Exergy analysis is used as a tool for the evaluation of exergy losses in a two-phase steam-water injector in an effort to improve its overall performance in respect to exit pressure. The aim of this paper is to study irreversible losses in the component parts of the injector, including the steam nozzle, water nozzle and diffuser as well as the two-phase region comprising the mixing chamber and the condensation shock wave. Calculations based on experimental data revealed the regions with the greatest irreversibilities, namely in the two-phase region and in the steam nozzle. Particular attention was paid to the steam nozzle, for which a procedure was developed to determine the overall velocity coefficient, including all irreversibilities in the steam nozzle during steam expansion. The study indicated the most important factors influencing the injector’s performance. Finally, the exergy efficiency was calculated for the two investigated steam injectors.

Keywords:
exergy, steam-water injector, jet pump
Nomenclature

\( A \)  
- cross-section surface area, \( \text{m}^2 \)

\( b \)  
- specific thermal exergy, \( \text{J/kg} \)

\( B \)  
- exergy transfer rate, \( \text{W} \)

\( c_v \)  
- velocity coefficient, \( c_v = \frac{w_1}{w_{1L}} \), dimensionless

\( G \)  
- water volumetric flow rate, \( \text{m}^3/\text{h} \)

\( h \)  
- specific enthalpy, \( \text{J/kg} \)

\( I \)  
- exergy destruction (due to irreversibility), \( \text{W} \)

\( m \)  
- mass flow rate, \( \text{kg/s} \)

\( p \)  
- pressure, \( \text{Pa} \)

\( \dot{Q} \)  
- heat transfer rate, \( \text{W} \)

\( s \)  
- specific entropy, \( \text{J/kgK} \)

\( S_g \)  
- entropy generation rate, \( \text{W/K} \)

\( T \)  
- temperature, \( \text{K} \) or \( ^\circ \text{C} \)

\( T_f \)  
- reference temperature, \( T_f = 273.16 \text{ K} \)

\( U \)  
- entrainment ratio, \( U = \frac{m_{1L}}{m_{v0}} \)

\( w \)  
- velocity, \( \text{m/s} \)

\( x \)  
- steam quality (dryness fraction), dimensionless

\( z \)  
- axial coordinate, distance from mixing chamber inlet, \( \text{m} \)

Greek symbols

\( \eta \)  
- efficiency, dimensionless

\( \eta_{SN} \)  
- steam nozzle efficiency, \( \eta_{SN} = (\frac{w_{v3}}{w_{v1L}})^2 = c_z^2 \)

\( \rho \)  
- density, \( \text{kg/m}^3 \)

\( \zeta \)  
- hydraulic resistance coefficient, dimensionless

\( \psi \)  
- flow exergy, \( \text{J/kg} \)

Subscripts

\( a \)  
- average

\( B \)  
- exergy

\( CV \)  
- control volume

\( d \)  
- dead state

\( DF \)  
- diffuser

\( dry \)  
- dry steam flow

\( f \)  
- frictional

\( irr \)  
- irreversible

\( L \)  
- liquid (water)

\( MC \)  
- mixing chamber

\( V \)  
- vapour (steam)

\( s \)  
- isentropic value

\( t \)  
- total

\( SI \)  
- steam-water injector

\( SN \)  
- steam nozzle

\( SW \)  
- shock wave

\( WN \)  
- water nozzle

\( 0 \)  
- at steam injector inlet (for steam and water)

\( 1 \)  
- at mixing chamber inlet

\( 2 \)  
- at mixing chamber throat

\( 3 \)  
- at high-pressure side of condensation shock wave

\( 4 \)  
- at steam injector outlet
1. Introduction

The two-phase vapour-liquid injector (or ejector) is a simple, compact device in which the thermal energy of vapour is used to heat or pump liquid. Such an injector can work as a passive (i.e. not requiring an electric power supply) jet pump or as an efficient direct-contact heater. Due to its advantages, the injector is applied in many areas of industry, e.g. in thermal engineering, refrigeration and air conditioning, desalination as well as in the petrochemical and chemical industries [1]. In chemical engineering two-phase injectors are used as mixers, reactors or absorbers [2,3].

