x, t)$  coordinates.

## 4.1 Case N=4

If we choose  $\tilde{a}_1 = 0$ ,  $\tilde{b}_1 = 0$ , we obtain the classical Akhmediev's breather :

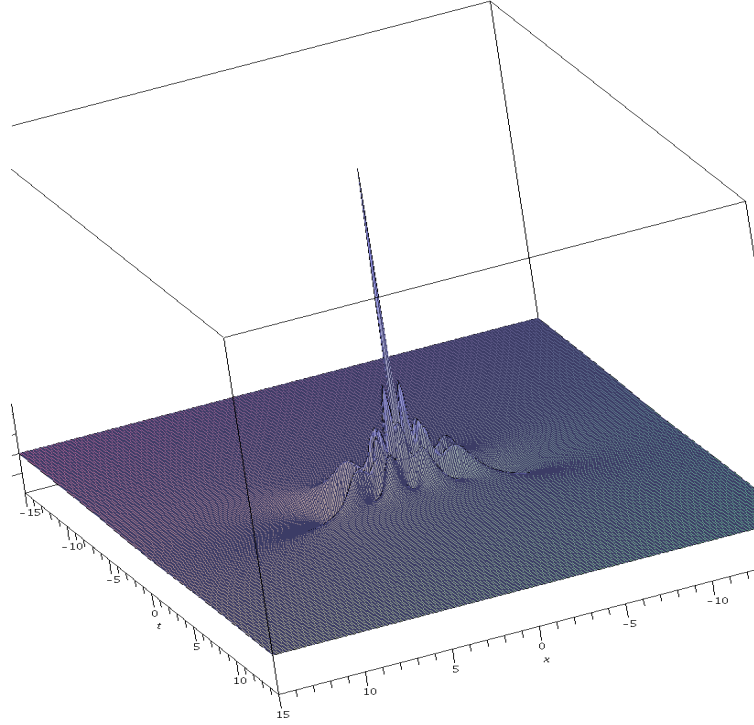


Figure 1: Solution of NLS, N=4,  $\tilde{a}_1 = 0$ ,  $\tilde{b}_1 = 0$ .

If we choose  $\tilde{a}_1 = 0$ ,  $\tilde{b}_1 = 1000$ , we obtain the plot :

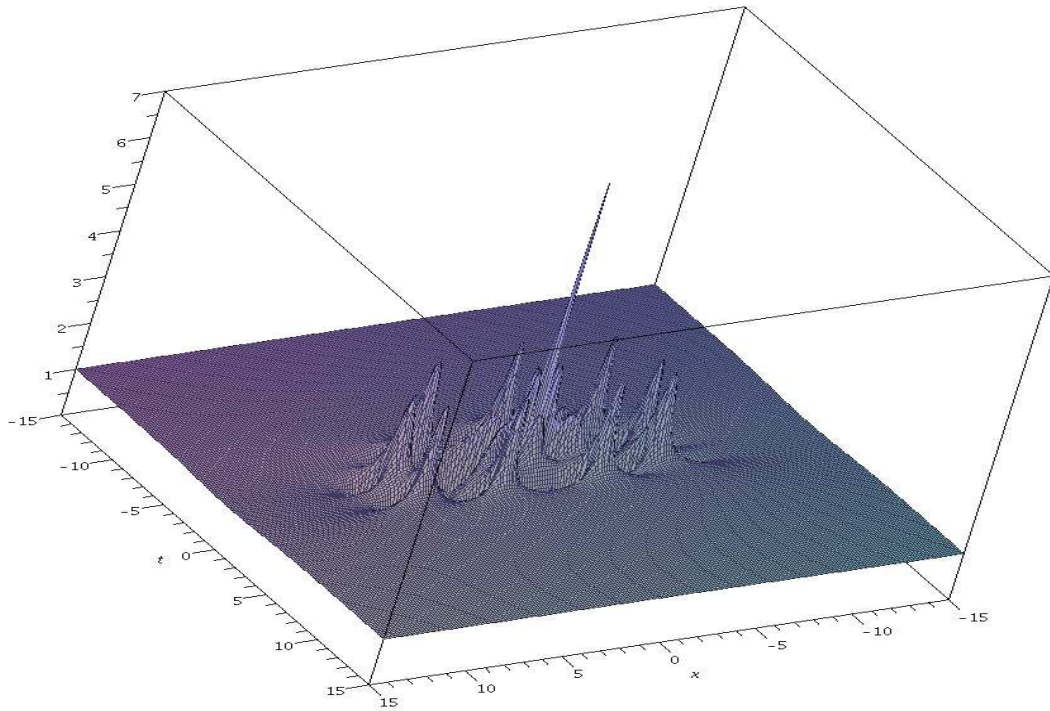


Figure 2: Solution of NLS,  $N=4$ ,  $\tilde{a}_1 = 0$ ,  $\tilde{b}_1 = 1000$ .

If we choose  $\tilde{a}_1 = 1000000$ ,  $\tilde{b}_1 = -100$ , we obtain the regular plot :

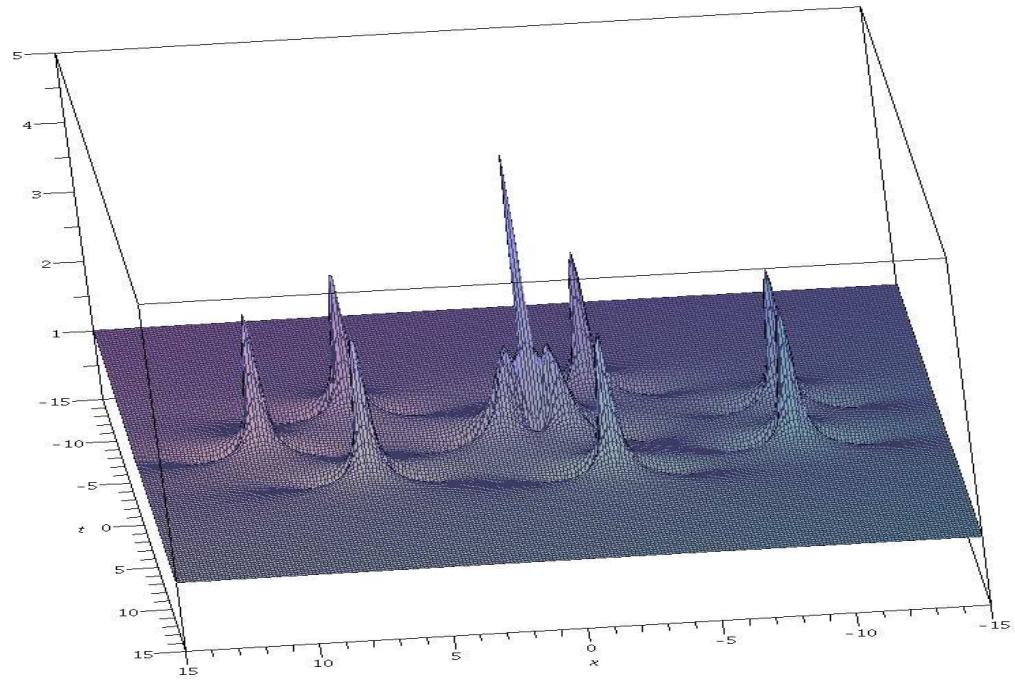


Figure 3: Solution of NLS,  $N=4$ ,  $\tilde{a}_1 = 1000000$ ,  $\tilde{b}_1 = -100$ .

## 4.2 Case N=5

For  $\tilde{a}_1 = 0$ ,  $\tilde{b}_1 = 0$ , we obtain Akhmediev's breather.

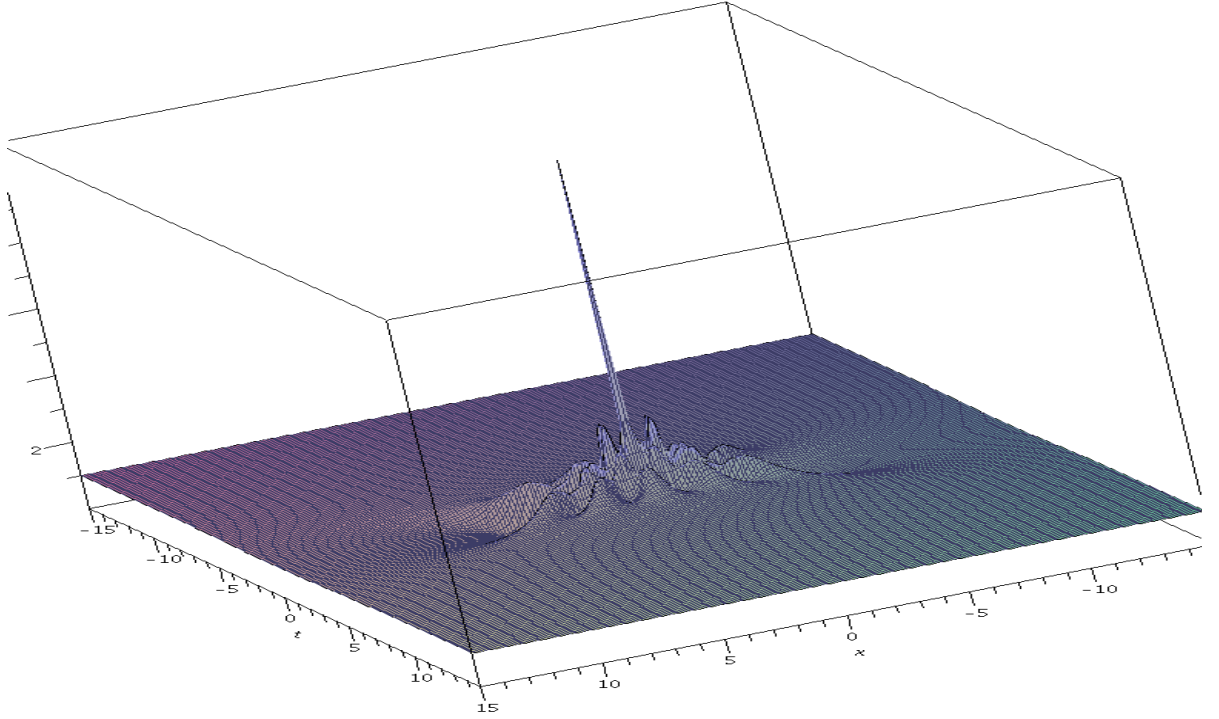


Figure 4: Solution of NLS, N=5,  $\tilde{a}_1 = 0$ ,  $\tilde{b}_1 = 0$ .

If we choose  $\tilde{a}_1 = 0$ ,  $\tilde{b}_1 = 100000$ , we obtain :

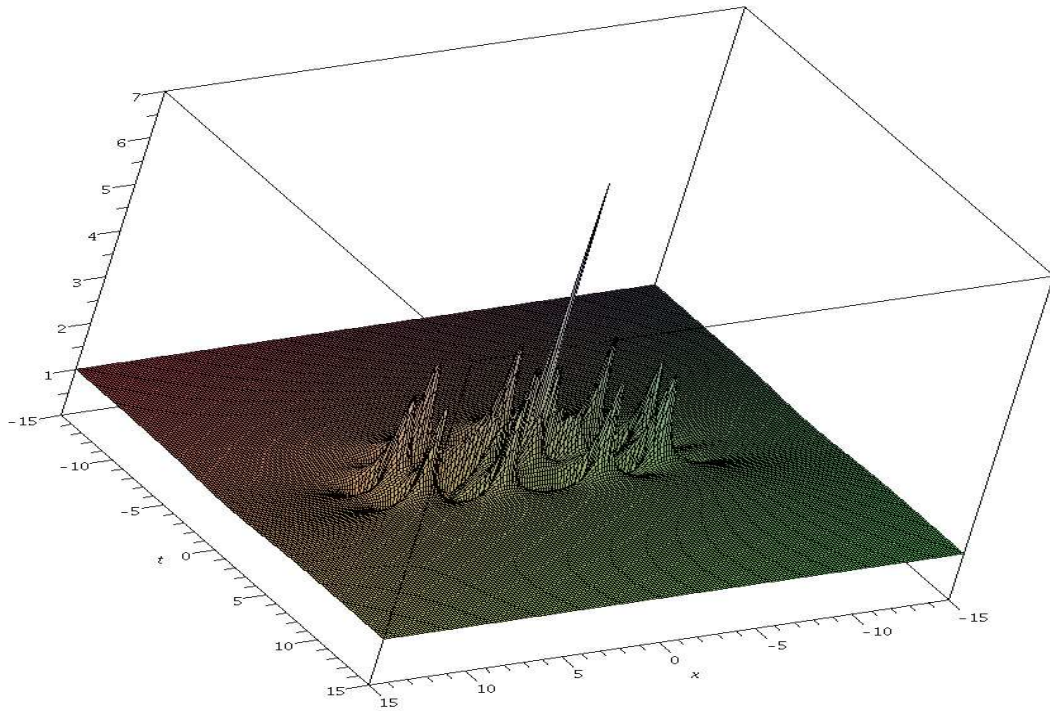


Figure 5: Solution of NLS,  $N=5$ ,  $\tilde{a}_1 = 0$ ,  $\tilde{b}_1 = 100000$ .

If we choose  $\tilde{a}_1 = 100000000$ ,  $\tilde{b}_1 = -100000$ , we have :

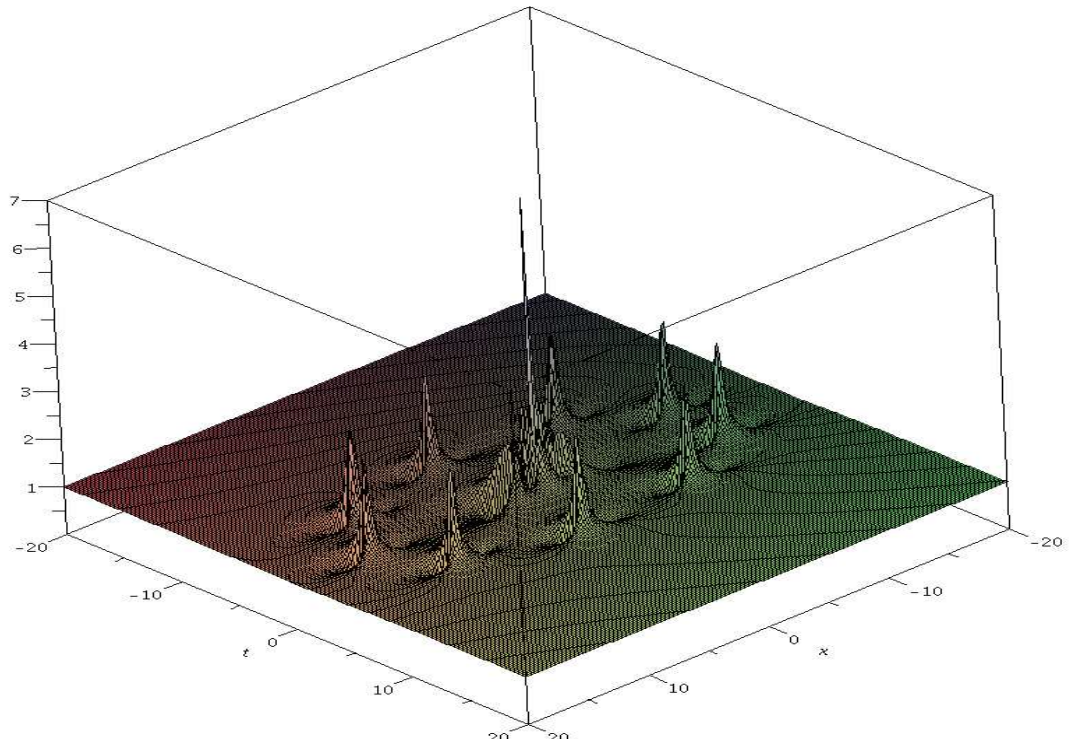


Figure 6: Solution of NLS,  $N=5$ ,  $\tilde{a}_1 = 100000000$ ,  $\tilde{b}_1 = -100000$ .

### 4.3 Case N=6

If we choose  $\tilde{a}_1 = 0$ ,  $\tilde{b}_1 = 0$ , we obtain the following plot :

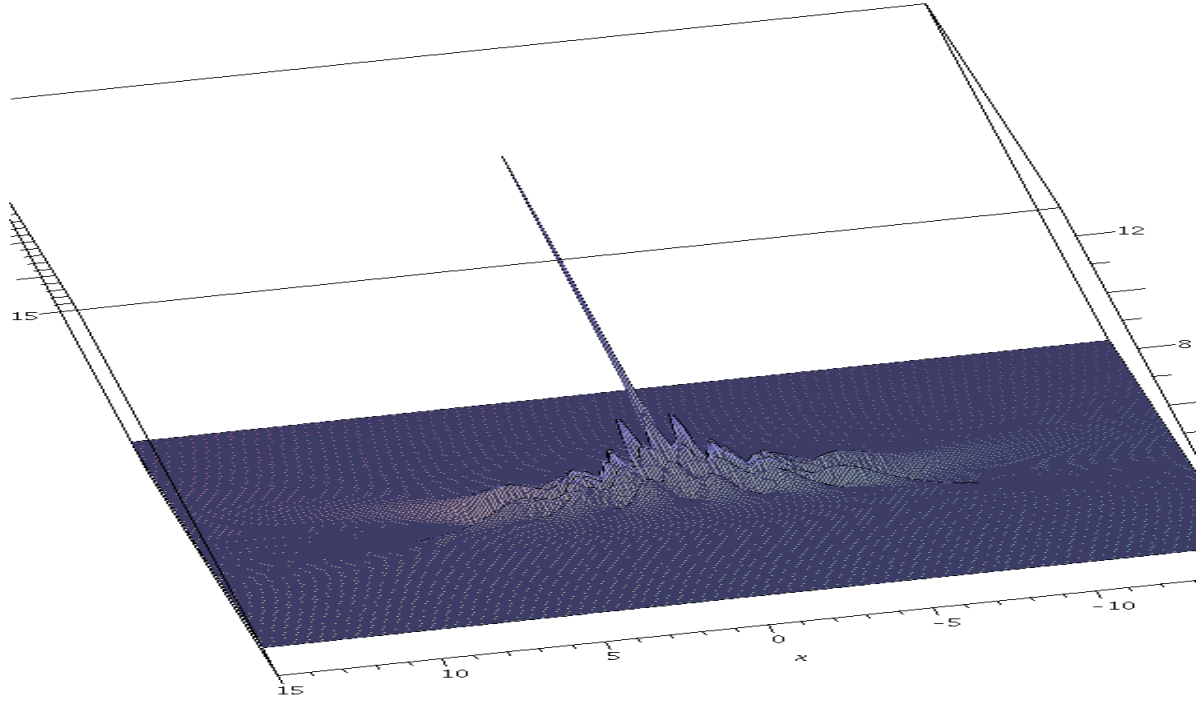


Figure 7: Solution of NLS, N=6,  $\tilde{a}_1 = 0$ ,  $\tilde{b}_1 = 0$ .



If we choose  $\tilde{a}_1 = 0$ ,  $\tilde{b}_1 = 1000000$ , we obtain :

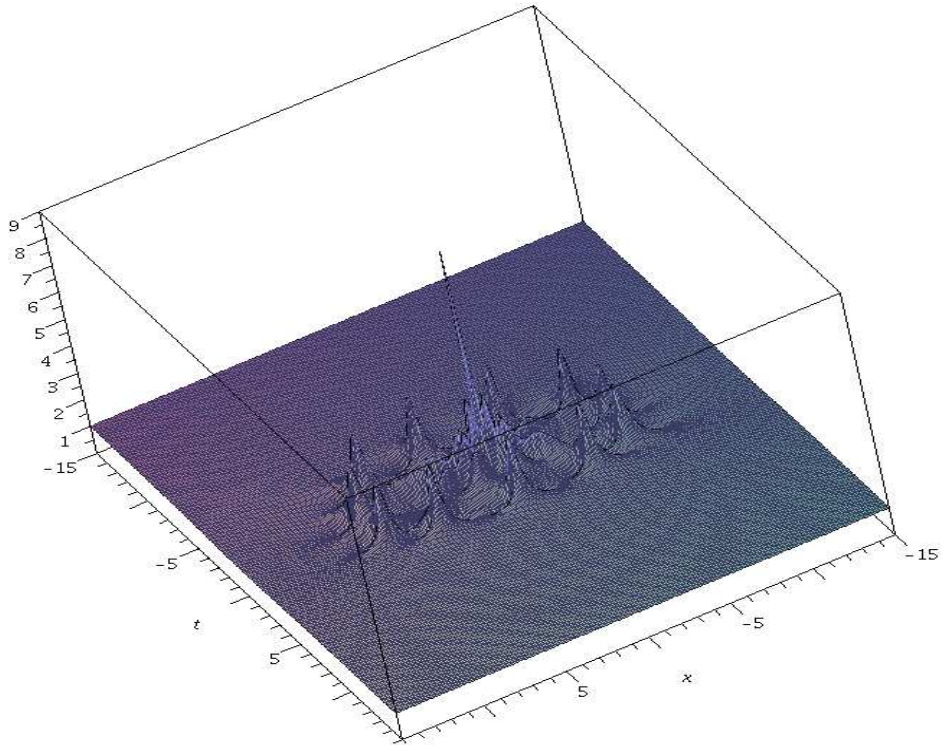


Figure 8: Solution of NLS,  $N=6$ ,  $\tilde{a}_1 = 0$ ,  $\tilde{b}_1 = 1000000$ .

If we choose  $\tilde{a}_1 = 1000000000$ ,  $\tilde{b}_1 = -1000000$ , we obtain the regular figure with 12 peaks :

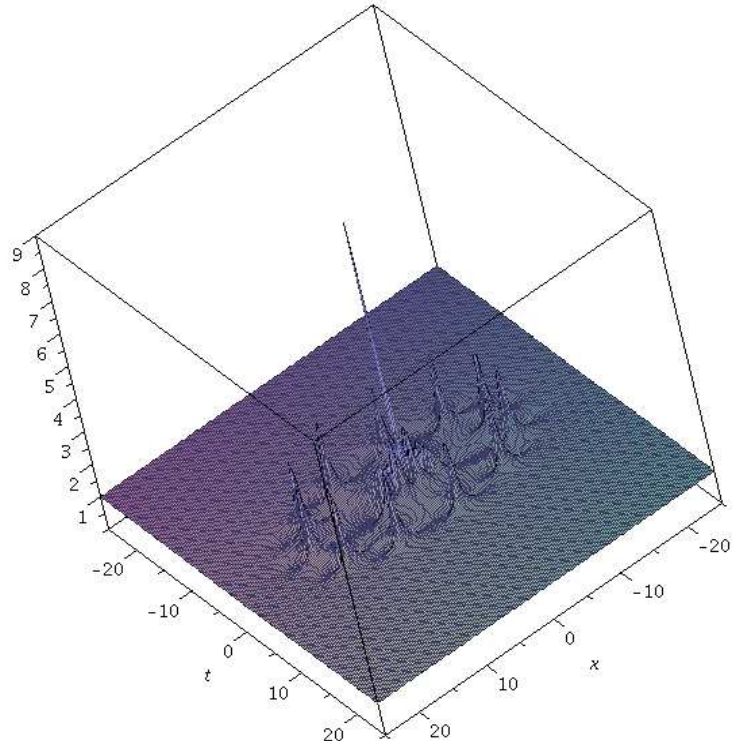


Figure 9: Solution of NLS,  $N=6$ ,  $\tilde{a}_1 = 1000000000$ ,  $\tilde{b}_1 = -1000000$ .

#### 4.4 Case N=7

If we choose  $\tilde{a}_1 = 0$ ,  $\tilde{b}_1 = 0$ , we recognize Akhmediev's breather :

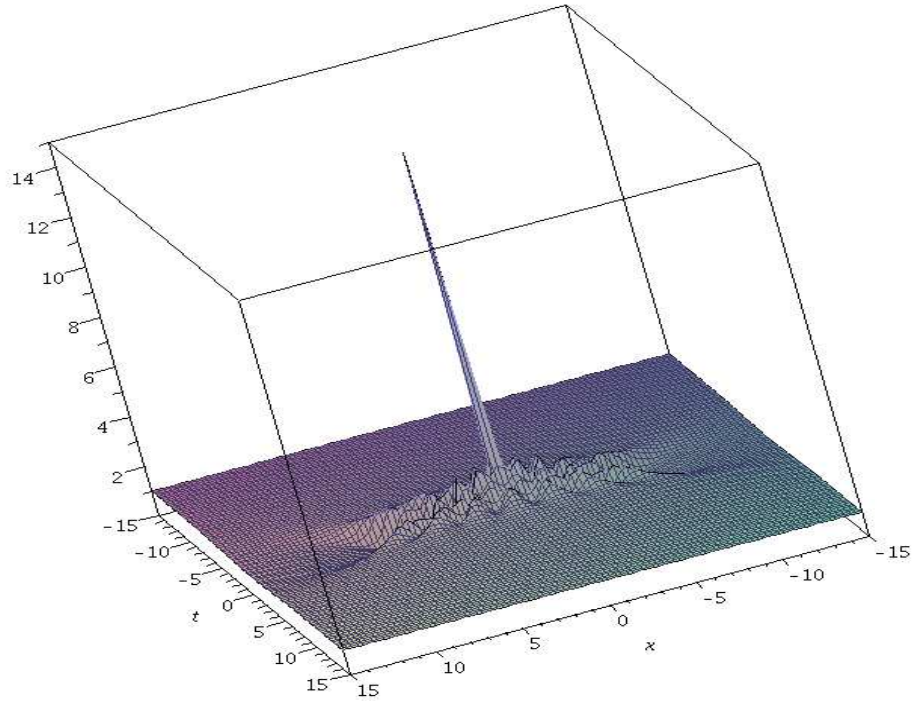


Figure 10: Solution of NLS, N=7,  $\tilde{a}_1 = 0$ ,  $\tilde{b}_1 = 0$ .

If we choose  $\tilde{a}_1 = 0$ ,  $\tilde{b}_1 = 100000000$ , we obtain the following plot :

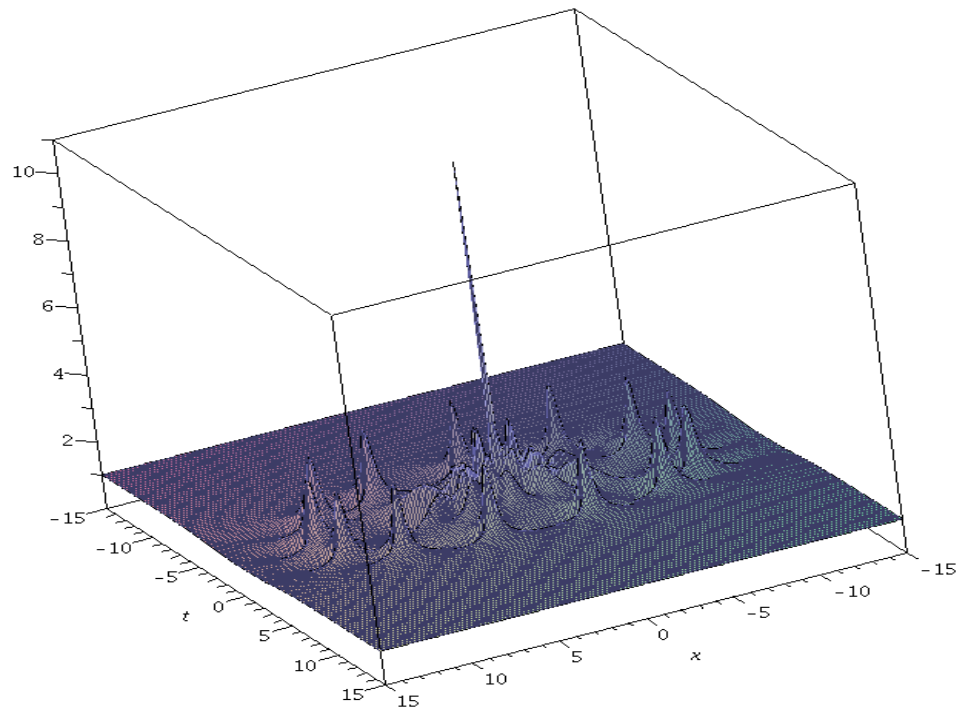


Figure 11: Solution of NLS,  $N=7$ ,  $\tilde{a}_1 = 0$ ,  $\tilde{b}_1 = 100000000$ .

If we choose  $\tilde{a}_1 = 1000000000000$ ,  $\tilde{b}_1 = -100000000$ , we obtain the following regular plot :

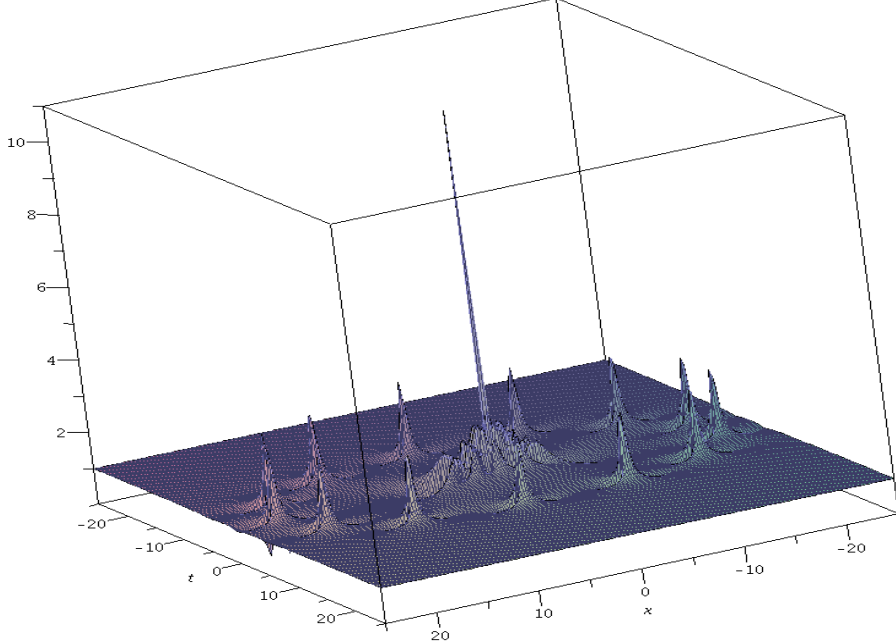


Figure 12: Solution of NLS,  $N=7$ ,  $\tilde{a}_1 = 1000000000000$ ,  $\tilde{b}_1 = -100000000$ .

## 5 Conclusion

The method described in the present paper provides a powerful tool to get explicitly solutions of the NLS equation.

As my knowledge, it is the first time that the Peregrine breather of order seven is presented.

It confirms the conjecture about the shape of the breather in the  $(x, t)$  coordinates, the maximum of amplitude equal to  $2N + 1$  and the degree of polynomials in  $x$  and  $t$  here equal to  $N(N + 1)$ . This new formulation gives an infinite set of non singular solution of NLS equation. It opens a large way to future researches in this domain.

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## Appendix

In the following, we choose all the parameters  $a$  and  $b$  equal to 0. The solution of NLS equation takes the form

$$v(x, t) = \frac{N(x, t)}{D(x, t)} \exp(2it - i\varphi).$$

### 1. Case N=4

The polynomials  $N$  and  $D$  are defined by

$$\begin{aligned} N(x, t) = & -1048576x^{20} + (7864320 + 41943040it - 41943040t^2)x^{18} \\ & + (44236800 - 283115520it + 1509949440it^3 - 754974720t^4 + 1415577600t^2)x^{16} \\ & + (324403200 - 4246732800t^2 + 24159191040it^5 + 37748736000t^4 - 1415577600it - 25165824000it^3 - 8053063680t^6)x^{14} \\ & + (13212057600it^3 + 225485783040it^7 - 493250150400it^5 - 9083289600it \\ & + 465064427520t^6 - 10734796800t^2 - 56371445760t^8 - 235615027200t^4 + 1354752000)x^{12} \\ & + (-3223742054400t^6 + 1352914698240it^9 - 4396972769280it^7 - 138726604800it^3 - 74008166400t^2 \\ & - 6096384000 + 9909043200t^4 + 3297729576960t^8 + 1088673546240it^5 - 270582939648t^{10} - 32514048000it)x^{10} \\ & + (14543833006080t^{10} - 402554880000it^3 - 9398592000 - 804722688000t^2 + 5411658792960it^{11} \\ & + 10477161676800t^6 + 12049396531200it^7 - 1086898176000t^4 - 901943132160t^{12} - 18232639488000t^8 \\ & - 20857434931200it^9 - 5588700364800it^5 + 121927680000it)x^8 \\ & + (48197586124800it^9 + 16161649459200t^6 - 2061584302080t^{14} - 19920273408000t^4 + 47933344972800t^8 \\ & + 14431090114560it^{13} - 19074908160000it^5 + 7153090560000it^3 - 36923296972800t^{10} + 150377472000it \\ & - 11430720000 + 40587440947200t^{12} - 52312701665280it^{11} + 678730752000t^2 + 12472182374400it^7)x^6 \\ & + (-98297708544000it^9 + 273331047628800t^{10} + 24739011624960it^{15} - 207309570048000t^6 + 350542080000t^2 \\ & + 70490456064000it^5 + 52425444556800t^{12} + 291375415296000t^8 - 3092376453120t^{16} + 137168640000it \\ & + 9644670000 - 54116587929600it^{13} - 344240160768000it^7 + 37205154201600it^{11} + 69578470195200t^{14} \\ & + 3170119680000it^3 + 3292047360000t^4)x^4 + (24739011624960it^{17} + 1181263645900800t^{12} + 66486093742080t^{16} \\ & - 1542243483648000t^{10} - 1290950148096000it^9 + 20615843020800it^{15} + 330497733427200t^{14} \\ & + 1311675120000t^2 - 19203609600000t^4 - 73156608000000it^5 - 77157360000it - 202937204736000it^{13} \\ & + 546681913344000it^7 - 2748779069440t^{18} + 6958006272000t^6 - 2693991392870400it^{11} \\ & - 1756650405888000t^8 + 4511324160000it^3 + 2679075000)x^2 \\ & 200930625 + 1099511627776t^{20} + 1883933717299200it^{13} - 26800595927040t^{18} + 569274531840000it^9 - 379138238054400t^{16} \\ & - 395779571712000it^7 - 796770120499200t^{14} - 10995116277760it^{19} + 832835262873600t^{12} - 53014155264000it^5 \\ & + 523098390528000t^{10} - 63909113364480it^{17} + 963558457344000t^8 + 369538986147840it^{15} + 48039505920000t^6 \\ & + 10716300000it - 11341179360000t^4 - 240045120000it^3 - 87873660000t^2 + 806992478208000it^{11}, \end{aligned}$$

$$D(x, t) = 1048576x^{20} + (41943040t^2 + 2621440)x^{18} + (-283115520t^2 + 754974720t^4 + 26542080)x^{16}$$



$$\begin{aligned}
& +(471859200t^2 + 8053063680t^6 + 265420800 - 7549747200t^4)x^{14} \\
& +(6606028800t^4 + 7431782400t^2 + 56371445760t^8 - 70464307200t^6 + 1741824000)x^{12} \\
& +(270582939648t^{10} + 49235558400t^2 + 264241152000t^6 + 1683763200 + 188271820800t^4 - 253671505920t^8)x^{10} \\
& +(4280706662400t^8 + 338228674560t^{10} - 128894976000t^2 - 594542592000t^6 + 4463424000 + 1532805120000t^4 + 901943132160t^{12})x^8 \\
& +(8382528000 + 134120448000t^2 + 68966940672000t^8 + 2061584302080t^{14} - 2536095744000t^4 \\
& + 42658430976000t^6 + 6313601925120t^{12} + 31962609745920t^{10})x^6 \\
& +(161269678080000t^8 + 46039891968000t^6 - 365783040000t^4 + 332943851520000t^{10} + 123453466214400t^{12} \\
& + 1786050000 + 23192823398400t^{14} + 320060160000t^2 + 3092376453120t^{16})x^4 \\
& +(15545779200000t^4 + 158993694720000t^6 + 241591910400000t^{14} - 417368899584000t^{10} - 58785398784000t^8 \\
& + 893025000 + 2748779069440t^{18} + 38654705664000t^{16} - 122880240000t^2 + 296795661926400t^{12})x^2 \\
& + 22325625 + 46437300000t^2 + 1053529473024000t^{12} + 1099511627776t^{20} + 190374425395200t^{16} + 25426206392320t^{18} \\
& + 3594961440000t^4 + 435233046528000t^8 + 17801441280000t^6 + 592866548121600t^{14} + 727066135756800t^{10}
\end{aligned}$$

Moreover,

$$v(x, 0) = \frac{N(x, 0)}{D(x, 0)},$$

$$\begin{aligned}
N(x, 0) = & -200930625 + 2679075000x^2 + 9644670000x^4 - 11430720000x^6 - 9398592000x^8 - 6096384000x^{10} \\
& + 1354752000x^{12} + 324403200x^{14} + 44236800x^{16} + 7864320x^{18} - 1048576x^{20},
\end{aligned}$$

$$\begin{aligned}
D(x, 0) = & 22325625 + 893025000x^2 + 1786050000x^4 + 8382528000x^6 + 4463424000x^8 + 1683763200x^{10} \\
& + 1741824000x^{12} + 265420800x^{14} + 26542080x^{16} + 2621440x^{18} + 1048576x^{20}.
\end{aligned}$$

## 2. Case N=5

$$\begin{aligned}
N(x, t) = & 3593187392256000000 + 689891979313152000000x^6 \\
& - 3506950894841856000000t^2 + 1001620947743539200000x^8 \\
& - 1132342702045986816000000t^4 - 18889465931478580854784t^{30} \\
& + 9380226632990588928000000t^6 - 402436987932672000000x^4 \\
& - 71863747845120000000x^2 + 605412580955104110182400000t^8 \\
& - 17592186044416x^{30} + 12391959898086405584486400t^{22} \\
& + 297066020686567237169971200t^{24} + 38234566441577787634483200t^{26} \\
& + 1044823584334909003530240t^{28} - 4564646798971790373263769600t^{20} \\
& - 20503770921695624558542848000t^{18} - 21705195782799224104550400000t^{16} \\
& - 16464595962633925070684160000t^{14} + 9740812251630034401361920000t^{12} \\
& + 907420350015602939658240000t^{10} + 238654152769536000x^{22} \\
& + 1062519926119464960000x^{10} - 250604339960217600000x^{12} \\
& - 171033922413527040000x^{14} - 49837699246325760000x^{16} \\
& + 81262980499310844995174400t^{24}x^2 - 15139622816317440000x^{18} \\
& + 1024508184389222400x^{20} + 22079567875276800x^{24} \\
& + 1731730813747200x^{26} + 197912092999680x^{28} \\
& - 6386388776384723297501184000t^{18}x^2 + 416086906642894976502988800t^{20}x^4
\end{aligned}$$

$$\begin{aligned}
& -1190425059366988941361152000t^{20}x^2 + 26260842509408148022886400t^{20}x^6 \\
& + 3904806785522837886074880t^{26}x^2 + 6779178447088260218880000t^{22}x^6 \\
& + 69481736812335318486220800t^{22}x^4 + 530962203922070260993228800t^{22}x^2 \\
& + 4681991171778313432596480t^{20}x^8 + 737334960492631818240t^8x^{20} \\
& - 15188692328906961715200t^8x^{18} + 91740947404476225945600t^8x^{16} \\
& - 9044622232503975936000t^8x^{14} - 1200696044596248969216000t^8x^{12} \\
& - 32697208502457678692352000t^8x^{10} + 118510986917599437127680000t^8x^8 \\
& - 262466757462293993226240000t^8x^6 - 332595057410306998272000000t^8x^4 \\
& + 2099327812978762108108800000t^8x^2 + 54262746010280263680t^6x^{22} \\
& - 1016318179971956736000t^6x^{20} + 4368616543070296473600t^6x^{18} \\
& - 11325789671913632563200t^6x^{16} - 138603785986070544384000t^6x^{14} \\
& - 1861193095820391481344000t^6x^{12} + 9309545291393500446720000t^6x^{10} \\
& - 7468309112126617681920000t^6x^8 - 100719222642454151823360t^{22}x^8 \\
& - 134292296856605535764480t^{24}x^6 - 123962120175328186859520t^{26}x^4 \\
& - 70835497243044678205440t^{28}x^2 - 55395572453349783502848t^{20}x^{10} \\
& - 7419049882145060290560t^{16}x^{14} - 1854762470536265072640t^{14}x^{16} \\
& - 360648258159829319680t^{12}x^{18} - 54097238723974397952t^{10}x^{20} \\
& - 6147413491360727040t^8x^{22} - 512284457613393920t^6x^{24} \\
& - 29554872554618880t^4x^{26} - 1055531162664960t^2x^{28} \\
& - 15759259819131533430620160000t^{12}x^2 - 1407130850301005581516800000t^{12}x^4 \\
& - 3168655831830796374638592000t^{12}x^6 - 123924431432410629931008000t^{12}x^8 \\
& + 4867127054896516300800000t^6x^2 + 136602098065224813772800000t^6x^4 \\
& - 23081488522229076459520t^{18}x^{12} + 662422579686909985305600t^{24}x^4 \\
& - 23890368656849491722240000t^6x^8 - 539237634440278069739520000t^{18}x^4 \\
& + 199940216583912302208614400t^{18}x^6 - 754032281291089300684800t^{18}x^8 \\
& + 2309036601781454918123520t^{18}x^{10} - 10050849128814676725989376000t^{16}x^4 \\
& - 12348349674722966686924800t^{16}x^6 + 72468727197550625842790400t^{16}x^8 \\
& - 5497603512646245757747200t^{16}x^{10} + 837924614573806520893440t^{16}x^{12} \\
& + 11166360257961750171746304000t^{16}x^2 + 6599147896409054773248000t^{14}x^8 \\
& + 22122347001668801711308800t^{14}x^{10} - 2792211953131347089817600t^{14}x^{12} \\
& + 226851717550204728115200t^{14}x^{14} - 136077135313427339673600t^{10}x^{16} \\
& + 6855784676749832355840t^{10}x^{18} + 760715037774609163223040000t^{10}x^6 \\
& - 574110117449990594887680000t^{10}x^8 + 13694342076892712219443200t^{10}x^{10} \\
& - 772728085947074299822080000t^{14}x^2 - 6034682374224875869962240000t^{14}x^4 \\
& - 3385986254051716141940736000t^{14}x^6 + 6944698416599625262694400000t^{10}x^2 \\
& - 100487493230237224796160000t^{10}x^4 - 306035902636288376832000t^{10}x^{12} \\
& + 908454125999168579174400t^{10}x^{14} - 2974978989460384697548800t^{12}x^{10} \\
& + 5382843124711562831462400t^{12}x^{12} - 776361578603554956902400t^{12}x^{14} \\
& + 45878619763985979801600t^{12}x^{16} - 217311652821860352000t^2x^{18}
\end{aligned}$$

$$\begin{aligned}
& -15246591016933785600t^2x^{20} - 1516996192842547200t^2x^{22} \\
& -297857699964518400t^2x^{24} + 55415386039910400t^2x^{26} \\
& -8232710953136947200000t^2x^2 - 4568617996340428800000t^2x^4 \\
& -118960605919759564800000t^2x^6 + 187447798759056998400000t^2x^8 \\
& +54959655518868602880000t^2x^{10} - 731127543005970432000000t^4x^4 \\
& +7657800350944355942400000t^4x^6 + 1469962939270378291200000t^4x^8 \\
& +102464296006031769600000t^4x^{10} + 541364273413179310080000t^4x^{12} \\
& -68321228985854853120000t^4x^{14} + 2826801026509307904000000t^4x^2 \\
& +15363603467662786560000t^2x^{12} + 7877376947540459520000t^2x^{14} \\
& -2316726664647671808000t^2x^{16} - 6394158434802991104000t^4x^{16} \\
& -307841128105771008000t^4x^{18} + 27638423787405312000t^4x^{20} \\
& -34191293186624716800t^4x^{22} + 2475220576449331200t^4x^{24} \\
& -(4474736705877024832487424000i)t^{21} - (973325387811016309682995200i)t^{23} \\
& -(48368469765910866910248960i)t^{25} + (2052227774063702546841600000i)t^{11} \\
& +(511165044043202691072000000i)t^9 - (170242952819488535347200000i)t^7 \\
& -(7916247049317226905600000i)t^5 - (14104458243735552000000i)t^3 \\
& +(287454991380480000000i)t + (14624828633331484330033152000i)t^{15} \\
& +(4387979219806808916885504000i)t^{17} - (8783473670339729855348736000i)t^{19} \\
& +(59109745109237760i)t^3x^{26} - (419454323422396416000000i)t^3x^2 \\
& -(16025935163896627200000i)tx^6 + (4214712085961158353223680i)t^{27} \\
& +(2163889548958975918080i)t^{11}x^{18} - (1930634966540786604598886400i)t^{21}x^2 \\
& -(100365736909141692540518400i)t^{21}x^4 - (6732692652022512148807680i)t^{21}x^6 \\
& -(12859138468604237379010560000i)t^{15}x^2 + (634352727169645009698816000i)t^{13}x^6 \\
& -(113309125472760920801280000i)t^{23}x^2 - (135629797491220237044940800i)t^{15}x^8 \\
& +(59352399057160482324480i)t^{15}x^{14} + (927956795300510485708800i)t^{11}x^{14} \\
& -(2156753915104980910473216000i)t^{15}x^6 + (328301860508856578211840000i)t^9x^8 \\
& -(1059819258013286400i)tx^{22} - (265249548992128909049856000i)t^{13}x^8 \\
& -(6400477087609651200i)t^3x^{20} - (90050002314854400i)tx^{24} \\
& +(991696961402625494876160i)t^{27}x^2 - (571163791359936001631846400i)t^{17}x^6 \\
& -(24513482783505340012953600i)t^{13}x^{10} + (3891936938939693767065600i)t^{13}x^{12} \\
& -(509346309216497408409600i)t^{13}x^{14} + (12983337293753855508480i)t^{13}x^{16} \\
& -(438134268982282577510400000i)t^7x^2 - (12848094196943919513600i)t^9x^{18} \\
& -(40980327375568896000i)tx^{18} + (72020006110872207360000i)t^3x^{10} \\
& +(545026421387427840000i)tx^{16} + (3219495903461376000000i)tx^2 \\
& -(3579604828806168434442240000i)t^{19}x^2 - (1460298592300752703586304000i)t^{19}x^4 \\
& -(36048281392391823713894400i)t^{19}x^6 + (6014504159045222400000i)tx^{10} \\
& +(8527502183042226585600000i)t^5x^6 + (3200493777375232870318080000i)t^{11}x^4
\end{aligned}$$