Various vapours and liquids are used in two-phase injectors. If water is used, with its vapour (i.e. steam) as a primary stream and water in liquid state as a secondary stream, the device is called a steam-water injector (SI – when used to raise water pressure) or a steam-water ejector (when primarily used to suck water from a reservoir). The steam-water injector consists of four main parts: steam nozzle (SN), water nozzle (WN), mixing chamber (MC) and diffuser (DF). Such an injector with a central steam nozzle arrangement is shown in Fig. 1. Superheated steam is expanded and accelerated to a supersonic velocity in the converging-diverging nozzle (Laval type). This creates a low static pressure at the MC inlet, which causes water to be drawn in through the annular slot (gap) surrounding the steam nozzle exit. In the mixing chamber, the steam transfers its momentum and energy to the water. The resulting two-phase flow is compressed in the shock wave forming in the diffuser downstream of the throat. Inside the shock wave region the vapour phase completely condenses. Thus only liquid water leaves the steam-water injector.

The flow of steam and water in the mixing chamber is very complex. Due to mass, momentum and energy transfer between the phases, different flow patterns or flow regimes appear in the MC [4].

Many papers have been published in an effort to improve the understanding of injector/ejector processes and their performance. However, our knowledge of the physical mechanisms occurring in this device is still limited. Two different general methodologies have been used to tackle this problem. The first one proposes models, e.g. [5,6,7], describing the global thermal and flow characteristics of the injector and uses the experimental results to close the model equations [5]. A more detailed description of the injector flow has been obtained from models based on conservation equations formulated in the cases of 1D [6] or 2D [7]. The second approach is based on exergy analysis, which can be applied to particular parts of the injectors in order to find the exergy losses occurring there and this way evaluate the injector’s performance. Arbel et al. [8] proposed entropy production methodology for one-phase gas-gas ejectors to find performance losses during internal processes on the basis of Gouya-Stodola’s well-known theorem, where the entropy generation is proportional to exergy losses. Pridasawas and Lundqvist [9] used exergy analysis as a tool to analyse the performance of a gas-gas ejector refrigeration cycle driven by solar energy. They found that the most significant exergy losses in the system occurred in the solar collector and in the ejector. Yari and Sirousazar [10] analysed the performance of a new configuration ejector–vapour compression refrigeration cycle using the exergy method.

Trela and Kwidzinski [11] and Trela et al. [12] carried out both an experimental and theoretical investigations on two-phase steam-water injectors. They found that the most
significant exergy losses were in the two-phase region (TP) (including mixing chamber and shock wave) and in the steam nozzle. Two different methods were used for the TP region. In the first (direct) method, an entropy balance equation for a control volume comprising the two-phase region was applied [13]. In the second method, the exergy losses in the two-phase region were evaluated indirectly as the difference between the steam and water exergy sum at the steam injector inlet and the sum comprising exit water exergy plus the exergy losses in the steam nozzle, water nozzle and diffuser. The authors of [11,12] argued that the indirect method was more precise because it took into account non-equilibrium aspects, which was not possible in the direct method.

The aim of this paper is to present the methodology of exergy losses evaluation in component parts of the steam injector with special attention focused on the steam nozzle. The flow of steam in the Laval nozzle may be very complicated if the steam expansion line enters a wet steam region (i.e. below the saturation line). To determine the exergy losses in the nozzle in such cases a special procedure has been developed. This procedure is presented in the paper with example calculations based on the experimental results obtained for two versions of the steam injector.

2. Experimental set-up

Experimental investigations of the steam-water injector were conducted on two laboratory scale injectors (Fig.2) designed and built at the Szewalski Institute of Fluid-Flow Machinery (IFFM) in Gdańsk. In both these injectors the water flowed in the form of a thin annular film on the mixing chamber wall with the steam in the mixing chamber core. The measured and recorded parameters of the inlet steam and water included: temperature, pressure and flow rate. Measured also were the distributions of average pressure, temperature and void fraction along the mixing chamber and diffuser. Flow rates were measured with an accuracy of 1.25%, pressure – 0.1% and temperature – 0.2 K. The design of the injectors to some extent allowed for variations of inter-phase exchange conditions in the mixing chamber by adjusting the size of the annular water nozzle gap [4, 14].