$$\begin{aligned}
&+(3120142857158167741071360000i)t^{11}x^6 - (422325775175211804524544000i)t^{11}x^8 \\
&\quad - (8278703751757824000000i)tx^4 + (1107911449066995670056960i)t^{21}x^8 \\
&\quad - (93740181582407270400000i)t^3x^8 - (62065232364699648000i)t^5x^{22} \\
&+(4627795739945763568877568000i)t^{15}x^4 - (4769878378074493377576960i)t^{17}x^{10} \\
&\quad + (45834689216702840832000i)t^5x^{14} + (4788949827578757120000i)tx^{12} \\
&\quad + (52690745717466071040000i)t^3x^{14} + (8807060728452527916318720i)t^{15}x^{10} \\
&\quad - (1877590316327480642764800i)t^{15}x^{12} - (20898944158028267520000i)t^3x^{12} \\
&\quad - (882102114983293747200i)t^5x^{18} + (1611507562279266429173760i)t^{23}x^6 \\
&\quad + (1536853372840181760i)t^5x^{24} - (4201468665788923851571200i)t^{11}x^{12} \\
&\quad + (705521076605372753510400000i)t^9x^4 + (7379410738537656483840000i)t^7x^6 \\
&\quad - (47214001120669492838400000i)t^7x^8 + (25307307481980884484096000i)t^7x^{10} \\
&\quad - (178625678284116983808000i)t^7x^{12} - (209440234922399760384000i)t^7x^{14} \\
&\quad - (41403273187402815897600i)t^7x^{16} + (270486193619871989760i)t^9x^{20} \\
&\quad + (16538889840453699376250880000i)t^{11}x^2 + (24589653965442908160i)t^7x^{22} \\
&\quad - (27286548100357187174400000i)t^5x^4 + (10861415663822438400000i)t^7x^{18} \\
&\quad + (132097867272673453670400i)t^9x^{16} - (519133261524369408000000i)t^3x^4 \\
&\quad + (1814044308651638784000i)t^3x^{16} + (207733396700061688135680i)t^{17}x^{12} \\
&\quad + (434766952714721034240i)t^5x^{20} - (1699405171890585600i)t^3x^{24} \\
&\quad + (2061035938005167112192000000i)t^9x^2 + (1055531162664960i)tx^{28} \\
&\quad + (1611507562279266429173760i)t^{25}x^4 - (23929556785294749990912000i)t^9x^{10} \\
&+(343809808336711109836800000i)t^7x^4 + (604286427864443312808960000i)t^{13}x^4 \\
&\quad - (572152777784866897920000i)t^9x^{14} - (484295008141751353344000i)t^1x^{10} \\
&\quad + (464857950657480700723200i)t^{23}x^4 + (7862612906697063137280000i)t^5x^8 \\
&\quad + (6010499882222309854937088000i)t^{17}x^2 + (1550087360736468664320000i)t^5x^{12} \\
&\quad + (1594806375882424320000i)tx^{14} - (1826752437725914202112000i)t^5x^{10} \\
&\quad + (6508011309204729810124800i)t^{25}x^2 - (5010740706245254985023488000i)t^{17}x^4 \\
&\quad + (17190268412538912768000000i)t^5x^2 + (26843989178012838962135040000i)t^{13} \\
&\quad - (65352136762463103221760000i)t^9x^6 - (111644685562281984000i)t^3x^{18} \\
&+(3615814040026204864512000i)t^{17}x^8 - (9221996027343603907952640000i)t^{13}x^2 \\
&\quad - (7829951106386940552806400i)t^{19}x^8 - (11083077207982080i)tx^{26} \\
&\quad - (1139163007745230110720i)t^7x^{20} + (553955724533497835028480i)t^{19}x^{10} \\
&\quad - (1834231213761704755200000i)t^3x^6 + (3657415478634086400i)t^3x^{22} \\
&\quad - (4837451489737703424000i)t^5x^{16} + (283341988972178712821760i)t^{29} \\
&\quad - (21250398522389299200000i)tx^8 - (10500782721859584000i)tx^{20} \\
&\quad - (97000510358141785866240i)t^{11}x^{16} - (837112579672932089856000i)t^9x^{12} \\
&D(x, t) = 432518136525619200000x^6 + 1541804044677120000000t^2 \\
&\quad + 392631163984281600000x^8 + 284402742017458176000000t^4
\end{aligned}$$

$$\begin{aligned}
& +18889465931478580854784t^{30} + 3362027121813749760000000t^6 \\
& + 60975301201920000000x^4 + 19599203957760000000x^2 \\
& + 241614729037663646515200000t^8 + 17592186044416x^{30} \\
& + 1170441047589273489899520000t^{22} + 204951512401595827067289600t^{24} \\
& + 20337535341264780656640000t^{26} + 1009405835713386664427520t^{28} \\
& + 3738595696032685094653132800t^{20} + 6669056746644308068663296000t^{18} \\
& + 5450887469422271161958400000t^{16} + 7441435294537031645921280000t^{14} \\
& + 5807382063900108049612800000t^{12} + 1040756650099481688145920000t^{10} \\
& + 254889129148416000x^{22} + 245908458260398080000x^{10} \\
& + 374569324196659200000x^{12} + 124432437403975680000x^{14} \\
& + 2599984897818624000x^{16} + 45410811054852645951897600t^{24}x^2 \\
& + 4792260621238272000x^{18} + 2296193884146892800x^{20} \\
& + 17750240840908800x^{24} + 1039038488248320x^{26} \\
& + 65970697666560x^{28} + 6309831064001936822894592000t^{18}x^2 \\
& + 273889401728689288249344000t^{20}x^4 + 1575376470498366367727616000t^{20}x^2 \\
& + 26982825014023047736197120t^{20}x^6 + 2789147703944884204339200t^{26}x^2 \\
& + 2486990036017521748869120t^{22}x^6 + 45454391487726784767590400t^{22}x^4 \\
& + 342128188278426772596326400t^{22}x^2 + 1134543935823413835202560t^{20}x^8 \\
& - 128741024847919841280t^8x^{20} + 1027179595635779174400t^8x^{18} \\
& + 2967493922437201920000t^8x^{16} + 51058351312522444800000t^8x^{14} \\
& + 2814087578532150509568000t^8x^{12} + 3227192189276550856704000t^8x^{10} \\
& + 58202507015295011389440000t^8x^8 + 215456891557737450700800000t^8x^6 \\
& + 231100129825171439616000000t^8x^4 - 85654966326676527513600000t^8x^2 \\
& - 11230851570755174400t^6x^{22} + 60513601555582156800t^6x^{20} \\
& + 3879077022793728000t^6x^{18} + 8930847518040784896000t^6x^{16} \\
& + 87545434673548099584000t^6x^{14} - 327338035938695577600000t^6x^{12} \\
& + 716792974760245985280000t^6x^{10} + 45399667230773556019200000t^6x^6 \\
& + 100719222642454151823360t^{22}x^8 + 134292296856605535764480t^{24}x^6 \\
& + 123962120175328186859520t^{26}x^4 + 70835497243044678205440t^{28}x^2 \\
& + 55395572453349783502848t^{20}x^{10} + 7419049882145060290560t^{16}x^{14} \\
& + 1854762470536265072640t^{14}x^{16} + 360648258159829319680t^{12}x^{18} \\
& + 54097238723974397952t^{10}x^{20} + 6147413491360727040t^8x^{22} \\
& + 512284457613393920t^6x^{24} + 29554872554618880t^4x^{26} \\
& + 1055531162664960t^2x^{28} + 7961426529817146918174720000t^{12}x^2 \\
& + 843514205937109743697920000t^{12}x^4 + 54188987577307282538496000t^{12}x^6 \\
& - 58427720984423376617472000t^{12}x^8 + 5185623933300240384000000t^6x^2 \\
& + 31626414950727234355200000t^6x^4 + 23081488522229076459520t^{18}x^{12} \\
& + 326653399296000000 + 3447696467376315197030400t^{24}x^4 \\
& + 2795623085722986086400000t^6x^8 + 506109696013295985623040000t^{18}x^4
\end{aligned}$$

$$\begin{aligned}
& +139963553766563635003392000t^{18}x^6 + 10621368624544019487129600t^{18}x^8 \\
& +322253089752659798261760t^{18}x^{10} + 12402309187740836560896000t^{16}x^4 \\
& +166550561485094752616448000t^{16}x^6 + 48990960639069741121536000t^{16}x^8 \\
& +2950871966563758715699200t^{16}x^{10} + 44942321401455653683200t^{16}x^{12} \\
& +14930963824823248135127040000t^{16}x^2 + 11064668660627100844032000t^{14}x^8 \\
& +11484295242665150958796800t^{14}x^{10} + 605018978260505277235200t^{14}x^{12} \\
& -4280221085852919398400t^{14}x^{14} + 11455823260640933314560t^{10}x^{16} \\
& -905088417112648581120t^{10}x^{18} + 329157519925544742813696000t^{10}x^6 \\
& -37816839207478018179072000t^{10}x^8 + 26149982367173726070374400t^{10}x^{10} \\
& +14108289674109167264071680000t^{14}x^2 - 534419122544104156692480000t^{14}x^4 \\
& -386045124656108163563520000t^{14}x^6 - 1252453640643678516019200000t^{10}x^2 \\
& +1660587789415640098406400000t^{10}x^4 + 2963793282957456703488000t^{10}x^{12} \\
& +127134421975850758963200t^{10}x^{14} + 31689930438754648562073600t^{12}x^{10} \\
& +1667568663174750142464000t^{12}x^{12} + 94736370681477542707200t^{12}x^{14} \\
& -3682773559285949399040t^{12}x^{16} + 65936733065183232000t^2x^{18} \\
& +9573440871097958400t^2x^{20} + 602642323184025600t^2x^{22} \\
& +20780769764966400t^2x^{24} - 11083077207982080t^2x^{26} \\
& -6146310361153536000000t^2x^2 + 24724613561647104000000t^2x^4 \\
& +18701879810929459200000t^2x^6 - 24852304967919206400000t^2x^8 \\
& +13311951515355709440000t^2x^{10} + 90090136450105344000000t^4x^4 \\
& -846074231955180748800000t^4x^6 + 785872556615584972800000t^4x^8 \\
& +253290289902932459520000t^4x^{10} + 30704050024564654080000t^4x^{12} \\
& -21963682613884354560000t^4x^{14} + 1980979522659680256000000t^4x^2 \\
& +5207787865689292800000t^2x^{12} + 821566920909127680000t^2x^{14} \\
& -470003783791804416000t^2x^{16} + 2114748541141254144000t^4x^{16} \\
& +304931820338675712000t^4x^{18} + 17746777379281305600t^4x^{20} \\
& +1828707739317043200t^4x^{22} - 554153860399104000t^4x^{24}.
\end{aligned}$$

### 3. Case N=6

$$\begin{aligned}
N(x, t) = & (130676991329371088131551815270400000t^{20} + 304159304532499302649143125606400000t^{18} + \\
& 82274724986110217960494517452800000t^{16} + 24522724634493022093505986560000000t^{14} \\
& -8374137387902637169390387200000000t^{12} + 13029752662919612928000000x^{12} \\
& +17927619210928982016000000x^{14} + 8652194022058481664000000x^{16} \\
& +3987077385111625728000000x^{18} - 49242956390085427200000x^{20} \\
& -12581738988371940359233307934720000t^{22} - 142471752915773030400000x^{22} \\
& -5076881258565254152825759334400000t^{24} - 6003371153223348445863129120768000t^{28}x^2 \\
& -30346203387962327040000x^{24} + 3194465160736712672975530229760t^{36} \\
& +16667909082316800x^{36} - 50820486401353805136000000x^{10} \\
& +53324467393932153168750000t^2 - 32661858646516799700000000x^8
\end{aligned}$$

$$\begin{aligned}
& +3577668467841632864700000000t^4 - 14737667925867336450000000x^6 \\
& - 524237317699453990853760000000t^6 + 6273466752227312137500000x^4 \\
& - 82190313059811212101063680000000t^8 + 784183344028414017187500x^2 \\
& - 290232638614071372247547904000000t^{10} + 865865406873600x^{38} \\
& + 162844574638002327262624481280t^{38} - 3515458568357285376747101591961600t^{30} \\
& + 9540199756962201600x^{30} - 17793896935440197600500802125824000t^{28} \\
& - 38690544532792538522217640624128000t^{26} + 4179430850376499200x^{32} \\
& + 311955071120179200x^{34} - 238152498374515252372340893286400t^{32} \\
& + 162034684114671147780000000t^2x^4 + 179958874835320611030000000t^2x^2 \\
& + 13850398478334325017381175296000t^3x^4 - 640627569198876542976000000t^2x^{10} \\
& - 1174307185018631774880000000t^2x^8 + 570769963001374552416000000t^2x^6 \\
& - 181007670580914341412864000000t^4x^{12} - 3922239420529166499840000000t^4x^{10} \\
& - 257068171959178028359680000000t^4x^8 - 709429917325492677726720000000t^4x^6 \\
& + 4554276425157839688000000000t^4x^4 - 12337578956837438544240000000t^4x^2 \\
& + 17235647973844844544000000t^2x^{18} + 57652203035262173184000000t^2x^{16} \\
& - 2052834294940463333376000000t^2x^{14} - 2889102380234435076096000000t^2x^{12} \\
& + 235292930319472442081280000000t^6x^6 - 19083105725960179439585280000000t^6x^4 \\
& - 837652718546438887572480000000t^6x^2 + 6022183725161806351564800000t^4x^{16} \\
& + 14822610651470630486016000000t^4x^{14} - 44495881740233359362533376000000t^8x^2 \\
& + 239840100586017594644889600000t^6x^{14} + 976683049559901695744409600000t^6x^{12} \\
& - 3879347444249210377784524800000t^6x^{10} + 7686358541099158352560128000000t^6x^8 \\
& + 397800127501274234734999555276800000t^{18}x^2 + 141611701718037306903131219558400000t^{16}x^4 \\
& - 77122158784324793482916501913600000t^{16}x^2 + 30056590690344115436375978803200000t^{14}x^6 \\
& + 2182759648944286926574190592000000t^{14}x^4 + 418503408638170614145744896000000t^{14}x^2 \\
& + 1492444278814740435060129792000000t^{12}x^8 + 886860669870899270105274776000000t^{12}x^6 \\
& + 2783454017978870795480334336000000t^{12}x^4 + 17074228651321446767511207936000000t^{12}x^2 \\
& + 39525148590423603074511667200000t^{10}x^{10} + 1024797651488330815547375616000000t^{10}x^8 \\
& - 1130716815140272736758136832000000t^{10}x^6 - 505638065933824321174634496000000t^{10}x^4 \\
& - 3665884543785271110625394688000000t^{10}x^2 + 4468120594522299585213235200000t^8x^{12} \\
& + 29910409415857677027350937600000t^8x^{10} - 80071106228346824067907584000000t^8x^8 \\
& + 140431627964630793463529472000000t^8x^6 + 60235149526832166510919680000000t^8x^4 \\
& + 2107157703588298651512864768t^{40} + 69269232549888x^{40} - 4398046511104x^{42} \\
& - 19342813113834066795298816t^{42} + 13564393772444526890188800t^{10}x^{26} \\
& + 5251091426009956221793704345600t^{28}x^8 + 9374582034547518740130850406400t^{30}x^6 \\
& + 11860323462109574495837827891200t^{32}x^4 + 2406535838623662321671098859520t^{26}x^{10} \\
& + 419122741387123923473557094400t^{22}x^{14} + 1028899809518611239536689152000t^{24}x^{12} \\
& + 148959751303875713185087488000t^{20}x^{16} + 170710247836455760664985600t^{12}x^{24} \\
& + 87933827260455321600t^4x^{32} + 17415814527696544727040t^6x^{30} \\
& + 678222481557682755993600t^8x^{28} + 1475838932049899227290009600t^{14}x^{22}
\end{aligned}$$

$$\begin{aligned}
& -29684566402368649311509544960000t^{14}x^{14} - 618167015515602501526093824000t^{14}x^{16} \\
& + 26768153105602468581998592000t^{14}x^{18} + 1244038685257223188297600204800000t^{16}x^6 \\
& - 5319016096575029456694474178560000t^{16}x^8 + 1279503167224870826982607159296000t^{16}x^{10} \\
& - 103519019531854247320734400512000t^{16}x^{12} - 15590430582092097270885384192000t^{16}x^{14} \\
& - 33947568448408047679402357555200000t^{18}x^4 - 10511849301398468930982421463040000t^{18}x^6 \\
& - 1101408938529969675896063262720000t^{18}x^8 + 21794914383199203466590289920000t^{12}x^{14} \\
& - 1882705701688384657758879744000t^{12}x^{16} - 56580697170227032951357440000t^{12}x^{18} \\
& + 3878882819130028045683916800t^{12}x^{20} + 3826649604707605351652917248000000t^{14}x^8 \\
& - 260093950641466110684168192000000t^{14}x^{10} + 239476186779159813851594096640000t^{14}x^{12} \\
& + 226904280603480704146672189440000t^{12}x^{10} - 54400278399993364405215559680000t^{12}x^{12} \\
& + 1578813021748933517125877760000t^{10}x^{16} - 56421242364564286293934080000t^{10}x^{18} \\
& - 5473567973976711218646220800t^{10}x^{20} + 101282529609939830597222400t^{10}x^{22} \\
& + 866978725483223130293340733440000t^{22}x^2 - 21554988228400687174913894645760000t^{22}x^4 \\
& + 5833280126811999691154204393472000t^{22}x^6 - 1692754945579509234206370693120000t^{22}x^8 \\
& - 147985231562978344972873157836800t^{22}x^{10} - 117220069376598451153006913126400000t^{24}x^2 \\
& - 3606691997144060226850258944000000t^{24}x^4 - 1938319329515352397991638990848000t^{24}x^6 \\
& - 467333661870917302036847394816000t^{24}x^8 - 40196491256559835664946806390784000t^{26}x^2 \\
& - 3176951330081070357438617616384000t^{26}x^4 - 904537357828423629139265716224000t^{26}x^6 \\
& + 280507056646219587020390400000t^{10}x^{12} - 7834776665591977122642001920000t^{10}x^{14} \\
& + 351417647058818328713471459328000t^{18}x^{10} - 167164394438381123855066333184000t^{18}x^{12} \\
& - 3275138962547785765220253696000t^{18}x^{14} + 209348911860207722305859616768000000t^{20}x^2 \\
& - 69182893465796404348284504637440000t^{20}x^4 - 51797826508497453278683987968000000t^{20}x^6 \\
& + 3107035033487762130926378680320000t^{20}x^8 - 780645876774648274975414498099200t^{20}x^{10} \\
& - 29064418237400190004779968102400t^{20}x^{12} - 1021166865913610214329517342720000t^{28}x^4 \\
& - 643855095469597985910711071539200t^{30}x^2 + 28216962161043182714880000t^2x^{20} \\
& + 4553926564682913546240000t^2x^{22} + 1089353185242843709440000t^2x^{24} \\
& - 109543867036748218368000t^2x^{26} - 10605193913696256000000t^2x^{28} \\
& - 551741126442850713600t^2x^{30} - 771081978815447040000x^{28} \\
& - 4568266985082716160000x^{26} + 35429585906525104326574080000t^8x^{14} \\
& - 504281339250167885290536960000t^8x^{16} + 89125941971739511955128320000t^8x^{18} \\
& - 1477195572245748938440704000t^8x^{20} - 257979458356789691547648000t^8x^{22} \\
& - 1257769462449351158784000t^8x^{24} + 4133396115076165926912000000t^6x^{16} \\
& - 13079267440752624654090240000t^6x^{18} + 4113162625508371681247232000t^6x^{20} \\
& - 16322002359249329455104000t^6x^{22} - 9917174038210516353024000t^6x^{24} \\
& - 574740295332151689216000t^6x^{26} + 769495633791371182080000000t^4x^{18} \\
& - 35146293073997620838400000t^4x^{20} + 116740110638455833231360000t^4x^{22} \\
& - 1156846770416611491840000t^4x^{24} - 341862050367943999488000t^4x^{26} \\
& - 17602857560677810176000t^4x^{28} - 28208920857359155200t^2x^{32} \\
& - 459306963730169856000t^4x^{30} - 47295743577338098483200t^6x^{28}
\end{aligned}$$