Two different steam injectors were used. In the first one (the so-called long version) the mixing chamber length was 220 mm and the average mixing chamber pressure was \( p_{MC} = 7 \) kPa, while the mixing chamber of second, short version was 100 mm long and its average mixing chamber pressure was \( p_{MC} = 19 \) kPa. Figure 3 shows the short version steam-water injector with some details of pressure transducers and thermocouple arrangement.

During experimental investigations the inlet steam parameters and the inlet water temperature were kept constant. The exit pressure was adjusted to its maximum value with the condensation wave located at the MC throat. Any further attempt to increase the back-pressure and push the condensation wave deeper into MC throat destabilized the flow in the SI and caused the apparatus to stall.

3. Experimental results

The profiles of pressure \( p \) and temperature \( T \) obtained during the research are typical for the two-phase steam-water injector. Example results for both SI versions are shown in Fig. 4 (SI with long MC) and in Fig. 5 (SI with short MC). These show that the MC pressure profiles
are flat, while the temperature rises in near-linear way. A rapid pressure rise is observed only in the shock wave region, followed by a further, moderate increase of pressure along the diffuser. The measurements were taken with the inlet parameters having the following values: steam flow 128 ± 5 kg/h, absolute steam pressure 3.8 ± 0.1 bar, steam superheating 13–29 °C, water flow 1.5–6.0 m$^3$/h, inlet water temperature 13.8–18.6 °C, water nozzle gap 1.0 mm.

Two facts are worth noting. Firstly, the change of pressure in the SI diffuser does not propagate upstream of the shock wave region. This means that the two-phase flow in the mixing chamber is supercritical. Secondly, the exit pressure can exceed the inlet vapour pressure when there is a sufficiently high water-to-vapour mass flow ratio, i.e. entrainment ratio $U$ (see Fig. 5). The highest exit-water-to-inlet-steam-pressure ratio achieved for the “short” SI was 1.24 while for “long” SI this parameter reached only 0.86 in similar inlet flow conditions [15,16]. When the values of water flow rate $G$ are low, the exit pressure diminishes but the water temperature rises higher. However, in this case the shock wave shifts downstream and the two-phase flow extends further into diffuser.

### 4. Evaluation of exergy losses

From the thermodynamic point of view, the steam-water injector is an example of an open system (control volume). An exergy balance in the control volume can be expressed in a rate form as [13]

$$\dot{B}_{\text{heat}} - \dot{B}_{\text{work}} + \dot{B}_0 - \dot{B}_4 - I_{SI} = \Delta \dot{B}_{CV}, \quad (1)$$

taking into account the rates of exergy transfer by heat, work and mass. During normal injector operation the flow is steady ($\Delta \dot{B}_{CV} = 0$), the heat transfer to the surroundings is negligibly small ($\dot{B}_{\text{heat}} \approx 0$) and the work is nil ($\dot{B}_{\text{work}} = 0$) so Eq. (1) is reduced to

$$\dot{B}_0 - I_{SI} = \dot{B}_4, \quad (2)$$

where $I_{SI}$ stands for all irreversible losses in the steam injector and symbols $\dot{B}_0, \dot{B}_4$ denote the exergy transfer rate at the injector inlet and outlet, respectively.