$$\begin{aligned}
& -3048843404359167167692800t^8x^{26} - 78591102059488214620569600t^{10}x^{24} \\
& -1105273317008696945305190400t^{12}x^{22} - 9713761369774005468266496000t^{14}x^{20} \\
& -104511838887931957865349120000t^{16}x^{16} - 57336486357486331997297049600t^{16}x^{18} \\
& -28006548001014786328125 + 9182793192693972428579143680t^{16}x^{20} \\
& -241754408013083730331985510400t^{18}x^{16} - 803711151345709001549964902400t^{20}x^{14} \\
& -2434164287594765531672582553600t^{22}x^{12} - 7003909504890127521335476224000t^{24}x^{10} \\
& -16258866372646639822582264627200t^{26}x^8 - 23937352718546582211371257036800t^{28}x^6 \\
& -14057436215111227785648223027200t^{30}x^4 + 9772923577259908191757742899200t^{32}x^2 \\
& -3136733376113656068750000it - 31118534408803516039720599552000000it^{13} \\
& +179400689678910125855408652288000000it^{19} - 924506802373649140305119674368000000it^{17} \\
& -446806859949577507259226783744000000it^{15} - 8741483095441381519974727680000000it^{11} \\
& -90516577854024576866304000000000it^9 + 16746521200817938995548160000000it^7 \\
& +349604887297608346884480000000it^5 + 296346619914737792400000000it^3 \\
& +1891200062475480241600676757504000000it^{21} + 137106375162269606141343175802880000it^{27} \\
& +71064895596404886819735909433344000it^{25} + 85068913796130252196170505912320000it^{23} \\
& -5018773401781849710000000itx^2 - 830392007014836338688000000it^5x^{16} \\
& +3636510431038765906526208000000it^7x^{14} - 139440026561558033203200000it^3x^{18} \\
& +6268757128294013337600000itx^{20} + 133559322398266650037448815411200000it^{17}x^4 \\
& +265155523025203543340588256460800000it^{19}x^2 + 24848549853847487146295820288000000it^{15}x^6 \\
& -412735073577221378801664000000000it^9x^4 - 47718132406773061546672128000000it^9x^6 \\
& -409889263172452534418669568000000it^9x^8 + 12524232380160862819713024000000it^9x^{10} \\
& -11722986284931477432824758272000000it^{11}x^2 - 5051252967285585457994268672000000it^{11}x^4 \\
& -672660004333369028140597248000000it^{11}x^6 + 663993202870949744757178368000000it^{11}x^8 \\
& +18279630702336234246484525056000000it^{13}x^2 - 16974444206427155258419445760000000it^{13}x^4 \\
& -7131005536638246684865855488000000it^{13}x^6 + 663307352538500994247837089792000000it^{15}x^2 \\
& -2563793130931038978048000000it^3x^{16} + 176852015110408037400000000itx^4 \\
& +522589738344268795200000000itx^6 + 1016409728027076102720000000itx^8 \\
& -312714063910070710272000000itx^{10} - 501973337906011496448000000itx^{12} \\
& -276870208705871413248000000itx^{14} - 1763792326515512339505975656448000000it^{17}x^2 \\
& -558485756052497241499238400000000it^9x^2 + 221940179234928741423513600000000it^7x^8 \\
& -170979199828920901274959872000000it^7x^{10} - 13465315900742218675126272000000it^7x^{12} \\
& -143534785864018526208000000itx^{16} + 19697182556034170880000000itx^{18} \\
& +12733345087949378692800000000it^3x^2 + 24013635781478107564800000000it^3x^4 \\
& +1217590296080146210252800000000it^3x^6 + 218609003525870555136000000000it^3x^8 \\
& -68915821020395453153280000000it^3x^{10} + 53356834387901522903040000000it^3x^{12} \\
& -16490427271028092698624000000it^3x^{14} - 871337957585499407646720000000it^5x^6 \\
& -1745946085939980673351680000000it^5x^8 + 4916208569464755956219904000000it^5x^{10} \\
& -6883374550986965932572672000000it^5x^{12} - 979107766354881426751488000000it^5x^{14} \\
& +66291948028992606848040960000000it^7x^2 - 65100417802656175439216640000000it^7x^4
\end{aligned}$$

$$\begin{aligned}
& -7366979512184196839768064000000it^7x^6 - 50224918358402156413513315123200000it^{15}x^4 \\
& - 108611756843137297795584000000it^5x^2 + 255341620997897502587904000000it^5x^4 \\
& + 465874449007264546835084083200000it^{13}x^8 + 81143797205972851403784192000000it^{11}x^{10} \\
& + 4145743852606982365957324800000it^9x^{12} + 43180590813665034240000itx^{26} \\
& + 280529624686808077959168000it^7x^{22} + 4274394850752626341969920000it^9x^{20} \\
& + 1197497452659195739512483348480000it^{19}x^{10} + 3315001117333115557858900967424000it^{21}x^8 \\
& + 3614003629024326552068246470656000it^{23}x^6 + 11076242798116488609792000it^5x^{24} \\
& + 253802963770735067136000it^3x^{26} - 572411985417732096000itx^{28} \\
& + 36211760706281352600748032000it^{11}x^{18} - 686702447560384727557865472000it^{13}x^{16} \\
& + 480607388209929744606560256000it^{15}x^{14} - 9457877798008398928725147648000it^{25}x^4 \\
& - 6040880073988867584348590702592000it^{27}x^2 - 136508037042965776957440000it^9x^{22} \\
& - 39272801034337134745485312000it^{13}x^{18} + 2862213347615440896000it^3x^{28} \\
& - 81342884389055836953403352678400it^{21}x^{10} - 34611341837775193966142029824000it^{19}x^{12} \\
& + 171968454786061172736000it^5x^{26} - 4093146367802632849430937600it^{11}x^{20} \\
& - 476463860665945350840778752000it^{15}x^{16} + 2554410040510642126848000it^7x^{24} \\
& - 5738530825456039112050999296000it^{17}x^{14} - 2105194565269620861922795585536000it^{29}x^2 \\
& - 569600135887715790718104502272000it^{27}x^4 + 237376536542879789562992787456000it^{25}x^6 \\
& + 24184876704701330485753675776000it^{23}x^8 - 267483574424095948800itx^{30} \\
& + 157607173704729467077603098624000it^{17}x^{12} + 3411782612506572724843315200000it^9x^{14} \\
& - 908890277446267721597583360000it^9x^{16} - 45175176486008433672192000000it^7x^{18} \\
& + 5078605192094849421017088000it^7x^{20} + 177526096599051062602629120000it^7x^{16} \\
& + 26231903255774124633802269523968000it^{25}x^2 + 342297333433095735591911628472320000it^{21}x^2 \\
& - 16215119484413274827129125601280000it^{21}x^4 - 9322396457300067560386650439680000it^{21}x^6 \\
& + 226464613738450274921425498275840000it^{23}x^2 - 10499474947997371531042372976640000it^{23}x^4 \\
& + 110315298314213807452323840000it^9x^{18} - 8715857820114190388428800it^9x^{26} \\
& - 148448764770164128559923200it^{11}x^{24} - 1593404980586920754439782400it^{13}x^{22} \\
& - 11868804176214003144500183040it^{15}x^{20} - 266246547151911911424000it^7x^{28} \\
& + 6389817349089724587377374003200000it^{15}x^8 + 561076209770717318721212252160000it^{13}x^{10} \\
& - 74018468157868179633922375680000it^{13}x^{12} + 37280690843833713900681953280000it^{13}x^{14} \\
& + 48243026527976085634217410560000it^{11}x^{12} - 10902208455765898661241815040000it^{11}x^{14} \\
& + 2097868492701958252045271040000it^{11}x^{16} + 321950676862368497336869453824000it^{15}x^{12} \\
& + 13143047438973691263056955310080000it^{17}x^6 - 1872788723070122441857145241600000it^{17}x^8 \\
& + 1086118711882205459774674305024000it^{17}x^{10} + 55993158217452313538753200128000000it^{19}x^4 \\
& - 54735542086703337817028060774400000it^{19}x^6 - 21294001239987635225832613478400000it^{19}x^8 \\
& - 393978418837264322831453257728000it^{15}x^{10} - 1428230923169793746927616000it^5x^{20} \\
& + 182231043480357760401408000it^5x^{22} + 4942321068014944911360000it^3x^{24} \\
& + 2031462368091062245785600000it^5x^{18} - 1200089453926809600itx^{34} \\
& + 7418734806093004800it^3x^{32} - 11327366003901081845760000it^3x^{22} \\
& + 1456617762622191697920000itx^{22} + 237549883224301240320000itx^{24}
\end{aligned}$$

$$\begin{aligned}
& -9507936586815535841280000it^3x^{20} - 65963755169576024776114176000it^{17}x^{18} \\
& -295458101549236503129253478400it^{19}x^{16} - 1153654289755375740948106444800it^{21}x^{14} \\
& -52281692339772407826929732812800it^{29}x^6 - 62158588719209584432725255782400it^{31}x^4 \\
& -44141341633992947685829430476800it^{33}x^2 - 4059972824910431180685941145600it^{23}x^{12} \\
& -12320637217113300526845143285760it^{25}x^{10} - 29664573099192904243142983680000it^{27}x^8 \\
& \quad -2142181495067608350720it^5x^{30} - 43236949334398003203035627520it^{25}x^{12} \\
& -32299446070763337039929671680it^{25}x^{14} - 551960058360795226548228587520it^{27}x^{10} \\
& -56114676712486862314820075520it^{27}x^{12} - 1482275812375285041090841804800it^{29}x^8 \\
& -6827833579257076532223616000it^{29}x^{10} - 2275409010059868092973554073600it^{31}x^6 \\
& -47339646149515730623408373760it^{31}x^8 - 2133898812152520447982200422400it^{33}x^4 \\
& +2832286521765898413366312960it^{33}x^6 - 1129082691647499620434323701760it^{35}x^2 \\
& +41984482557941552951077109760it^{35}x^4 + 38461974951039427193276989440it^{37}x^2 \\
& +369435906932736itx^{40} + 29554872554618880it^3x^{38} + 5865199924311182278656it^{11}x^{30} \\
& \quad +58651999243111822786560it^{13}x^{28} + 469215993944894582292480it^{15}x^{26} \\
& +20935891052923967084534169600it^{19}x^{18} + 55162564826717880975989145600it^{21}x^{16} \\
& -4680371916583523208155627520it^{21}x^{18} + 79760559602785867370437017600it^{23}x^{14} \\
& -13961497204251709617450516480it^{23}x^{16} - 552177703400611963207680it^{11}x^{28} \\
& +141979432513769079570432000it^{13}x^{24} - 5542613928474067253329920it^{13}x^{26} \\
& +1028131595438122357563064320it^{15}x^{22} - 42778916079528612640849920it^{15}x^{24} \\
& +5450002512461762172939141120it^{17}x^{20} - 258599751610208611498721280it^{17}x^{22} \\
& \quad +973952452359812756275200it^9x^{28} - 40998519207767310336000it^9x^{30} \\
& +3049903960641814784901120it^{17}x^{24} + 16266154456756345519472640it^{19}x^{22} \\
& +71571079609727920285679616it^{21}x^{20} + 260258471308101528311562240it^{23}x^{18} \\
& \quad +14137168975845394061721600it^{11}x^{26} + 5236753980771532800it^3x^{34} \\
& \quad -1278248237987266560it^3x^{36} + 976829175879916584960it^5x^{32} \\
& \quad -72616321866698588160it^5x^{34} + 42646262462432422133760it^7x^{30} \\
& \quad -2152422258407783792640it^7x^{32} + 26954043769812418560it^7x^{34} \\
& +458218744086811115520it^9x^{32} - 1236013710365367044407296000it^{19}x^{20} \\
& \quad +1123085157075517440it^5x^{36} + 780775413924304584934686720it^{25}x^{16} \\
& +1921908711198288209069998080it^{27}x^{14} + 3843817422396576418139996160it^{29}x^{12} \\
& +6150107875834522269023993856it^{31}x^{10} + 7687634844793152836279992320it^{33}x^8 \\
& +7235421030393555610616463360it^{35}x^6 + 4823614020262370407077642240it^{37}x^4 \\
& \quad +2030995376952577013506375680it^{39}x^2 - 65805770922393600itx^{36} \\
& \quad -5541538603991040itx^{38} - 21212944836172185600itx^{32} \\
& -15444549824224090909762702540800it^{21}x^{12} - 7632568926974509056000it^5x^{28} \\
& \quad -121754530052938137600it^3x^{30} + 13237501624287485755392000it^9x^{24} \\
& -83330559414840018454393651200it^{17}x^{16} - 2135496646505306400837599232000it^{19}x^{14} \\
& +401867327451515734248652800it^{11}x^{22} + 5086556838405655082355916800it^{13}x^{20} \\
& \quad +25852438384792656811130880000it^{15}x^{18} - 1822390385308493414400it^7x^{26}
\end{aligned}$$

$$\begin{aligned}
& -65679609891970644542822862028800it^{23}x^{10} - 365310252524231479413696783974400it^{27}x^6 \\
& -501102268458389167267098132480000it^{29}x^4 - 448820561475591313729526326886400it^{31}x^2 \\
& -185821084269058298524880338944000it^{25}x^8 - 1781184913849238098131214663680000it^{29} \\
& -1236098226654234031630975185715200it^{31} - 14060356871129413671142796820480it^{35} \\
& +12693721105953606334414848000it^{39} - 253572946242805728537854607360it^{37} \\
& +406199075390515402701275136it^{41} - 200402074079873642284062238310400it^{33} \\
& -582312415127830734946959360t^{16}x^{22} + 42352188056877527550708940800t^{18}x^{18} \\
& +4461206888113542973787996160t^{24}x^{16} + 11209026792613700640398376960t^{26}x^{14} \\
& +22670936310385070781990174720t^{28}x^{12} + 36354420568666567491566174208t^{30}x^{10} \\
& +45139566440644005963025612800t^{32}x^8 + 41817877468425911867937914880t^{34}x^6 \\
& +27180430318123159563565793280t^{36}x^4 + 11043537362179637510940917760t^{38}x^2 \\
& +539566201623545739097826918400t^{30}x^8 + 921550020610531832465215979520t^{32}x^6 \\
& +9138653608566228875054206156800t^{34}x^4 + 966830160095454660592140288000t^{34}x^4 \\
& +591198160146252383519433031680t^{36}x^2 + 2032754815873112384471040t^{14}x^{26} \\
& +14376685446051712456458240t^{16}x^{24} + 82026364415156176583393280t^{18}x^{22} \\
& +38069222792533049677447168t^{20}x^{20} + 1442551066296549589490073600t^{22}x^{18} \\
& +1315871590749296394240t^8x^{32} - 1854683701523251200t^2x^{34} \\
& -227895775089131520t^2x^{36} - 42184962622881792000t^4x^{34} \\
& -2073987321006894612480t^6x^{32} - 53888758652974116372480t^8x^{30} \\
& -898325080077249596620800t^{10}x^{28} - 10498041106592184076861440t^{12}x^{26} \\
& -90127229196839619133440000t^{14}x^{24} - 101549768847628850675318784t^{40}x^2 \\
& -253874422119072126688296960t^{38}x^4 - 401967835021864200589803520t^{36}x^6 \\
& -452213814399597225663528960t^{34}x^8 - 384381742239657641813999616t^{32}x^{10} \\
& -256254494826438427875999744t^{30}x^{12} - 137279193657020586362142720t^{28}x^{14} \\
& -60059647224946506533437440t^{26}x^{16} - 21688205942341794025963520t^{24}x^{18} \\
& -6506461782702538207789056t^{22}x^{20} - 1626615445675634551947264t^{20}x^{22} \\
& -338878217849090531655680t^{18}x^{24} - 58651999243111822786560t^{16}x^{26} \\
& -8378857034730260398080t^{14}x^{28} - 977533320718530379776t^{12}x^{30} \\
& -91643748817362223104t^{10}x^{32} - 6738510942453104640t^8x^{34} \\
& -374361719025172480t^6x^{36} - 14777436277309440t^4x^{38} \\
& -369435906932736t^2x^{40} - 2852919586917590947866869760t^{18}x^{20} \\
& -10489757533115490019521331200t^{20}x^{18} - 27759545995008961606645186560t^{22}x^{16} \\
& -45969512204299105569079296000t^{24}x^{14} - 13956755653155003314303139840t^{26}x^{12} \\
& +166829522934218514821504040960t^{28}x^{10} + 27707693019955200t^2x^{38} \\
& +1836096457455697920t^4x^{36} + 61444580041052651520t^6x^{34} \\
& +20007277373390447443968t^{10}x^{30} + 228627036523314177638400t^{12}x^{28}),
\end{aligned}$$

$$\begin{aligned}
D(x, t) = & (121462888973612955113913644482560000t^{20} + 94537654042279934894166717235200000t^{18} \\
& +16252937702437484582525730816000000t^{16} + 9805423648517498549009645568000000t^{14}
\end{aligned}$$

$$\begin{aligned}
& +3672157468224156665848528896000000t^{12} + 21332128333217619456000000x^{12} \\
& + 11601827179611863040000000x^{14} + 3932976439367210188800000x^{16} \\
& + 1133985667018943692800000x^{18} + 707271124818693980160000x^{20} \\
& + 88648968947267503649373667983360000t^{22} + 161804815860907376640000x^{22} \\
& + 58409809823636206689745549393920000t^{24} + 3116050765605001976242539331584000t^{28}x^2 \\
& + 23093119135147622400000x^{24} + 2133482299428731345274352435200t^{36} \\
& + 13291033995509760x^{36} + 10072835889947916624000000x^{10} \\
& + 20026836170571804131250000t^2 + 10888453439972553060000000x^8 \\
& + 7475214800851779227400000000t^4 + 8021458343018853810000000x^6 \\
& + 180721924486101900316800000000t^6 + 804290609259911812500000x^4 \\
& + 2882557773415107644072960000000t^8 + 180965387083480157812500x^2 \\
& + 267089457768372741558583296000000t^{10} + 519519244124160x^{38} \\
& + 89633538159414902728886845440t^{38} + 1867092791250438641571509934489600t^{30} \\
& + 69931633115293286400x^{30} + 8259327114186084142196937719808000t^{28} \\
& + 26590369766887902946198699376640000t^{26} + 5941209899571609600x^{32} \\
& + 315364416159744000x^{34} + 294067425509390107565690034585600t^{32} \\
& + 641594108872478223000000000t^2x^4 - 111957252808979724300000000t^2x^2 \\
& + 31142815803988284981674351001600t^{34} + 960293933293978128384000000t^2x^{10} \\
& - 1325061228272434107840000000t^2x^8 + 748489692780515568960000000t^2x^6 \\
& + 11695926375914239033344000000t^4x^{12} + 51630769268674678849536000000t^4x^{10} \\
& + 89424110534691401441280000000t^4x^8 - 67900192554611591032320000000t^4x^6 \\
& + 9983130798914343100800000000t^4x^4 + 75642658571090366632800000000t^4x^2 \\
& + 15776879049053621452800000t^2x^{18} - 119076919384603145011200000t^2x^{16} \\
& + 187885181646143815680000000t^2x^{14} + 680341459697530380288000000t^2x^{12} \\
& + 8488349754576575808798720000000t^6x^6 + 4110255945966244388751360000000t^6x^4 \\
& + 4164042097617641311564800000000t^6x^2 + 708618775142017164902400000t^4x^{16} \\
& - 8402516365645224345600000000t^4x^{14} - 15869860849067864948305920000000t^8x^2 \\
& + 80434160738159540620492800000t^6x^{14} - 186962840836126122442752000000t^6x^{12} \\
& + 350791225471574901522432000000t^6x^{10} + 134335172904754748129280000000t^6x^8 \\
& + 60921626487686420870861527449600000t^{18}x^2 + 18315378812895833262524674867200000t^{16}x^4 \\
& + 102817448717754853936727064576000000t^{16}x^2 - 3735536672399445680577734246400000t^{14}x^6 \\
& - 388441643701022205897867264000000t^{14}x^4 + 34836525267081102400438665216000000t^{14}x^2 \\
& - 2949900954089368735237275648000000t^{12}x^8 + 21144689625774893695185715200000t^{12}x^6 \\
& + 1342569987536088015694725120000000t^{12}x^4 + 9104071459689094366598529024000000t^{12}x^2 \\
& + 60287229757947398671596257280000t^{10}x^{10} - 71490651801908749987007692800000t^{10}x^8 \\
& + 358131686186596444493001523200000t^{10}x^6 + 1001557152044251656675655680000000t^{10}x^4 \\
& - 501106709929274941281140736000000t^{10}x^2 + 5430273073229572585449062400000t^8x^{12} \\
& + 7029884218031297562201292800000t^8x^{10} + 45323980394714778162954240000000t^8x^8 \\
& + 90305338687107457092157440000000t^8x^6 + 58288613843255631982755840000000t^8x^4
\end{aligned}$$

$$\begin{aligned}
& +2056382819164484226175205376t^{40} + 23089744183296x^{40} + 4398046511104x^{42} \\
& +19342813113834066795298816t^{42} - 155532989696642729902080t^{10}x^{26} \\
& +4624173302020412626742280192000t^{28}x^8 + 7692422509798564361512880701440t^{30}x^6 \\
& +8906766657607955147189649408000t^{32}x^4 + 2058245621187256415713178419200t^{26}x^{10} \\
& +186648239032841056095830016000t^{22}x^{14} + 702370714222287966351812198400t^{24}x^{12} \\
& +38524261286006536729924730880t^{20}x^{16} + 830805200433869488128000t^{12}x^{24} \\
& +19419629345361100800t^4x^{32} - 88442956119696998400t^6x^{30} \\
& -12219092621800243200000t^8x^{28} + 46371793646940589758873600t^{14}x^{22} \\
& -2697387532000929170797363200000t^{14}x^{14} + 28876804363165060911071232000t^{14}x^{16} \\
& +56829188844642993916870656000t^{14}x^{18} + 12863543457321089775721827532800000t^{16}x^6 \\
& +1284562789522580451354476544000000t^{16}x^8 + 260312228549486582307760373760000t^{16}x^{10} \\
& -4405660387524677485524418560000t^{16}x^{12} - 4288801766427224085507342336000t^{16}x^{14} \\
& +40455932657724327818987097292800000t^{18}x^4 + 19925337192920352081977750323200000t^{18}x^6 \\
& +457606819270524444235687526400000t^{18}x^8 + 3643894751364567984085401600000t^{12}x^{14} \\
& -292085023149255531215978496000t^{12}x^{16} + 71186431760663987349356544000t^{12}x^{18} \\
& +3734139358041821340814540800t^{12}x^{20} + 1761944289373158958952349696000000t^{14}x^8 \\
& +267373483487109126151030702080000t^{14}x^{10} + 25159947500789794169652510720000t^{14}x^{12} \\
& +172157668824188616584126791680000t^{12}x^{10} + 32068248131267736673022115840000t^{12}x^{12} \\
& +368404647701690338586394624000t^{10}x^{16} - 2295963211679982289944576000t^{10}x^{18} \\
& +4232691991847276125146316800t^{10}x^{20} + 157352538270124324631347200t^{10}x^{22} \\
& -31980191244095515157394295357440000t^{22}x^2 + 34534936785834022537771823923200000t^{22}x^4 \\
& +6536462007456578404383675383808000t^{22}x^6 + 342130184183092637503793922048000t^{22}x^8 \\
& +10856203874861428872202892083200t^{22}x^{10} - 742268668480789473023659868160000t^{24}x^2 \\
& +14526828401811079008028238807040000t^{24}x^4 + 1787222867366445406442219372544000t^{24}x^6 \\
& +92071972531818619699269206016000t^{24}x^8 + 7019595923832916022361996656640000t^{26}x^2 \\
& +3648008162636396412554547560448000t^{26}x^4 + 343864818302012316956699394048000t^{26}x^6 \\
& +16716993992988126079164088320000t^{10}x^{12} + 2523551246339044311407001600000t^{10}x^{14} \\
& +119508725048133376351659884544000t^{18}x^{10} - 23870477918779431749595168768000t^{18}x^{12} \\
& +1289649279612910746118127616000t^{18}x^{14} - 4048034951690653322202537000960000t^{20}x^2 \\
& +41305449926112714726330020659200000t^{20}x^4 + 15085899823696223162390563258368000t^{20}x^6 \\
& +865636725666914269306697023488000t^{20}x^8 - 18844182928440318306122779852800t^{20}x^{10} \\
& +1858588673501596499770657996800t^{20}x^{12} + 647591200264023821608437153792000t^{28}x^4 \\
& +639672080962623609632348071526400t^{30}x^2 + 7316395404151027138560000t^2x^{20} \\
& +1079518545924902092800000t^2x^{22} + 91939228359642316800000t^2x^{24} \\
& -29735889790316838912000t^2x^{26} + 1658936156076638208000t^2x^{28} \\
& +264046954624214630400t^2x^{30} + 277719919821324288000x^{28} \\
& +2602547308142788608000x^{26} + 520666510730106735113011200000t^8x^{14} \\
& +29676525841394574557184000000t^8x^{16} + 9907008973268534584934400000t^8x^{18} \\
& -1057912045110554643136512000t^8x^{20} + 109550710205924732043264000t^8x^{22}
\end{aligned}$$

$$\begin{aligned}
& +11092996319640910036992000t^8x^{24} + 21711089220782970529382400000t^6x^{16} \\
& +133365085130776778508800000t^6x^{18} + 308200319155218205900800000t^6x^{20} \\
& -65676639587066896711680000t^6x^{22} + 1568799755546822443008000t^6x^{24} \\
& +327853528908677775360000t^6x^{26} + 380398138248276423475200000t^4x^{18} \\
& +54773375791185631641600000t^4x^{20} + 8454122966951909130240000t^4x^{22} \\
& -2042367037914155581440000t^4x^{24} + 24627676640899497984000t^4x^{26} \\
& +9188048507825553408000t^4x^{28} + 14789738781632102400t^2x^{32} \\
& +525639180819942604800t^4x^{30} + 16308124688452681728000t^6x^{28} \\
& +246886766423473913856000t^8x^{26} + 6389363531939347169280000t^{10}x^{24} \\
& +171416692930800481468416000t^{12}x^{22} + 2689023734168603609530368000t^{14}x^{20} \\
& +403583415082537113240993792000t^{16}x^{16} + 26009896265605858335916032000t^{16}x^{18} \\
& +2154349846231906640625 + 674120776546396850356224000t^{16}x^{20} \\
& +170487818456707150066483200000t^{18}x^{16} + 824104538643404730610483200000t^{20}x^{14} \\
& +3190530548022051252724354252800t^{22}x^{12} + 10470537786849459916081043865600t^{24}x^{10} \\
& +28740632513159451112667873280000t^{26}x^8 + 60912221983103393139076890624000t^{28}x^6 \\
& +89432936845822803438402011136000t^{30}x^4 + 78916367221302480288978095308800t^{32}x^2 \\
& +44044496389822028238028800t^{16}x^{22} + 6027751534210401769095168000t^{18}x^{18} \\
& +418639448913360682053795840t^{24}x^{16} + 1763857007974744770824110080t^{26}x^{14} \\
& +5196740001990108249524797440t^{28}x^{12} + 11308915469050980093369778176t^{30}x^{10} \\
& +18283421028899504936284323840t^{32}x^8 + 21492056547517699724956139520t^{34}x^6 \\
& +17437999369303766701902397440t^{36}x^4 + 8758667563107988370746245120t^{38}x^2 \\
& +391750298587119499897303203840t^{30}x^8 + 550530899077293867881925181440t^{32}x^6 \\
& +6389982016100992830288376627200t^{34}x^2 + 535114721888049703907701555200t^{34}x^4 \\
& +321131310041398187750798131200t^{36}x^2 - 273194838579757700874240t^{14}x^{26} \\
& -1414593613323999620628480t^{16}x^{24} - 4762130745563535365898240t^{18}x^{22} \\
& -4944054841461468177629184t^{20}x^{20} + 53935143725034198301409280t^{22}x^{18} \\
& -284879416553971384320t^8x^{32} + 545495206330368000t^2x^{34} \\
& +11775769533480960t^2x^{36} + 2618376990385766400t^4x^{34} \\
& +143137942141088563200t^6x^{32} + 3749981339475152732160t^8x^{30} \\
& +61087084302631981547520t^{10}x^{28} + 701227890912144151019520t^{12}x^{26} \\
& +6154544491010705483366400t^{14}x^{24} + 101549768847628850675318784t^{40}x^2 \\
& +253874422119072126688296960t^{38}x^4 + 401967835021864200589803520t^{36}x^6 \\
& +452213814399597225663528960t^{34}x^8 + 384381742239657641813999616t^{32}x^{10} \\
& +256254494826438427875999744t^{30}x^{12} + 137279193657020586362142720t^{28}x^{14} \\
& +60059647224946506533437440t^{26}x^{16} + 21688205942341794025963520t^{24}x^{18} \\
& +6506461782702538207789056t^{22}x^{20} + 1626615445675634551947264t^{20}x^{22} \\
& +338878217849090531655680t^{18}x^{24} + 5865199924311822786560t^{16}x^{26} \\
& +8378857034730260398080t^{14}x^{28} + 977533320718530379776t^{12}x^{30} \\
& +91643748817362223104t^{10}x^{32} + 6738510942453104640t^8x^{34}
\end{aligned}$$

$$\begin{aligned}
& +374361719025172480t^6x^{36} + 14777436277309440t^4x^{38} \\
& +369435906932736t^2x^{40} + 269650932253973825055621120t^{18}x^{20} \\
& +1442137173241003254459924480t^{20}x^{18} + 6670904798520590070794158080t^{22}x^{16} \\
& +25936458820714974771412992000t^{24}x^{14} + 82064395606244341723221196800t^{26}x^{12} \\
& +204983947865102952783182561280t^{28}x^{10} - 5541538603991040t^2x^{38} \\
& -432240011111301120t^4x^{36} - 14275003443880919040t^6x^{34} \\
& -3877977581534696177664t^{10}x^{30} - 38008038983200753582080t^{12}x^{28}).
\end{aligned}$$

#### 4. Case N=7

$$\begin{aligned}
N(x, t) = & (-8070450532247928832t^2x^{54} - 43068613078887044863482311983969075200000t^{32}x^{16} \\
& -15076615544015608998427454590848860160000t^{12}x^{24} - 377697084909203069337600t^8x^{48} \\
& -1136646176327005412887390517503432316682240000t^{22}x^{14} - 2891527950737450115494145281095289599426560000t^{24}x^{12} \\
& +8554173337526502774210040745164800t^{12}x^{34} - 265780695446251489235404780851953664t^{50}x^6 \\
& -3434156533907357467410432000x^{40} - 435804328741388156928t^4x^{52} \\
& -65930905183814521057131724800000000x^{20} - 6799085312384788832515448846334948613816320000000t^{20}x^2 \\
& -34852041516794876250611548107571200t^{20}x^{32} - 204067461579070286775551543552556977356800t^{40}x^8 \\
& +19024621613829436965209564103699177293217792000000t^{24}x^2 + 3927271140908843217689575400265312790118400000t^{22}x^{12} \\
& -807606705611287799091005843449892044800t^{24}x^{22} - 2210566417525900599450740191151214097858560000000t^{20} \\
& +6569722279196912274081249765202329600t^{22}x^{28} + 199631685623657621546004755874291709378560t^{46}x^2 \\
& -106246504639942273514938705234624512000t^{22}x^{26} - 37814641105237151691062743111360629964800000000t^{14} \\
& -26176376202642818947935931371356160000t^8x^{28} - 276517622769942239440161198157100954419200000000t^{16} \\
& +93598013649391515859333939200000000x^{22} - 4927445240833970180863953185188981914992640000000t^{22}x^2 \\
& -80518853651215468263365284686232289280t^{32}x^{20} + 867015399768915871771051087468701941760t^{30}x^{20} \\
& +74130708246841441891019914444800000t^4x^{26} + 11751918354917692838957403489277395232358400000t^{20}x^{12} \\
& +76760816449346355813333073920000t^2x^{34} + 10361151603802269814546759680000t^2x^{36} \\
& -341127093482893460782448640000t^2x^{38} - 40253969440424227750753075200t^2x^{40} \\
& -1792083404790335476334592000t^2x^{42} - 917553283967174160622288896000t^4x^{38} \\
& -63767820503562066231872716800t^4x^{40} + 57744544297701817386147055140864000t^6x^{32} \\
& +1721929822561125752435223035904000t^6x^{34} - 11496630594497048721821270016000t^6x^{36} \\
& -2005151456991371539167313920000t^6x^{38} + 1730192277325160561260768744439808000t^8x^{30} \\
& +54543304839511787603403894423552000t^8x^{32} - 296714802229649176097099612160000t^8x^{34} \\
& -56161958954859041039277096960000t^8x^{36} + 42549852632585961044528116625571840000t^{10}x^{28} \\
& +1111336933916994424218899642843136000t^{10}x^{30} - 19052067594911398932083405488128000t^{10}x^{32} \\
& -2066788655192891725269067785830400t^{10}x^{34} + 958801867109247405428302715226685440000t^{12}x^{26} \\
& +15032677688862208912114388482129920000t^{12}x^{28} - 802173269621641921509115835921203200t^{12}x^{30} \\
& -55599972485720016515508838858752000t^{12}x^{32} + 19244256918554374145750925264184934400000t^{14}x^{24} \\
& -15324556119401902038798749304619008000t^{14}x^{26} - 20248904357762867980597712935452672000t^{14}x^{28} \\
& -1060483108643859319406896561835212800t^{14}x^{30} + 359811831459621683826611104463934455808000t^{16}x^{22} \\
& -7168255939745096556471528133012488192000t^{16}x^{24} - 289996411970095347002557700203610112000t^{16}x^{26}
\end{aligned}$$



$$\begin{aligned}
& -16984340773434826227044139833229312000t^{16}x^{28} - 25602598406970861317971922177532132065280000t^{18}x^{18} \\
& + 4521681678088434814443366043472306896896000t^{18}x^{20} - 69586700325078493230886125099596906496000t^{18}x^{22} \\
& - 44682845143110877003437041919191718400000t^{18}x^{24} - 247247175376032865998646737874452480000t^{18}x^{26} \\
& + 26887536110314706596862819104646202654720000t^{20}x^{18} + 668505033876919752251545955325437804544000t^{20}x^{20} \\
& - 65879856235435934974240501887878037504000t^{20}x^{22} - 3084614246807651196969125775745115750400t^{20}x^{24} \\
& + 5541086631546164846454638974919277281280000t^{22}x^{16} + 15241240763331555791563563772917401518080000t^{22}x^{18} \\
& - 616630714113817749533672282673604932403200t^{22}x^{20} - 30466011427500062419564118935886364672000t^{22}x^{22} \\
& - 645405370360703817901875628544877605683200000t^{24}x^{14} + 108318062218803282175504491962689690533888000t^{24}x^{16} \\
& - 3234617593335742841397832063192041259008000t^{24}x^{18} - 229457776793928093223793600133258333388800t^{24}x^{20} \\
& - 3147489060092735583720807020951788698206208000t^{26}x^{12} + 385374887897418183503250178378328149327872000t^{26}x^{14} \\
& - 8024208623808708813673203999202709864448000t^{26}x^{16} - 1307711860978664533989441844850360057856000t^{26}x^{18} \\
& - 7954043214806271756795724912895529389654016000t^{28}x^{10} + 642695120627212308383434675932699857780736000t^{28}x^{12} \\
& + 418563473761542272925098970927952035840000t^{28}x^{14} - 5670815733516255178410242328286294179840000t^{28}x^{16} \\
& - 19998939153950980796613587759415384877301760000t^{30}x^8 - 368720062311634145743398617038203679408128000t^{30}x^{10} \\
& + 37766970636227766570718646913378790932480000t^{30}x^{12} - 18967919626763053032804243964658897544806400t^{30}x^{14} \\
& - 54547008092243958320599222371116307500236800000t^{32}x^6 - 5372586083011658254267274267761965803765760000t^{32}x^8 \\
& - 5453533234491254074045973626639753622323200t^{32}x^{10} - 50081917113335147121363685101624184799232000t^{32}x^{12} \\
& + 128334746452943396675881364359442079437291520000t^{34}x^2 - 66431552727615554423861413317558836763033600000t^{34}x^4 \\
& - 15624331374156844399418722066696403656114176000t^{34}x^6 - 759907487079096493458156902245566171316224000t^{34}x^8 \\
& - 107687202838726341123059844961424645082316800t^{34}x^{10} - 19427811458102402706402774712253429751742464000t^{36}x^2 \\
& - 22051443831496624747845067782354745933430784000t^{36}x^4 - 2209242750844028492261387831170438501761024000t^{36}x^6 \\
& - 192392719636271892089953555758494055923712000t^{36}x^8 - 14695854256595397403186419314213306071252992000t^{38}x^2 \\
& - 3197924997032330714828279368542521162465280000t^{38}x^4 - 277810317422996522191543137707399388856320000t^{38}x^6 \\
& - 2455013783146632880376500975639313761959936000t^{40}x^2 - 294442696990945022657555892501241043248742400t^{40}x^4 \\
& - 193220416350281810531746518720517087690752000t^{42}x^2 + 1318119736151959927664305766400000t^4x^{34} \\
& + 25056645110565418727632797696000t^4x^{36} + 82588276423391796709488705396119961600t^{42}x^{12} \\
& + 38713254573464904707572830654431232000t^{38}x^{16} + 9014446441468047421089798954449633280t^{34}x^{20} \\
& + 20282035869553810167642259240412774400t^{36}x^{18} + 1114600286622282673954008629866659840t^{30}x^{24} \\
& + 3422018423840341542841254565380096000t^{32}x^{22} + 15650302513793625508430737645240320t^{24}x^{30} \\
& + 75365881953626569693527630308966400t^{26}x^{28} + 312327078366380378910114503983104000t^{28}x^{26} \\
& - 100532528565119136857488007689666560000t^{34}x^{18} + 3925884380854996742890029495110074368000t^{34}x^{16} \\
& + 19934643046705730460820853108401766400t^{36}x^{16} + 8521482700632185798393023582767635496960t^{36}x^{14} \\
& + 18725268666598883253284442583162190561280t^{38}x^{12} + 481097505479177944221951152388833280000t^{38}x^{14} \\
& + 1408367371754034615881578915548050227200t^{40}x^{12} + 36583353224455595953063597516883188776960t^{40}x^{10} \\
& + 1972690926499915744734387723263016960000t^{48}x^4 + 25688896953668214176786887324870775930880t^{48}x^2 \\
& + 3092519712732521121727569095662397030400t^{46}x^6 + 52345775106488469900835895996542259036160t^{46}x^4 \\
& + 3335283684153244901146431995768733696000t^{44}x^8 + 6569749445148391292156951337720015257600t^{44}x^6 \\
& + 2575457914606369543095713192500411760640t^{42}x^{10} + 56948435931103688500690271045049070387200t^{42}x^8 \\
& + 780456067635282287753109178233944801280t^{50}x^2 + 74740442379148068913152t^4x^{50} + 3508224846368174663270400t^6x^{48}
\end{aligned}$$

$$\begin{aligned}
& +107207864870381486604288000t^8x^{46} + 817133116390102794240t^2x^{52} + 55059858239490959707195047936000t^{18}x^{36} \\
& + 6000884754809865704246240870400t^{16}x^{38} + 543636125953142114128798679040t^{14}x^{40} \\
& + 40222299038589175110775603200t^{12}x^{42} + 2370357176197559841057669120t^{10}x^{44} \\
& + 89435044293687997370809120172078530560t^{44}x^{10} + 76811259879869195416650336004630118400t^{46}x^8 \\
& + 50313052323058424945404150221373440000t^{48}x^6 + 23598259055295060111535843715259039744t^{50}x^4 \\
& + 7053410763765904906631896107224924160t^{52}x^2 + 62092745439421630645344948690018631680t^{40}x^{14} \\
& + 30331476608799363915819953789337600000t^6x^{24} - 977617026627092111385012822500966400000t^6x^{22} \\
& - 13312130907956451884350800125755392000000t^6x^{20} + 30858373758393121099672892850831360000000t^6x^{18} \\
& - 98568298005563739832435890381127680000000t^6x^{16} - 340194603654421913423635138593423360000000t^6x^{14} \\
& - 679720599137884880548349855253135360000000t^6x^{12} + 2258684189478846380081511491921510400000000t^6x^{10} \\
& - 3499312897546982259204657020977152000000000t^6x^8 + 191242388778072174351765122310144000000000t^6x^6 \\
& + 4515411303843536985488976710670336000000000t^6x^4 + 1637364517518796216648974040424251392000000000t^{10}x^6 \\
& + 74737333329250121751489995239430553600000000t^{10}x^4 + 2460125422647323832047931248933928960000000000t^{10}x^2 \\
& + 133184180352646781394353563631616000000t^8x^{26} + 421346886202453058478278008897536000000t^8x^{24} \\
& + 2456350383299718343998444478975180800000t^8x^{22} - 17766148723193060717054863505935564800000t^8x^{20} \\
& - 362601652651442038552121482879696896000000t^8x^{18} + 1893250265196671339135620417899724800000000t^8x^{16} \\
& - 1614510361814803549605458058254745600000000t^8x^{14} - 9878182151005601057171395110324142080000000t^8x^{12} \\
& - 32108595684829093012852000330528849920000000t^8x^{10} + 66607164466355386124892008130399436800000000t^8x^8 \\
& - 93294829058694209474048619727749120000000000t^8x^6 - 15170255907068080751953591932641280000000000t^8x^4 \\
& + 146582326012976041997955243527958528000000000t^8x^2 + 172690371049998812301263949004800000t^6x^{28} \\
& + 10410935203789235589537577775923200000t^6x^{26} + 205556082855981869359087544001651277824000000t^{18}x^{16} \\
& + 1719779524394136912332244508048109862912000000t^{18}x^{14} + 13979923001026574251063852291420968085094400000t^{18}x^{12} \\
& - 30887101301249284211239079390147395348070400000t^{18}x^{10} + 68765021402825862245009709886946962046976000000t^{18}x^8 \\
& + 305256057220119001592560069095408952934400000000t^{18}x^6 + 402385199563783766753709764528004975820800000000t^{18}x^4 \\
& - 5611775087280688040839976347055023686942720000000t^{18}x^2 + 20499623783674586750082705267942752256000000t^{16}x^{18} \\
& + 92613104747764495287685081325708614041600000t^{16}x^{16} + 927385444838833435116440521886365699276800000t^{16}x^{14} \\
& + 793166733010008142292670235406259506380800000t^{16}x^{12} - 33278299138121597505708702384564668989440000000t^{16}x^{10} \\
& + 107662501548407955258607175850084186193920000000t^{16}x^8 - 71078636668755561724950894994245204049920000000t^{16}x^6 \\
& - 1138650650631625849175232095273745635082240000000t^{16}x^4 + 365831750148184584601156923447436703170560000000t^{16}x^2 \\
& + 1406462208360857852823858705944291573760000t^{14}x^{20} + 1954086433217636311059516894194801049600000t^{14}x^{18} \\
& + 73939232021962802223636949860973176422400000t^{14}x^{16} + 499111792050931892288657184826494812160000000t^{14}x^{14} \\
& - 5162338142346884943357152493412961746944000000t^{14}x^{12} - 505669318750452744154326557671506837504000000t^{14}x^{10} \\
& - 45465779495158491027677149529557507768320000000t^{14}x^8 - 169511355667578878666489158256317830266880000000t^{14}x^6 \\
& - 7006039966436139914384397773616988160000000000t^{14}x^4 - 4521593391330257914070329495393193164800000000t^{14}x^2 \\
& + 79740117842986476352200866031835545600000t^{12}x^{22} - 50101046513175945400105046482731663360000t^{12}x^{20} \\
& + 3382787158802557455753390743730782208000000t^{12}x^{18} + 18280948883938426282539592942073413632000000t^{12}x^{16} \\
& - 280007405811154623614301703863256743936000000t^{12}x^{14} + 240604527324712139708698415906401812480000000t^{12}x^{12} \\
& - 1991700794238637684139918157677315751936000000t^{12}x^{10} - 7362468865338300316529174164622907801600000000t^{12}x^8 \\
& - 21722537016593350522348762543085007667200000000t^{12}x^6 - 5000189694532837755996628592962515763200000000t^{12}x^4
\end{aligned}$$

$$\begin{aligned}
& -2040467998802003221639914239754240000000000000t^{12}x^2 + 7813272172241574861402034667520000t^2x^{30} \\
& + 3972380916137611024183534800265543680000t^{10}x^{24} + 2921907944229670592713004140619366400000t^{10}x^{22} \\
& + 112213452910465755904385683373948928000000t^{10}x^{20} - 143441619615680077134503868635283456000000t^{10}x^{18} \\
& - 10679848175258033946895460449784954880000000t^{10}x^{16} + 43261122841068114214994306468337942528000000t^{10}x^{14} \\
& - 11008096062269913312804828881595924480000000t^{10}x^{12} - 220964382709533829376447711752004567040000000t^{10}x^{10} \\
& - 1755533122669028255492221326280831795200000000t^{10}x^8 - 11874907871036288642796401169000000000t^2x^4 \\
& \quad - 91096241400138440665577390512500000000t^2x^2 + 760177374440782022404717208371200000000t^2x^{14} \\
& + 79736490295523107050001181184000000000t^2x^{12} + 1220701152802998302466265934899200000000t^2x^{10} \\
& + 144255354827577436521967725792000000000t^2x^8 - 54951607293147082021344845004000000000t^2x^6 \\
& - 2792662974201240678568487288832000000t^2x^{24} - 8809737250013365336544945111040000000t^2x^{22} \\
& - 36011656349811250855846899351552000000t^2x^{20} - 12950319567015883276211699712000000000t^2x^{18} \\
& - 21146188346668858610174349312000000000t^2x^{16} + 12025826913262916080949517216921600000000t^4x^6 \\
& - 562443335146990742411946699720000000000t^4x^4 + 1121217977734480055380025959884000000000t^4x^2 \\
& \quad + 781195593111639670337096908800000t^2x^{32} + 2012957709341195371712348160000000x^{28} \\
& \quad + 94326842473308240310016409600000x^{30} + 108962667959181798494334615552000000t^2x^{26} \\
& - 246249448051397558996181919759073280t^{40}x^{16} - 2295071284242528031574900966400000000x^{16} \\
& - 2510064899021763095350788882432000000000t^4x^{14} + 104632424104017100379458948300800t^{12}x^{38} \\
& + 916972873685415526630961521867812199464960000000t^{28}x^6 - 14677610877239558636914606080t^{16}x^{40} \\
& - 1180001074995080782984131675637112473072435200000t^{28}x^2 - 1060077181760938058575426004975616000t^{24}x^{28} \\
& + 776382853634029872081032989948903767932928000000t^{22}x^4 + 3007780292997585399936175112369243368194048000000t^{28}x^4 \\
& \quad - 21208538218040554943712570900480000000t^4x^{24} + 15208361034638927884111765831680000t^4x^{30} \\
& \quad - 361688645021997898703831040000x^{36} - 1482507482734996795638392832000000000x^{18} \\
& - 4310633948980877849361337730578657163870208000000t^{24} - 3337755137036845081451707760640t^{12}x^{40} \\
& - 3255530370171543850277928960000x^{34} - 207253773341569785450992532325747528826880000t^{20}x^{16} \\
& + 8206592685064809554157668844965261555112345600000t^{26}x^2 - 415282336634767951930319970081177600t^{48}x^8 \\
& \quad - 498338803961721542316383964097413120t^{46}x^{10} + 1589447394617759760668957658316800t^{14}x^{36} \\
& - 7251784030256698931281920t^{10}x^{46} + 16873552585916432521271664360652800000000t^4x^{10} \\
& \quad - 33016914910448630680780800000x^{38} - 20189571827307336695808000t^4x^{44} \\
& + 2184600484438689428711551171155332941479936000000t^{20}x^4 + 8042413446440140452387397354693774540800000000t^{12} \\
& \quad - 237937943955585479350388706562500000x^4 + 19095743744614287388005102489186432000000000t^8 \\
& - 22031291106998655495406361718750000x^2 + 13595326725434332126207488591773696000000000t^{10} \\
& - 1377589267270548451843659936000000000x^{12} + 2541894757465615879605474037976098846801920000000t^{24}x^4 \\
& \quad + 26683614483157446085595451359232000000t^4x^{20} - 6490172664263019382722967633920t^{22}x^{34} \\
& + 735215657513555131960989442500000000x^6 + 5950157387792259812810713753680000000000t^6 \\
& + 34959853708136060655110455296000000x^{24} + 4883405030049591504031036464000000000x^{10} \\
& - 1991628716072678456784735099375000000t^2 + 2288456650860304786697448112500000000x^8 \\
& - 2461992165127058285226699979785000000000t^4 + 2442130840324008532655235245970074242960588800000t^{24}x^6 \\
& - 12878733521788446086355922905040371119554560000t^{28}x^8 - 1254039043495696230893285151866880000000t^4x^{18} \\
& - 5320536741701382293658945776517120000000t^4x^{16} + 777163948235445471817574456966790437142528000000t^{22}x^8
\end{aligned}$$

$$\begin{aligned}
& +30245042178759872393494569622595174400t^{24}x^{26} + 44166672807819296677597462677194227958415360000t^{22}x^{10} \\
& \quad - 962479069929916995139220275200t^8x^{38} - 2009214275152668387523134750720000t^4x^{32} \\
& \quad + 85324187823651756379210123734220800000000t^4x^{12} - 64049606799956771025715200t^2x^{44} \\
& \quad + 120255718942369526807127873159926316741427200000t^{20}x^{10} - 8107806009733186766021591040t^6x^{42} \\
& \quad + 424926913373607699642214577280437452800t^{22}x^{24} - 8933821654096062133411564883183943234352000000t^{22} \\
& - 5192296858534827628530496329220096t^{56} - 72057594037927936x^{56} - 25159416590054563816616151220224000t^{14}x^{34} \\
& \quad - 19276837206154442257262125984933478400t^{20}x^{28} + 8340396601251567453647929344000000x^{26} \\
& \quad - 2518358868430052917248000t^4x^{48} + 22629831928724883847364807986092441600t^{18}x^{28} \\
& \quad + 826024229946647700758681902798489748766720000t^{20}x^{14} - 110227852679706574848000t^2x^{48} \\
& - 673908116912234381560985579638655601868800t^{30}x^{16} + 10531560150320063745225023007293338363625472000000t^{26} \\
& \quad + 144945035611779285720812047649810153472t^{52} + 1008603664770390266842048911951003648t^{54} \\
& \quad + 1513209474796486656x^{54} - 91038688585228411187547340800t^6x^{40} \\
& \quad + 181234510897965362463658475520000t^{10}x^{36} - 6152645220830790844521465726785108626636800t^{34}x^{12} \\
& \quad + 1913160786418666496000x^{48} + 4768174554719914393249632773293718423941939200000t^{30} \\
& + 10726247747613998728569139077416750987555635200000t^{28} - 4737487308501655451090917785600000t^{18}x^{34} \\
& \quad - 375237254173558185137039115823349760t^{42}x^{14} - 143185481585575756692646144967408458137600t^{28}x^{18} \\
& \quad - 1754601852401813024168364725352467005440t^{26}x^{22} - 477574687129983144719867965593354240t^{44}x^{12} \\
& \quad - 18402620193948925077802468967385943297228800t^{38}x^8 - 15504467864005292457354854400000x^{32} \\
& - 5211071213296441966559702292073807872000t^{42}x^6 + 2278024212426497028269248550933852956341043200000t^{26}x^6 \\
& \quad - 253550391186971505926849545423014466682880t^{38}x^{10} - 1397867702594243679706152960t^{14}x^{42} \\
& \quad - 775967896562435724000284481945600t^{28}x^{28} + 34212139623969339066772517901836885919006720000t^{30}x^6 \\
& + 166639267264852228796860279014737031179796480000t^{32}x^4 + 697687050849109282132038528930350603698176000000t^{20}x^6 \\
& \quad + 2521371585122835296849473336403558400t^{16}x^{30} + 2526448123112040983754178560t^6x^{44} \\
& \quad + 189751825460727399433514114136890949186355200000t^{32}x^2 + (5887594456084106411413340160)t^7x^{44} \\
& + (300816217285734987652447473200133046272000000)t^{13}x^8 - (952319337509281478168275443473448960000)t^{11}x^{26} \\
& \quad + (600989078623090441128883316903116800000)t^{13}x^{26} - (17207980609506731797640898962836684800000)t^{13}x^{24} \\
& + (1694708644895984664668461529741779795968000)t^{25}x^{18} + (101290655839466196814090379968068452352000)t^{19}x^{22} \\
& \quad - (316325622723573807189109348761600000)t^5x^{32} - (14565848579952793462354140067497246720)t^{31}x^{22} \\
& + (163154779223409688920718708309227605065728000)t^{29}x^{12} - (42259794166548023379806134216949760000)t^9x^{28} \\
& \quad + (274732522712588597392834560000)t^{38} + (88125164427994621981625446875000000)t \\
& \quad - (33390506343599704575788622486396532162560)t^{49} - (1462374157136550755626515987000000000)t^3 \\
& - (1852571842333438848065529075324183285596160000000)t^{19} + (649286605186674499839515878585667640360960000000)t^{17} \\
& + (12261528872239933010545893969119045224000000000)t^{15} - (4074602055371922673433820161213202532663296000000)t^{23} \\
& - (3990098896455301847417007979140919748198400000000)t^{21} + (14729999287831603031466574788773384099463168000000)t^{31} \\
& + (7663864266035230555123711130147168037371904000000)t^{29} - (70497235614292785730614092296660462300299264000000)t^{27} \\
& - (166768734313883594682448799490283835479818240000000)t^{25} + (39252015268834729832956015594611041894400000000)t^{13} \\
& + (12203120479121975833689527859551349311432294400000)t^{33} + (5255638317745570312710820027493253120000000000)t^{11} \\
& \quad + (26311740978560954630220200813543424000000000)t^9 - (2943771932157360451336577582498304000000000)t^7
\end{aligned}$$

$$\begin{aligned}
& -(3204664722268326242115140334384000000000t^5 + (451583843241701115252001183394276604137963520000t^3)^5 \\
& -(271019641846874715705910355859131596800t^5)^{51} - (1083411319880344822246884219046636384419840t^4)^{47} \\
& + (145384312038975173598853897218162688t^5)^{55} + (8423203578758124120383597670077300736t^5)^{53} \\
& -(16814034402400041805178128541490523353907200t^4)^{45} + (10687174634670548005232320665223092234092544000t^3)^{39} \\
& +(91556538318805916060015778606094953486483456000t^3)^{37} + (241472400591417991014652475071613701718016000t^4)^{41} \\
& -(113332473797985544574242518195200906074521600t^4)^{43} - 53460000740287695583696146923520000t^6x^{30} \\
& + 187371252726865203139969279013683200t^{14}x^{32} - 1192526067541619033520136519680t^8x^{40} \\
& - 248719993709629628899143885422707813122048000000t^{18} - 991554157040183516804897832960t^{20}x^{36} \\
& - 18689215025642539453035032195572765084876800000t^{26}x^8 + 112989848685003374689420656723005276160t^{26}x^{24} \\
& - 4384926053700850691648895625828761600t^{26}x^{26} - 12309974997505394081219612648295038661427200t^{36}x^{10} \\
& + (2509285533194095931739340800000t^3)^{36} + (90135985214209184915884152435358537089024000t^3)^{35}x^8 \\
& + (2444811316837823222063824896000t^5)^{38} + (2963122353026998367248516644864000t^7)^{34} \\
& + (177843015046783078871758788362240000t^{11})^{30} + (85050975409873887152522133504000t^7)^{36} \\
& -(3398199981265498180809634523791912599552000t^{17})^{20} + (9714444011522605712773491859814004817920000t^{27})^{16} \\
& +(1824419086337215431122689225550565048582144000t^3)^{39}x^2 - (302396654146585777893474296438033618042880000t^{39})^{34} \\
& -(123580340902174263498156702787694795685888000t^3)^{37}x^6 + (117999937623917718022386616872468480000000t^5)^{14} \\
& +(59400824349241206986426814645039028764672000t^25)^{16} + (44483181129407026066902434468417821999104000t^31)^{10} \\
& -(10308244026995806538250224918587747860480t^41)^{10} + (98518452119053787968460601507777030075187200t^31)^{12} \\
& -(38837356947785868546221476533457492377600t^29)^{18} + (172456616301071899740473522039025045602304000t^33)^{8} \\
& +(207607043913796152417846291006608533094400t^23)^{20} + (13477961612688575274137970259609518080000t^19)^{24} \\
& +(28678729679007882446983826453299200t^11)^{32} + (3235423391448507075634523969421312000t^15)^{28} \\
& +(369946523164105972348287919690088448000t^15)^{26} - (25325507455825685199412515892480824368431104000000t^23)^{2} \\
& +(3824605103268935239262184420931534848000t^17)^{24} + (4924988961027951179923638395181465600t^39)^{16} + \\
& (1045165131639459300326009135431680t^15)^{36} - (2655682628267834081280t^15)^{50} \\
& -(37094131678217209029859407132051956249395200000t^17)^{10} + (26041582441583848706675834880000t^17)^{34} \\
& -(67037159863856426255924576869416960t^23)^{30} + (1533505063825994499016673256022636064931840000t^21)^{14} \\
& -(433700623265081507589692325888000000t^24)^{13} + (176061828750205673335854482124680724480000t^13)^{22} \\
& -(36359579460419154881862929989490442240t^33)^{20} + (16719684452064444007969053495284203520t^31)^{20} \\
& -(4884976564826053694489790908674867200t^29)^{24} + (100158771488770613842177971943259504640t^29)^{22} \\
& -(1381481511846656400628506472690483200t^27)^{26} + (2808261028241984391577282269727948800t^23)^{28} \\
& -(11490892305748600580055775240519680t^21)^{32} - (1657802277174491441365727261491200t^19)^{34} \\
& +(10446406794945457074410285181173760t^17)^{34} + (89474986733894402498887680t^5)^{46} \\
& +(8070450532247928832t^5)^{54} - (154518371608046181121911895906257469440t^41)^{12} \\
& -(163913735164468734142073913767834419200t^39)^{14} + (2236340112669032341534409651974444154880000t^15)^{20} \\
& -(645343457780495755279261024445121167360t^39)^{12} - (125516185011582544253726957369504563200t^37)^{16} \\
& -(2835633016018098434786465985288669757440t^37)^{14} - (721400459164250311777409061837361643520t^35)^{16} \\
& -(90648190567561941616545772666093987430400000t^23)^{16} - (40473148168230072015649571849765073715200000t^23)^{14}
\end{aligned}$$

$$\begin{aligned}
&+(2697643916478852899587519224310294118400000i)t^{21}x^{18}-(120072968923682945835937314705194751098880000i)t^{21}x^{16} \\
&+(2545397835626277079333059081777532895232000i)t^{19}x^{20}-(33020976368713446467176676254949446778880000i)t^{19}x^{18} \\
&+(316211746139515109474170900815701606400000i)t^{17}x^{22}+(140179870858152971566309142747964377766297600000i)t^{35}x^2 \\
&+(26920053222620289458410373460773590322380800000i)t^{33}x^6+(332903987133672400382154954570708586541875200000i)t^{33}x^4 \\
&+(6065813642788174993662567221471149849313280000i)t^{31}x^8+(207252288764333257781180696855836529566679040000i)t^{31}x^6 \\
&+(46858945830518818519124743734855182466416640000i)t^{29}x^8-(1895777069835513493261293429099980862259200000i)t^{27}x^{12} \\
&\quad +(48143444168599152345807448965120000i)t^5x^{30}+(41721795773864020111321915959541760000i)t^9x^{26} \\
&\quad +(10345808140148646455625252945537269760000i)t^{11}x^{24}-(729996092413657151264532725760000i)t^3x^{32} \\
&+(11182556251695626674515518187094382456340480000i)t^{25}x^{10}+(5991339700937235001274385188601180004024320000i)t^{23}x^{12} \\
&+(998183470802016294837829092705809448063467520000i)t^{31}x^4+(698950930748767936391354402064633100511477760000i)t^{29}x^6 \\
&+(109975946568156150435934080501664180076544000000i)t^{27}x^8+(42422764606879675272516132105429663570984960000i)t^{33}x^2 \\
&+(24600967837547252137347521560352233881600000i)t^{17}x^{18}+(260254894792635498052059997043253816852480000i)t^{19}x^{16} \\
&-(860437714443919037913287257101479622821806080000i)t^{31}x^2+(426946248202379149193189818058709607120896000000i)t^{29}x^4 \\
&+(5131672901656930322917245878408828933898240000i)t^{21}x^{12}+(654270372116130100592050581543392477026713600000i)t^{27}x^6 \\
&\quad +(346073074004031970606458597083317806091468800000i)t^{25}x^8-(8364786204446688830637830307840000i)t^3x^{30} \\
&\quad -(243647464116939100877319516979200000i)t^5x^{28}+(221376065171664981818899169280000i)t^3x^{32} \\
&\quad -(505752450130006120626975154372608000000i)t^9x^{24}-(275454196934272449002570187586330951680000i)t^{13}x^{20} \\
&-(486394800748773616375911844461648281600000i)t^{15}x^{18}-(2939024827828748087956409236229329574400000i)t^{17}x^{16} \\
&-(16416163188530005269712081402661437440000i)t^{11}x^{22}+(2027947794418494716106407802546192707380838400000i)t^{29}x^2 \\
&-(585686069891106601914871840389985540138598400000i)t^{27}x^4+(5702266678286870296229510489199705417842688000000i)t^{27}x^2 \\
&-(752721492775622497059761273514725956229529600000i)t^{25}x^6-(13108395379469978896845352429769214948016128000000i)t^{21}x^2 \\
&-(2419275141665462347242155020974795050188800000i)t^{19}x^{12}-(123670780125414727111054339502318377815244800000i)t^{19}x^{10} \\
&+(198979944296963014947743082774091976933376000000i)t^{19}x^8+(204850832967586946816833360402005658435584000000i)t^{19}x^6 \\
&-(1535941325259004941518184155405050970112000000000i)t^{19}x^4-(4657904307833532116618265435982082825256960000000i)t^{19}x^2 \\
&-(835640448136578667869642796282475131699200000i)t^{17}x^{14}-(13983908264593498648574049993696598818816000000i)t^{17}x^{12} \\
&+(56491024810040123357667413866606189608960000000i)t^{17}x^8-(96839340165850141722167115704841384493056000000i)t^{25}x^2 \\
&+(218895893992248729200545321174516030557388800000i)t^{23}x^8-(2880081297386629221598822012281845364817920000000i)t^{23}x^6 \\
&-(2879568535058036609374658649397214262067200000000i)t^{23}x^4-(2499008028952212292942135163879424000000i)t^7x^{24} \\
&\quad -(3752241186240857676486746195361792000000i)t^7x^{22}-(16556183057170820603476846919968358400000i)t^7x^{20} \\
&\quad +(141133804689597798880140451601448960000000i)t^7x^{18}-(523945907595311646077481725051535360000000i)t^7x^{16} \\
&\quad -(511867136047529678547063416826101760000000i)t^7x^{14}+(2809286682815891034973748628711014400000000i)t^7x^{12} \\
&+(14504099798466488673677555576906711040000000i)t^7x^{10}-(1372519911926257721022258486470246400000000i)t^7x^8 \\
&-(647627273581877964844673979936197836800000000i)t^{11}x^8+(13050992465433426391686177993710685388800000000i)t^{11}x^6 \\
&+(7223945887295274606384250753188574003200000000i)t^{11}x^4+(10238509494074772232048449623340299059200000000i)t^{11}x^2 \\
&\quad -(2187792914415650886608412573538713600000i)t^9x^{22}-(1019601005243401414653936219828781056000000i)t^9x^{20} \\
&\quad -(601224229505306340901147091964788736000000i)t^9x^{18}+(4153508550186069752844428094971314176000000i)t^9x^{16} \\
&\quad -(14058274317761127141424214682107904000000000i)t^9x^{14}-(9908133651739672443732038194865111040000000i)t^9x^{12}
\end{aligned}$$

$$\begin{aligned}
& +(151787399360183869805989636643330457600000000t^9x^{10} + (5426356078804467068859455746948988928000000000t^9x^8 \\
& +(93039063500047253261112225877406515200000000t^9x^6 + (287325232169825728113108673438679040000000000t^9x^4 \\
& +(228761586994723465343051337615212544000000000t^9x^2 - (711956167198823203068905301299335004160000000t^{13}x^{14} \\
& +(7135403198162400930210592053047202938880000000t^{13}x^{12} - (4326031382640690211147487543139351134208000000t^{13}x^{10} \\
& +(35330730725921579461155106169039093760000000000t^{13}x^6 + (25295031850921777718297933538498969600000t^{11}x^{20} \\
& -(2314120517402329938060471044489084928000000t^{11}x^{18} - (21896239873775154398038218828882640896000000t^{11}x^{16} \\
& +(68439209253993672601736097473721532416000000t^{11}x^{14} - (315823903682747460443608058855480623104000000t^{11}x^{12} \\
& -(364134288080677434443795780154792345600000000t^{11}x^{10} + (17014403968101130591000429191751532544000000t^{13}x^{18} \\
& -(30042653858120797866480875462165790720000000t^{13}x^{16} - (701520487534994227329657734010641999462400000t^{15}x^{14} \\
& -(8973583982476900678313467802047576276992000000t^{15}x^{12} + (4172118099691665732733997436477043113984000000t^{15}x^{10} \\
& -(91120426276575433984213557163681571143680000000t^{15}x^8 - (164168296998515530528235791786457935380480000000t^{15}x^6 \\
& +(303158736570091209444321017345412610129920000000t^{15}x^4 - (254457650991358570553180522562665400238080000000t^{17}x^6 \\
& -(1490915043255344834169102696631778295152640000000t^{17}x^4 + (17397445903498077204389964523682226241536000000000t^{17}x^2 \\
& -(254374894029892122058702857951372115968000000t^{15}x^{16} + (17943210626599366077812885537806954266624000000t^{21}x^{10} \\
& -(801903721288459909202405375342534392283136000000t^{21}x^8 + (1018737971135461705321394561813918741692416000000t^{21}x^6 \\
& -(178301358356880646618142854385538881814528000000t^{21}x^4 + (19875005298863088247832947895402496000000000t^7x^4 \\
& -(163581601858094345290223396931993600000000000t^7x^2 - (74626374631140181446192116269056000000t^5x^{26} \\
& -(972915793656469425521204435877888000000t^5x^{24} - (383283802576972143386215864860672000000t^5x^{22} \\
& +(3788904367087027600553346135490560000000t^5x^{20} + (27748639008390011367759613526016000000t^3x^{22} \\
& +(4607743010594063937880435351879680000000000t^7x^6 - (1991189437852684972395237212160000000t^3x^{26} \\
& -(11380980736700269608512677478400000000t^3x^{24} + (159369675898971248124803596247040000000000t^5x^6 \\
& -(4364906058147720350503821899796480000000000t^5x^4 + (134321201479833185173993791073920000000000t^5x^2 \\
& -(1525080998260045061885307912192000000t^3x^{28} - (199488134023862673545579430818611200000000t^5x^{10} \\
& +(5849473628557710352316034486927360000000000t^5x^8 + (9922859432963387172707106816000000t)x^{30} \\
& -(56596105483984944186009845760000000t)x^{28} - (112725631723106940815891496960000000t)x^{26} \\
& -(1678072977990530911445301854208000000t)x^{22} - (411831260057322669781069332480000000t)x^{20} \\
& +(299760049015924385973816451399680000000t^3x^{18} + (223719410126779978075924267008000000000t^3x^{16} \\
& -(1983494535137285756470825638297600000000t^3x^{12} + (1053355455588136330980893800857600000000t^3x^{10} \\
& +(40457286336144361893990041124864000000t^3x^{20} - (3473141881434011995703213366968320000000t^5x^{18} \\
& +(8596591699085560349675263340052480000000t^5x^{16} + (418435272509028540872521617506304000000000t^5x^{12} \\
& -(8822587890162661583531873310000000000t)x^4 - (511098486873750355159063746662400000000t^3x^8 \\
& -(1552703849487379020850094476800000000000t^3x^6 - (226137564795036866159325337200000000000t^3x^4 \\
& -(854810737802426766759977058480000000000t^3x^2 + (90679939773158060171818055884800000000t)x^{12} \\
& +(33062142414493162844247838464000000000t)x^{10} - (97668100600991830080620729280000000000t)x^8 \\
& -(36615306413764876587159169800000000000t)x^6 + (2637236207352580842285268992000000000t)x^{18} \\
& +(53370269378459884642982141952000000000t)x^{16} + (73442281095760897010396830924800000000t)x^{14} \\
& -(181806374909470004849456248226830929100800t)x^{37}x^{12} - (2028959971991118771872995835495055360t)^{19}x^{30}
\end{aligned}$$

$$\begin{aligned}
& -(10809567679868698276062937912796459827200i)t^{31}x^{18} - (3488376568497946391963642119398893813760i)t^{29}x^{20} \\
& -(328547377021483148592836078476897246248960i)t^{39}x^{10} - (462034888915132744520606022927803586969600i)t^{41}x^8 \\
& -(482876060648206023146801335214303870976000i)t^{43}x^6 - (351477147327156998746516566935146573332480i)t^{45}x^4 \\
& \quad - (68520016530628411392000i)t^{48} + (1429982953682679889920000i)t^3x^{46} \\
& \quad - (59937956129550952913751244800i)t^7x^{42} - (24784447634676607878017589109063680i)t^{15}x^{34} \\
& \quad - (254389186526983753337841879141580800i)t^{17}x^{32} - (1816393847362752500740726456320000i)t^{13}x^{36} \\
& \quad - (66344033481088061844422169225854976000i)t^{23}x^{26} - (284536748147692687647773239798954721280i)t^{25}x^{24} \\
& -(1050554076741119896573662693004463308800i)t^{27}x^{22} - (31325268239391785624740893462833922048000i)t^{33}x^{16} \\
& \quad - (81712634001276533800886070526843583201280i)t^{35}x^{14} - (3257608428650534619690943119360i)t^9x^{40} \\
& \quad - (95165798452022085495032276582400i)t^{11}x^{38} - (12873529499741474735350159684455628800i)t^{21}x^{28} \\
& -(203902795632345809960230026647017881600i)t^{19}x^{26} - (22908586598141937341330450798346240000i)t^{17}x^{28} \\
& \quad + (39549234016486086437574138497083637760i)t^{27}x^{24} + 18227827631713607065601300402012160t^{16}x^{34} \\
& \quad - 2381815357227713691648000t^2x^{46} + 1153819782082246723034194654066114560t^{20}x^{30} \\
& \quad + 9375432258198579806307758943361293971619840000t^{24}x^{10} - 47196311849010003024147382272000t^{14}x^{38} \\
& - 304935727742493078213211857553981440t^{16}x^{32} - 1349832727806180436923091571949202701287424000000t^{22}x^6 \\
& \quad + 72396207255716498625891992359667257835520t^{48} - 1275697209458570020755252645215525142528000t^{46} \\
& \quad + 685200165306284113920x^{50} + 134278725396186566048755584756980121600t^{20}x^{26} \\
& \quad + 1870707224969939193465406246141055723875860480000t^{32} + 6630421791182222367129600x^{44} \\
& \quad + 5857076589066759403694351538337339146240t^{50} + (79966444622242277629058692939776000i)t^9x^{32} \\
& \quad + (1938945690791722780805289738240000i)t^9x^{34} - (7498364225045309774843030325519961817088000i)t^{43}x^4 \\
& -(256302508324771652206376400354213573427200000000i)t^{15}x^2 + (647131022773793427762608626439553024000i)t^{25}x^{22} \\
& \quad + (591288676238050850647240140128256000i)t^9x^{30} + (81903829951223642629345797734400i)t^{13}x^{38} \\
& \quad - (103213712386742280927534120960i)t^{11}x^{42} - (180597313830431252230963200i)t^7x^{46} \\
& \quad - (19886280993675340471142763724800i)t^{15}x^{38} + (55172194626689641860282140031398707200i)t^{33}x^{18} \\
& \quad + (537540769222266392104970576273080320i)t^{21}x^{30} + (7421195005965277868351484592128000000000i)t^3x^{14} \\
& \quad - (251972104135582051803797279942671073280000i)t^{15}x^{22} + (31202525045748548344637030400000i)t^3x^{36} \\
& \quad + (11835627254564533457372066299647098880i)t^{25}x^{26} + (1780302377391828279037526016000i)t^3x^{38} \\
& \quad + (76589220236658430138183673198936064000i)t^{17}x^{26} + (2622076023927624179908608000i)t^{40} \\
& -(196649847196573694078169907200000i)t^3x^{34} + (152449835804743935318897961863848552457830400i)t^{33}x^{10} \\
& \quad - (5073227244500415627342643200i)t^9x^{44} - (4220038583312441986252800i)t^5x^{48} \\
& \quad + (235698530461658048008249458189926400i)t^{13}x^{30} + (17300469139641508062830366395534934016000i)t^{15}x^{24} \\
& +(13225284378221171505201635761555104595968000i)t^{23}x^{18} + (1918343650037937540072793750920244469170176000i)t^{37}x^4 \\
& \quad - (52441787558547041550336i)t^3x^{50} + (38094686841102843735789162208979331317760000i)t^{29}x^{14} \\
& +(1618488934720649497869780915439515205632000i)t^{21}x^{20} - (270656408182873542366801183649787552779468800i)t^{41}x^2 \\
& \quad + (21340549584306116010316283979152647866286080000i)t^{23}x^{10} + (38841854556652808689837670400i)t^3x^{40} \\
& +(1903503551644683834803109652500000000i)t^2x^2 - (643763149165105277600255675460997764612096000i)t^{25}x^{14} \\
& \quad + (45592535522878864809677074324849677872136192000i)t^{35}x^4 + (88472753411093062105121685504000i)t^5x^{36}
\end{aligned}$$



$$\begin{aligned}
& -(4059110212347693078205954489397689712640i)t^{27}x^{20} + (33241987315493597583477591080334454790553600000i)t^{37}x^2 \\
& \quad - (81224433326491748690432928609762017280i)t^{43}x^{10} - (583477117624035568307404800i)tx^{42} \\
& \quad - (676976023403693513833666862973745889280000i)t^{33}x^{14} + (35314849866355877332236814214234112000i)t^{13}x^{28} \\
& -(8474006761367434641851073042503636405452800i)t^{41}x^6 - (1788143827474423703365491496680354251538432000i)t^{29}x^{10} \\
& \quad + (954737386638126866487426281636452972363776000i)t^{35}x^6 - (330659319922667922889621224869068800i)t^{25}x^{28} \\
& +(144949402432486511651202571023443885555712000i)t^{27}x^{14} - (11941632263878963926849896005247592038400i)t^{43}x^8 \\
& -(31539607557895913413961772979127215718400000000i)t^{13}x^2 + (43197079536121588067443686692068786176000000000i)t^{13}x^4 \\
& \quad + (208839561057997462774103408640i)t^9x^{42} + (4871296251226255679061460254720i)t^{11}x^{40} \\
& +(9693541752922338715176516045314602504814592000i)t^{27}x^{10} + (2599299729431418678293031375234662400i)t^{37}x^{18} \\
& \quad + (89025869893593884254680383488000i)t^5x^{34} + (617749619487316226692912209023798870016000000i)t^{19}x^{14} \\
& \quad - (199788628469010053794679173939200i)t^{17}x^{36} - (163426623278020558848i)tx^{52} \\
& -(3265446889520926710880209101989238977383628800000i)t^{25}x^4 - (1860420144149823682517466955370372215603200i)t^{35}x^{12} \\
& -(6742550036321861991016767737529459592396800i)t^{39}x^8 - (75054779687332214335711280959900876800i)t^{35}x^{18} \\
& \quad - (280253779194546335546081280i)t^5x^{44} - (190963691662308199282520275384979265945600i)t^{31}x^{16} \\
& \quad + (83390510037567363979250583302307840i)t^{19}x^{32} - (12160824165095650928567633785651200000i)t^7x^{26} \\
& \quad + (333662689192625307648000i)t^3x^{48} + (18753366223992343311489063347968750387200i)t^{21}x^{22} \\
& +(1567822553126940872518179176133154402467840000i)t^{25}x^{12} - (1608327438048288559868065873920i)t^{13}x^{40} \\
& \quad + (19701140267271161559303113932800000i)t^7x^{32} - (1458697511269550513037429436317696000i)t^7x^{30} \\
& \quad + (9097580498470586847791768036966400000i)t^7x^{28} + (19524490658158721915149165642383360000i)t^{11}x^{28} \\
& \quad - 12266801328288530272403297577824768t^{52}x^4 - 36346078009743793399713474304540672t^{54}x^2 \\
& - 136805248917443088331212177643929600t^{38}x^{18} + 334687692548113660722460576400717523399475200000t^{24}x^8 \\
& + 206995730486941084033022636851200000t^4x^{28} - 459615026959051228757712506967201241104384000000t^{20}x^8 \\
& \quad - 2220309863310580620241715868960282378240000t^{16}x^{20} - 1477259148792001435949353402368000t^{12}x^{36} \\
& + 511941373971113883094588215528246246113280000t^{26}x^{10} - 768202185711599224185311678221516800000t^{10}x^{26} \\
& \quad - 5637172471017919742422403805792939540480t^{28}x^{20} - 2761244737023741211242685715164692480t^{18}x^{30} \\
& - 6594238939124154795318950182538630104350720000t^{40} - 28445364376702179452996712813939932201484288000t^{38} \\
& - 44481029885260765352029454260428611612835840000t^{36} + 284893837965477790553160906888947757188382720000t^{34} \\
& \quad - 55775094703143445848302785569669046389964800t^{44} - 829904413177855197620045128089838818636595200t^{42} \\
& \quad - 185954093329512031809032574666185260400640t^{36}x^{12} + 152811730705801636388882350080t^8x^{42} \\
& + 25535409887190712320x^{52} + 453963729085122635366400x^{46} + 425262323275195630611208297512960t^{20}x^{34} \\
& \quad + 162767752165847104215222926054522880t^{18}x^{32} - 19984992904942842947046563433868060262400t^{26}x^{20} \\
& \quad - 64982493235785466957325784380866560t^{36}x^{20} - 16328132153102484757436075747256670617600t^{30}x^{18} \\
& - 6407621489808405695605430402420562513100800t^{44}x^2 - (144629126640614410546814775348353996800i)t^{21}x^{24} \\
& \quad - (105042724422268120610964683253350400i)t^{13}x^{32} + (1371202360385190386900926464000i)t^7x^{38} \\
& \quad - (1914789136942693178652863569172889600i)t^{15}x^{30} - (1188922776475168065175997644800i)t^9x^{36} \\
& \quad - (2907253794930499725817048517836800i)t^{11}x^{34} - (41764663075831282453708800i)tx^{44} \\
& \quad + (285083189124871166204313600i)t^3x^{42} + (29602995888232897523063193600i)t^5x^{40} \\
& -(28956417649679646595237466913882255654912000i)t^{37}x^8 - (573339330423453656354839707547229719049011200i)t^{39}x^6
\end{aligned}$$

$$\begin{aligned}
& - (10050191080370986977157368565765031067648000t)^{35}x^{10} - (72519307776073277497604268501612643536076800t)^{41}x^4 \\
& - (910613862232116887507633115241665842380800t)^{31}x^{14} - (2821083844686038120966000221447742973542400t)^{33}x^{12} \\
& - (52792568908132579352871506293974704219750400t)^{43}x^2 - (38112852883199004759541425804975852748800t)^{25}x^{20} \\
& - (134362973850395618898654534222911373312000t)^{27}x^{18} - (367046618157418306597095598512807503462400t)^{29}x^{16} \\
& - (8327023472118428360981339197921453670400t)^{23}x^{22} - (158658185456578898391336355391083433164800t)^{47}x^2 \\
& + (21674543492822311952670930746159923200t)^{45}x^8 - (9868301456540033351941679216119743774720t)^{45}x^6 \\
& + (83184246507456595909734861699337420800t)^{49}x^4 - (1836627662000924744207033099681016053760t)^{49}x^2 \\
& + (87656517825061789238215230607903948800t)^{47}x^6 - (5502369570189197507829252279276656394240t)^{47}x^4 \\
& + (43454202207496400544015930988953600t)^{29}x^{26} + (36258920151283494656409600t)^9x^{46} \\
& + (667164130783616301677936640t)^{11}x^{44} + (1510788339636812277350400t)^7x^{48} \\
& + (45323650189104368320512t)^5x^{50} + (40194219019025417525908138396533915648t)^5x^{22} \\
& + (9785073918159705757943070720t)^{13}x^{42} + (117420887017916469095316848640t)^{15}x^{40} \\
& + (1174208870179164690953168486400t)^{17}x^{38} + (9915541570401835168048978329600t)^{19}x^{36} \\
& + (71391899306893213209952643973120t)^{21}x^{34} + (441331741169885318025161799106560t)^{23}x^{32} \\
& + (235376928623988362800862928568320t)^{25}x^{30} + (150641234319320855219255227428372480t)^{31}x^{24} \\
& + (451923702957962565657765682285117440t)^{33}x^{22} + (871608657482776313856t)^3x^{52} \\
& + (7879982337644721887877821432290344960t)^{41}x^{14} + (10506643116859629183837095243053793280t)^{43}x^{12} \\
& + (11461792491119595473276831174240501760t)^{45}x^{10} + (9966776079234430846327679281948262400t)^{47}x^8 \\
& + (6644517386156287230885119521298841600t)^{49}x^6 + (3189368345355017870824857370223443968t)^5x^{44} \\
& + (981344106263082421792263806222598144t)^{53}x^2 + (1169684878244138405231864118855598080t)^{35}x^{20} \\
& + (10863550551874100136003982747238400t)^{27}x^{28} + (17392363067036385362532158668800t)^9x^{38} \\
& + (762129609727652063022112623820800t)^{11}x^{36} - (1836634356136191983616000t)^{46}x \\
& + (1769603905182316363776000t)^3x^{44} - (760221837666323109878169600t)^5x^{42} \\
& + (439693263919834105224160512961413120000t)^{23}x^{24} + (2886551928615964292372018007858216960t)^{17}x^{30} \\
& + (22020758694646164215156284415646105600t)^{19}x^{28} + (120617896357581977337841525114640793600t)^{21}x^{26} \\
& + (17958478162868022020436941340672000t)^{13}x^{34} + (272700831829145733337849309377331200t)^{15}x^{32} \\
& + (109165024522635706872323112960t)^7x^{40} - (4156362777522255027448343007350963463782400t)^{45}x^2 \\
& - (4020495713590008615534200207365111220797440t)^{37}x^{10} - 9415077144957553451203451714273280t^{32}x^{24} \\
& - 31215190761043144998912000x^{42} + 344103852298198022379703582105408634880t^{28}x^{22} \\
& - 15107883396368122773504t^6x^{50} - 2034248169202331775978700800t^4x^{42} \\
& - 130467652242129410105907609600t^{18}x^{38} - 2336873864393571558114154037933243577139200t^{32}x^{14} \\
& - 3238569277612787863279216281600000000x^{14} + 6780426073816600352601176192870400000000t^4x^8 \\
& - 36777645097490443168763483258880t^{24}x^{32} - 14524386677156808659580508127612552557363200t^{42}x^4 \\
& + 590123868937463986484098974609375 - 99418438941108609872801988080641769472000t^{34}x^{14} \\
& - 20889731069498433987502863977281802240000t^{14}x^{22} - 111194021797269383612989440t^{12}x^{44} \\
& - 39835931381295029061761213170031001600t^{30}x^{22} + 2790150190569226890399460412620800t^{22}x^{32} \\
& + 191757320697125931664483199351129112576000t^{44}x^4 - 14806630715386645743566026168074240000t^{28}x^{24}
\end{aligned}$$

$$\begin{aligned}
& -181059175864568335600066379120640t^{26}x^{30} - 56699105762960814975959118643200t^{10}x^{38} \\
& + 4941871179954341236865299906560t^{10}x^{40} + 58634040699013285612118605824000000t^2x^{28} \\
& - 2896946813833093369601062065930240t^{30}x^{26} - 19851298660586427838758360712945230623539200t^{40}x^6 \\
& + 18235601445778273958241207176409600000000t^6x^2 - 7035516132118785058406400000t^8x^{44} \\
& - 180149597516704266131079168000t^{10}x^{42} - 526581983656404362992159398297600t^{16}x^{36} \\
& - 317044953519604399080582433210368000000t^4x^{22} + 1890813755937896263142577136625673830400t^{32}x^{18} \\
& - 211375333124470754637325183714590720t^{22}x^{30} + 9237689880790112088883200t^4x^{46} \\
& + 4414023515406791807953260446898919032068505600000t^{26}x^4 - 26583747232821327391633275428536320t^{34}x^{22} \\
& - 473206035314517163368784159070748672000t^{24}x^{24} - 181054908375609709795737600t^6x^{46} \\
& - 2236498880803953126855502039502471976871526400000t^{30}x^2 - 9437887494305687273472t^2x^{50} \\
& + 1691591106317611569945628442102905780630978560000t^{30}x^4) \\
D(x, t) = & (8070450532247928832t^2x^{54} + 36350809655401015681180427936700825600000t^{32}x^{16} \\
& + 1575993461412103720860622761492480000000t^{12}x^{24} + 377697084909203069337600t^8x^{48} \\
& + 268904127980576130822505383887171380838400000t^{22}x^{14} + 3638268182857093996065903046610892525404160000t^{24}x^{12} \\
& + 754100310582866509444348379136000t^{12}x^{34} + 265780695446251489235404780851953664t^{50}x^6 \\
& + 139944571808728987992064000x^{40} + 435804328741388156928t^4x^{52} + 304035600835179448516873912320000000x^{20} \\
& - 452286998491913574193652786936250378485760000000t^{20}x^2 + 2053985160694901372229601953054720t^{20}x^{32} \\
& + 905949868295834587073585405322962613043200t^{40}x^8 + 3282199256988080522863159050085296217522176000000t^{24}x^{22} \\
& + 5997247763158700907480411787896613031116800000t^{22}x^{12} + 1728540215636298781504726910109745152000t^{24}x^{22} \\
& + 1783378234235682816461571631764605522411520000000t^{20} + 170146808831429798943552018422169600t^{22}x^{28} \\
& + 476832786982566115213273092904448321126400t^{46}x^2 + 12904994981455727719810653597833625600t^{22}x^{26} \\
& + 14477505638925956441865835671900389376000000000t^{14} + 243786400414904154454944959692800000t^8x^{28} \\
& + 47805942649202588286991534248050452070400000000t^{16} + 109203969178717342626423767040000000x^{22} \\
& - 2286910810903804572611737086666258052546560000000t^{22}x^2 + 27150575210078763935232119042148925440t^{32}x^{20} \\
& + 307184922986514868031281827484312535040t^{30}x^{20} - 289013088039781532465117528064000000t^4x^{26} \\
& + 4417601575937550553877618547827668942848000000t^{20}x^{12} + 15466429426448529502293196800000t^2x^{34} \\
& + 842801839328651744850739200000t^2x^{36} - 146019008806745961261957120000t^2x^{38} \\
& + 2775367962214042334920704000t^2x^{40} + 646928477649228999426048000t^2x^{42} \\
& - 207623478685888407907860480000t^4x^{38} + 20937123904286613005402112000t^4x^{40} \\
& + 6742954895605010319020465848320000t^6x^{32} - 536156004179381408448758415360000t^6x^{34} \\
& - 10514177916809143662768291840000t^6x^{36} + 754883827486340652566839296000t^6x^{38} \\
& + 238331653352446085438947417128960000t^8x^{30} - 15711660520023848098856246968320000t^8x^{32} \\
& - 126891025180578488604017295360000t^8x^{34} + 32813189207724555489521958912000t^8x^{36} \\
& + 7485513917833974771008682747494400000t^{10}x^{28} - 290335169636731959259559022821376000t^{10}x^{30} \\
& + 8580903767602244291897944178688000t^{10}x^{32} + 1314987968951422746418948866048000t^{10}x^{34} \\
& + 214864911830795178680181505256325120000t^{12}x^{26} - 337488907892984022109662562222800000t^{12}x^{28} \\
& + 508005421857992928774650943504384000t^{12}x^{30} + 30267120631629444191157227618304000t^{12}x^{32} \\
& + 3171769767974343051529883216982835200000t^{14}x^{24} - 142482870611399946375953800086159360000t^{14}x^{26} \\
& + 13606852387906819013259034707886080000t^{14}x^{28} + 598984857479078815007746597847040000t^{14}x^{30}
\end{aligned}$$

$$\begin{aligned}
& +38039134143698928709583970108860006400000t^{16}x^{22} - 2752286761716619684957531330502983680000t^{16}x^{24} \\
& +61226323590289961201017698102804480000t^{16}x^{26} + 9390455376733365857199947803262976000t^{16}x^{28} \\
& +3204490160964043853564193213694083072000000t^{18}x^{18} + 42749813815522481793255975614385487820000t^{18}x^{20} \\
& -14980111545181707868503094739966361600000t^{18}x^{22} - 1681429565109162803049871039518474240000t^{18}x^{24} \\
& +91798533195212779096280810611802112000t^{18}x^{26} + 2475793708819518226446543124808922562560000t^{20}x^{18} \\
& +92961278267615583697333686592082018304000t^{20}x^{20} - 25674361535645849244926199275225874432000t^{20}x^{22} \\
& +449020844191954680185824597946400768000t^{20}x^{24} + 19743988046107860315113110992249327452160000t^{22}x^{16} \\
& +173299978878659127744773599110539509760000t^{22}x^{18} - 150387426519720976103804992299535958016000t^{22}x^{20} \\
& +31805025294296753351181936957063168000t^{22}x^{22} + 182781207528196398229936618033320894136320000t^{24}x^{14} \\
& +13924266616543646254004282886458148126720000t^{24}x^{16} - 263086716508546453462222878704444375040000t^{24}x^{18} \\
& -10501689082989725965648431729667473408000t^{24}x^{20} + 1576378662803225068320647971881092162519040000t^{26}x^{12} \\
& +95068475786349880479852949356217305661440000t^{26}x^{14} + 2371794859292761543054058419606184263680000t^{26}x^{16} \\
& -22090065536952836905305677596396093440000t^{26}x^{18} + 6951381788798002623231703811634243494215680000t^{28}x^{10} \\
& +512838646916023051046874584896753536860160000t^{28}x^{12} + 23305074387248735486684874287130649559040000t^{28}x^{14} \\
& +376839770025420391006475124167587921920000t^{28}x^{16} + 12623343193153006856187719819248764777922560000t^{30}x^8 \\
& +1796174313229846577131832287252202687299584000t^{30}x^{10} + 112173764341230543757650278218556095070208000t^{30}x^{12} \\
& +3578259310775587240522517936505542934528000t^{30}x^{14} + 10813699470487503245212713597145330923601920000t^{32}x^6 \\
& +3779440644980508207723066619211914212802560000t^{32}x^8 + 349900116849188357511677450533328255975424000t^{32}x^{10} \\
& +16606212684788041903189065470236195553280000t^{32}x^{12} + 272744367027219662559395744947444555878236160000t^{34}x^2 \\
& +20793272897980459440302513223551232057016320000t^{34}x^4 + 5230658945723329194787275596002101339095040000t^{34}x^6 \\
& +749523362641332689152975594092382692311040000t^{34}x^8 + 49983310497990326159773117388997418549248000t^{34}x^{10} \\
& +52576173372782631579437804058691410056970240000t^{36}x^2 + 703085136067313542485124258855938938634240000t^{36}x^4 \\
& +1159784085595448284383007755007786934599680000t^{36}x^6 + 105662604255989151674474337298435924819968000t^{36}x^8 \\
& +8393563154308246435316092133885712122511360000t^{38}x^2 + 1365312148206882546230979119383051197480960000t^{38}x^4 \\
& +160534982496242752718895420140706601107456000t^{38}x^6 + 1116424402641675257782000514567788296142848000t^{40}x^2 \\
& +171200513281868103314463034209210684407808000t^{40}x^4 + 115941334198672965906772183131130272153600000t^{42}x^2 \\
& +116099086281717267329879900160000t^4x^{34} - 12529898497296453883605811200000t^4x^{36} \\
& +30358137082849217016760068466708316160t^{42}x^{12} + 9305387796557619296682643698588057600t^{38}x^{16} \\
& +1220296243168163624689012085536849920t^{34}x^{20} + 3761486627686812606568280980507852800t^{36}x^{18} \\
& +52869279352453953995219382703226880t^{30}x^{24} + 306352125562849623835312313472122880t^{32}x^{22} \\
& -939244474797448240925344341688320t^{24}x^{30} - 2036915728476393775500746765107200t^{26}x^{28} \\
& +2715887637968525034000995686809600t^{28}x^{26} + 88067136833831443917116378858913792000t^{34}x^{18} \\
& +3770819685642526105157041014258322636800t^{34}x^{16} + 24223227259744906327205614300482764800t^{36}x^{16} \\
& +9985677311863354087177312465305206784000t^{36}x^{14} + 21644308079593744913041828150818688204800t^{38}x^{12} \\
& +555612670817205779151974729796865228800t^{38}x^{14} + 1045274756806913810549146767901599989760t^{40}x^{12} \\
& +37719551266177554299438690712986666926080t^{40}x^{10} + 1065546593115172342968750894771653836800t^{48}x^4 \\
& +17726671942352367214951880737120950681600t^{48}x^2 + 1678946556020459640428136492887231692800t^{46}x^6 \\
& +38591746305986311331935708854675623116800t^{46}x^4 + 1876250089152696165609127178768744448000t^{44}x^8 \\
& +52981813846561953362086340737084529049600t^{44}x^6 + 1581838920988732385212751291604459847680t^{42}x^{10}
\end{aligned}$$

$$\begin{aligned}
& +15495843115032504674506000401219924787200t^{42}x^8 + 427486526164610009496124542494240145408t^{50}x^2 \\
& - 18085879642767608512512t^4x^{50} - 864345252003753177907200t^6x^{48} \\
& - 25625294529993623627366400t^8x^{46} - 163426623278020558848t^2x^{52} \\
& - 7961035780082242658962400870400t^{18}x^{36} - 1010497056548415767695274803200t^{16}x^{38} \\
& - 103307799635955355021360496640t^{14}x^{40} - 8420808804570131397460623360t^{12}x^{42} \\
& - 535655816542615011443343360t^{10}x^{44} + 39510121231407451703555230538127114240t^{44}x^{10} \\
& + 40298359051135367027699895558261964800t^{46}x^8 + 31082285657356093632938563914537369600t^{48}x^6 \\
& + 17066187347981417741481087755089870848t^{50}x^4 + 5949398644219937182115599325224501248t^{52}x^2 \\
& + 18677073521436768705402720990957404160t^{40}x^{14} - 5279517849634190419943000899584000000t^6x^{24} \\
& - 258686580444542458664645075927040000000t^6x^{22} + 1281294603748571079376109819658240000000t^6x^{20} \\
& + 5386065172574207939836039397376000000000t^6x^{18} + 40632605296715577882674337310310400000000t^6x^{16} \\
& + 83952811623104315603832208254566400000000t^6x^{14} - 134986125889800830113862371717939200000000t^6x^{12} \\
& + 226269541560428560596752408759500800000000t^6x^{10} + 676471143399209951586047765102592000000000t^6x^8 \\
& + 2482144352442224167931591325327360000000000t^6x^6 + 885323087305203750548117780367360000000000t^6x^4 \\
& + 425653409346182136431244650720998195200000000t^{10}x^6 + 762947123812880100322644549433775616000000000t^{10}x^4 \\
& - 273242385073866568480555306962714624000000000t^{10}x^2 + 22457568783201271085079640984780800000t^8x^{26} \\
& + 283001329321404054740398082359296000000t^8x^{24} + 1035965745375336739544553373040640000000t^8x^{22} \\
& - 4484494117306353101987300448927744000000t^8x^{20} + 57550323439361873259956232467251200000000t^8x^{18} \\
& + 183031629335967247996038112346112000000000t^8x^{16} + 178158407225683335199666005344256000000000t^8x^{14} \\
& + 9508784297706286648419893210460979200000000t^8x^{12} + 10372326156420452630427666076611379200000000t^8x^{10} \\
& + 38918099242337850339875212581863424000000000t^8x^8 + 50887826846380847814595212094930944000000000t^8x^6 \\
& + 2240724686752186520615947115458560000000000t^8x^4 - 447163124318525284680337496193024000000000t^8x^2 \\
& + 538782474916061007312702563942400000t^6x^{28} + 3988285472940781146629499518976000000t^6x^{26} \\
& + 59510455351868305889781645246015209472000000t^{18}x^{16} + 379218738427503068004432222021388075008000000t^{18}x^{14} \\
& - 2271495231230372239126163345838132166656000000t^{18}x^{12} + 6751365136342767095394504716636984967168000000t^{18}x^{10} \\
& + 44818892019736157405881684510319396782080000000t^{18}x^8 + 52998329023627165545406326124335058649088000000t^{18}x^6 \\
& + 669079386037134408395292707144294675251200000000t^{18}x^4 + 443969269366400590782172836545745754521600000000t^{18}x^2 \\
& + 5654482053774315508113535629080395776000000t^{16}x^{18} + 23244939881727647756323709145285918720000000t^{16}x^{16} \\
& - 300971348774478263797125643887074869248000000t^{16}x^{14} + 102950418071741558114458096145201627136000000t^{16}x^{12} \\
& + 7040200226082982272833115629630905122816000000t^{16}x^{10} + 2631848282402123107072456646332944445440000000t^{16}x^8 \\
& + 177467386941634649692064513010785530675200000000t^{16}x^6 + 184009153910906276220105121119831746150400000000t^{16}x^4 \\
& + 493792507517311843121165459445072160358400000000t^{16}x^2 + 434410403606700917159749048671928320000000t^{14}x^{20} \\
& + 2446559443766746036645571271881392128000000t^{14}x^{18} - 4890280590539973326662944209573511168000000t^{14}x^{16} \\
& - 69459342845011635131241509734487949312000000t^{14}x^{14} + 516914016496841802824136642470508232704000000t^{14}x^{12} \\
& + 3557119902397054927380015882665113681920000000t^{14}x^{10} + 12822584463254883745874296546641366220800000000t^{14}x^8 \\
& - 19234208845159348661978761217521483776000000000t^{14}x^6 + 2888306686259338048400788842685346611200000000t^{14}x^4 \\
& + 78282045180849148283578335439988824473600000000t^{14}x^2 + 26095380438153244622868487329546240000000t^{12}x^{22} \\
& + 251409733081928052148452316963405824000000t^{12}x^{20} + 1523452009322018195561908845523501056000000t^{12}x^{18} \\
& - 4341430283049306788733870147750592512000000t^{12}x^{16} + 50068460030576133500763579557986959360000000t^{12}x^{14}
\end{aligned}$$

$$\begin{aligned}
&+262987259814607486551764452758886809600000000t^{12}x^{12} + 7176328620952982236003111796544739737600000000t^{12}x^{10} \\
&- 1016770555140057428909170318101813657600000000t^{12}x^8 + 11080296956179642110253666587692236800000000t^{12}x^6 \\
&+245128279297250017228714280367213772800000000t^{12}x^4 + 1062793811028542273954235560379285504000000000t^{12}x^2 \\
&\quad + 1370703874232027858186797056000000t^2x^{30} + 668122506779753170594170006405120000000t^{10}x^{24} \\
&\quad + 9724283176340965691303041815281664000000t^{10}x^{22} + 88366808603464530850038340550393856000000t^{10}x^{20} \\
&\quad + 200616975937754907539641889011531776000000t^{10}x^{18} + 3826764368959055772847528463887761408000000t^{10}x^{16} \\
&\quad + 16445067236190292455349183933285662720000000t^{10}x^{14} + 61848254590225542893843380675144581120000000t^{10}x^{12} \\
&\quad + 126712929765722174352989644438382837760000000t^{10}x^{10} - 111100553615164217617222336685644185600000000t^{10}x^8 \\
&\quad + 3758664155946010619833441917000000000t^2x^4 - 4864509076425303133385724667500000000t^2x^2 \\
&\quad + 61207730114623337806433832960000000000t^2x^{14} + 146892366925386088445247384576000000000t^2x^{12} \\
&\quad + 134163871190814225920369962752000000000t^2x^{10} - 14153996477206379398023330912000000000t^2x^8 \\
&\quad + 61932686985434087097791475960000000000t^2x^6 + 223249366208657755774113546240000000t^2x^{24} \\
&\quad + 1525207593412463622658499543040000000t^2x^{22} + 5994976061617229555098866155520000000t^2x^{20} \\
&\quad + 5490316793105606233697019494400000000t^2x^{18} - 44629564422705720657986897510400000000t^2x^{16} \\
&- 1009200206821796829271349229312000000000t^4x^6 + 142697637680402598251511565512000000000t^4x^4 \\
&\quad + 608621592737084137622676389124000000000t^4x^2 + 189955683348846802867165593600000t^2x^{32} \\
&\quad + 695502358737559683160080384000000x^{28} + 205118709781238358265036800000000x^{30} \\
&\quad - 61608881241767344919688511488000000t^2x^{26} + 246249448051397558996181919759073280t^{40}x^{16} \\
&\quad + 919871071955781894387402163200000000x^{16} - 4388160454871058126759872928153600000000t^4x^{14} \\
&- 2636205835529455458325836595200t^{12}x^{38} - 6932304092031817962586495563772095114444800000t^{28}x^6 \\
&\quad + 14677610877239558636914606080t^{16}x^{40} + 4951956657825451832983684032197860949753856000000t^{28}x^2 \\
&+ 71324338563021913384438512746496000t^{24}x^{28} + 3021893300501909201413693119462098432163840000000t^{22}x^{24} \\
&\quad + 27015929132485908177046619168169435070464000000t^{28}x^4 - 5504577854417967059540083998720000000t^4x^{24} \\
&\quad + 9756424235561275834476842188800000t^4x^{30} + 290873883383395293950115840000x^{36} \\
&\quad + 377148744120545052012899942400000000x^{18} + 5281482997369216878623473876702110846812160000000t^{24} \\
&\quad + 242613943298953153892340203520t^{12}x^{40} + 35670306180251594438737920000000x^{34} \\
&+ 44175712881455515631714199386563522068480000t^{20}x^{16} + 6338177564865693519376856469575498773561344000000t^{26}x^2 \\
&\quad + 415282336634767951930319970081177600t^{48}x^8 + 498338803961721542316383964097413120t^{46}x^{10} \\
&\quad - 32710347494230053298239229132800t^{14}x^{36} + 7251784030256698931281920t^{10}x^{46} \\
&\quad + 1576450678254868537097514957619200000000t^4x^{10} + 20445519806420736257556480000x^{38} \\
&\quad + 44127486471955398053068800t^4x^{44} + 1333318312076791070244210908645491463946240000000t^{20}x^4 \\
&\quad + 286962690520227602230354150604262604800000000t^{12} + 26437549328398386594487634062500000x^4 \\
&\quad + 5933699299941143590532514874032000000000000t^8 + 4406258221399731099081272343750000x^2 \\
&\quad + 103977479969556750712122761572466688000000000t^{10} + 2377818825429806365415032224000000000x^{12} \\
&+ 2248824994945868163650400526000902994132992000000t^{24}x^4 + 113763827640185120774184669020160000000t^4x^{20} \\
&\quad + 6490172664263019382722967633920t^{22}x^{34} + 352500657711978487926501787500000000x^6 \\
&\quad + 19530765584259996361756610429280000000000t^6 + 24749526069840384271118499840000000x^{24} \\
&\quad + 844765295022895324777210512000000000x^{10} + 652126216767160202664028306875000000t^2 \\
&\quad + 66327674776416665037213567500000000x^8 + 441310680560670668113241580705000000000t^4
\end{aligned}$$

$$\begin{aligned}
& +427429451981599512116402243343776766492672000000t^{24}x^6 + 18739138048509740364670893590880588084019200000t^{28}x^8 \\
& + 448431481455645367520627628441600000000t^4x^{18} + 28759480056978138755185402183680000000t^4x^{16} \\
& + 90145350342195975342623178806265234063360000000t^{22}x^8 + 1666403248260227460718679883251712000t^{24}x^{26} \\
& + 28572665539648985414781252545184371048448000000t^{22}x^{10} + 1651911088656450867053985792000t^8x^{38} \\
& + 834371587798168559782283182080000t^4x^{32} + 552357753864110125728503297310720000000t^4x^{12} \\
& + 33009145572236048990208000t^2x^{44} + 6334649535323138275582868390212169367552000000t^{20}x^{10} \\
& + 1468063399739249655388569600t^6x^{42} + 314012943886462425761852304956325888000t^{22}x^{24} \\
& + 2744590135988666489916950059976981238251520000000t^{22} + 5192296858534827628530496329220096t^{56} \\
& + 72057594037927936x^{56} + 800321866265768913525889459814400t^{14}x^{34} \\
& + 1611450482288450576601048313076121600t^{20}x^{28} + 4354936915199144629320548352000000x^{26} \\
& + 166831344596312653824000t^4x^{48} + 4913062449081246072633342528847872000t^{18}x^{28} \\
& + 39341591262497599098939931640625 + 449725584798238763623630684827137605632000000t^{20}x^{14} \\
& + 26812180381550247936000t^2x^{48} + 183911003444980949797158146388108981043200t^{30}x^{16} \\
& + 5161584377434858309158634524950988979175424000000t^{26} + 81520561577307463991540164465350672384t^{52} \\
& + 990430625765518370142192174798733312t^{54} + 504403158265495552x^{54} \\
& + 47366279888452989182646681600t^6x^{40} + 35205134315736619083144521318400t^{10}x^{36} \\
& + 2358727038364204878531557951596707761356800t^{34}x^{12} + 18852314330777518080000x^{48} \\
& + 1363747262032097941878923665921834016047104000000t^{30} + 3117591371525724658936123133473965962428416000000t^{28} \\
& + 286648586087531690032932637900800t^{18}x^{34} + 375237254173558185137039115823349760t^{42}x^{14} \\
& + 40386845309055128813079558647992811520000t^{28}x^{18} + 487722556256848871514574433927823360000t^{26}x^{22} \\
& + 477574687129983144719867965593354240t^{44}x^{12} + 11172931240400344168878166884188229206016000t^{38}x^8 \\
& + 33580701422851604713832448000000x^{32} + 1080534124548936025451100372816550585958400t^{42}x^6 \\
& + 78261087919045404078460527280201836527616000000t^{26}x^6 + 569691225737157613694089947582108480370200t^{38}x^{10} \\
& + 1397867702594243679706152960t^{14}x^{42} + 775967896562435724000284481945600t^{28}x^{28} \\
& - 9687535842725908794439166054413633081835520000t^{30}x^6 + 26327896079109214156445210653929736293580800000t^{32}x^4 \\
& + 907908270436617372335479927222628316610560000000t^{20}x^6 + 370030755219123862465375099473100800t^{16}x^{30} \\
& - 31917219526197415143014400t^6x^{44} + 1055464327811153912299177810042054248077721600000t^{32}x^2 \\
& + 22029297579649769239562913054720000t^6x^{30} + 18968438825739586181076484305715200t^{14}x^{32} \\
& + 43672408696775422004900659200t^8x^{40} + 710154413770110889085242749406250061004800000000t^{18} \\
& + 991554157040183516804897832960t^{20}x^{36} - 11367375709684689882682028082549204870758400000t^{26}x^8 \\
& + 11825142673659968280498279575401267200t^{26}x^{24} + 364054405688449378810421511507148800t^{26}x^{26} \\
& + 5907383817063125825628747217180860560179200t^{36}x^{10} - 254740935778463046794512800153600t^{16}x^{34} \\
& + 1080530869376474991820800t^2x^{46} + 8622608838434318480804783125954560t^{20}x^{30} \\
& + 31302942669501327231462370504161911793254400000t^{24}x^{10} + 3219931566819171569699389440000t^{14}x^{38} \\
& + 13053438663523538532272008121548800t^{16}x^{32} + 865040156662072166407101091439204641013760000000t^{22}x^6 \\
& + 118063877469747330534147891005417009971200t^{48} + 2481823821767119878297699116709589706342400t^{46} \\
& + 543904230597162172416x^{50} + 45648289433736689724197748922436812800t^{20}x^{26} \\
& + 669940426670329383668681889426864202579968000000t^{32} + 13467150742190920040448000x^{44}
\end{aligned}$$

$$\begin{aligned}
& +3859192240166944203642301776920139792384t^{50} + 122668013282885302724032975777824768t^{52}x^4 \\
& + 36346078009743793399713474304540672t^{54}x^2 + 136805248917443088331212177643929600t^{38}x^{18} \\
& - 93632239096943916325224520889017565184000000t^{24}x^8 + 5821169411905304087645650944000000t^4x^{28} \\
& + 19134203623999903593967254141435566358528000000t^{20}x^8 + 371901118484883261993018932779705958400000t^{16}x^{20} \\
& + 37003329357294185095946777395200t^{12}x^{36} + 19105654367632550616000416899838555864432640000t^{26}x^{10} \\
& + 17356376707003689428275195753267200000t^{10}x^{26} + 2381700894176955143931931870826279731200t^{28}x^{20} \\
& + 163291584979397377057088016167731200t^{18}x^{30} + 3317087208709908342540393370036803861479424000t^{40} \\
& + 19949743481436093500746370440010051868426240000t^{38} + 88334223203356093155824627619722655160074240000t^{36} \\
& + 285513342184896281703023311521325333138636800000t^{34} + 37229145319847825841346931872904729591808000t^{44} \\
& + 408309996634835024317862613299629029064704000t^{42} + 280061284096626722235773939152275583795200t^{36}x^{12} \\
& - 3933711507626610455583129600t^8x^{42} + 15321245932314427392x^{52} \\
& + 572272475018713104384000x^{46} - 50454851914006261258956916654080t^{20}x^{34} \\
& - 815361962971734529652097338572800t^{18}x^{32} + 8475094292618212226107402877398941696000t^{26}x^{20} \\
& + 64982493235785466957325784380866560t^{36}x^{20} + 10048676271162051760255417339823416934400t^{30}x^{18} \\
& + 8829349428665843796200735474536727288217600t^{44}x^2 + 9415077144957553451203451714273280t^{32}x^{24} \\
& + 201822979760280450367488000x^{42} + 66532088404661391949103250397986816000t^{28}x^{22} \\
& + 15107883396368122773504t^6x^{50} + 1313311538231056089376358400t^4x^{42} \\
& + 130467652242129410105907609600t^{18}x^{38} + 731625844558136126029248978765578502144000t^{32}x^{14} \\
& + 1875823592830478281113387264000000000x^{14} + 1786321526198337228615531464448000000000t^4x^8 \\
& + 36777645097490443168763483258880t^{24}x^{32} + 14803160843415012703439323694974290100224000t^{42}x^4 \\
& + 110984087539958356906039220923637799321600t^{34}x^{14} + 29397758566824313887161766915971481600000t^{14}x^{22} \\
& + 111194021797269383612989440t^{12}x^{44} + 7236588885231229373640461742118010880t^{30}x^{22} \\
& - 252492678842386311754780067758080t^{22}x^{32} + 906856257749182584001839074423902253875200t^{44}x^4 \\
& + 170609404570580382122322306800332800t^{28}x^{24} + 181059175864568335600066379120640t^{26}x^{30} \\
& + 1335521482924218305594838220800t^{10}x^{38} - 135790815206071139580751380480t^{10}x^{40} \\
& + 327412592654298879344246784000000t^2x^{28} + 2896946813833093369601062065930240t^{30}x^{26} \\
& + 15449976344677306224489753126681834002841600t^{40}x^6 + 621760776109921087243808191827840000000000t^6x^{22} \\
& + 552316616030398280682700800t^8x^{44} + 13779819095685999722590371840t^{10}x^{42} \\
& + 33653239794156400990147628236800t^{16}x^{36} + 25948356453287239780826873856000000000t^4x^{22} \\
& + 1179271563947427468172071274149209702400t^{32}x^{18} + 12787365796513897046977378265333760t^{22}x^{30} \\
& + 1172586022019797509734400t^4x^{46} + 762232039245723797816595749597230349156352000000t^{26}x^4 \\
& + 26583747232821327391633275428536320t^{34}x^{22} + 86042398635350118031215963741880320000t^{24}x^{24} \\
& + 13880367870413212798156800t^6x^{46} + 2810326857433086501841254002397095506477056000000t^{30}x^2 \\
& + 394947672921883017216t^2x^{50} - 21760858458628161194421074114939782692864000000t^{30}x^4)
\end{aligned}$$