Irreversible losses are generated in four different regions of the flow domain in the injector, namely in the steam nozzle (SN), water nozzle (WN), two-phase flow region (TP) and diffuser (DF). Thus, the total losses $I_{SI}$ may be written as a sum

$$I_{SI} = I_{SN} + I_{WN} + I_{TP} + I_{DF}. \quad (3)$$

If the performance of the two-phase (steam-water) injector is assessed, it is important to know exergy destruction in all of the above-mentioned regions. Except for the mixing chamber and shock wave regions, the exergy losses can be evaluated using the general thermodynamic approach presented in textbooks, e.g. [13,17]. The results obtained by Trela and Kwidzinski [11] show that exergy destruction in the single-phase flow regions of the injector can be evaluated according to the following formulas:

for steam nozzle
\[ I_{SN} = \dot{m}_V \Delta h_{tr,SN} = \dot{m}_V \left( h_{V0} + \frac{w_{V0}^2}{2} - h_{V1s} \right) (1 - c_i^2) \] (4)

where, using the nomenclature shown in Fig.6, \( \Delta h_{tr,SN} \) is given as

\[ \Delta h_{tr,SN} = (h_{V0} + \frac{w_{V0}^2}{2} - h_{V1s}) (1 - c_i^2) = (h_{V0r} - h_{V1s}) (1 - c_i^2) \] (4a)

for water nozzle

\[ I_{WN} = T_r \dot{S}_{g,WN} = T_r \zeta \frac{\dot{m}_{L0}^3}{2T_{LW} \rho_{L} A_{L1}^2} \] (5)

for diffuser

\[ I_{DF} = T_r \dot{S}_{g,DF} = T_r \zeta \frac{(\dot{m}_{V0} + \dot{m}_{L0})^3}{2T_{DF} \rho_{L} A_{L3}^2} \] (6)

It is far more more difficult to evaluate exergy loss for the two-phase flow (TP) region, comprising the mixing chamber (MC) and shock wave region (SW), where mass, momentum and energy transfer between vapour and liquid plays a dominant role. The difficulties arise from the very complex nature of the phenomena occurring in this flow region, where three irreversible processes – friction, flow pattern transitions and steam-water heat transfer, contribute to exergy destruction. Moreover, the flow in the mixing chamber is not in equilibrium since the temperatures of water and steam differ significantly. Therefore, due to a lack of sufficiently detailed information on the flow structure and the thermodynamic parameters of the steam and water, this flow region is treated globally and the exergy destruction \( I_{TP} \) is calculated by the above mentioned indirect method. Thus, taking the advantage of Eqs (2)–(6), the value of \( I_{TP} \) is calculated using the balance equation

\[ I_{TP} = \dot{B}_0 - \dot{B}_4 - I_{SN} - I_{WN} - I_{DF}. \] (7)

The inlet exergy \( \dot{B}_0 \) is a sum of contributions from the inlet steam and water,

\[ \dot{B}_0 = \dot{B}_{V0} + \dot{B}_{L0}, \] (8)

while the outlet exergy \( \dot{B}_4 \) is determined from flow properties at the steam injector exit (state 4). The respective exergies are calculated as [13,11]

\[ \dot{B}_{V0} = \dot{m}_{V0} \left( h_{V0} - T_r s_{V0} + \frac{w_{V0}^2}{2} \right) \] (9)

\[ \dot{B}_{L0} = \dot{m}_{L0} \left( h_{L0} - T_r s_{L0} + \frac{w_{L0}^2}{2} \right) \] (10)

\[ \dot{B}_4 = (\dot{m}_{V0} + \dot{m}_{L0}) \left( h_{L4} - T_r s_{L4} + \frac{w_{L4}^2}{2} \right) \] (11)

In the above equations the reference temperature \( T_r \) should correspond to a state for which entropy is set to zero (usually the triple state, in which case \( T_r = 273.16 \text{ K} \)).
Evaluation of the exergy losses $I_{SN}$ in the steam nozzle, $I_{WN}$ in the water nozzle and $I_{DF}$ in the diffuser requires knowledge of the velocity coefficient $c_v$ for the steam nozzle and flow resistance coefficients $\zeta$ for the water nozzle and diffuser. The evaluation of the two coefficients $\zeta$ is quite easy since they depend on the geometry of the nozzle and diffuser, respectively, as well as on the flow conditions expressed by Reynolds number [18]. The approximate values of $\zeta$ are in the range 0.1–0.2.

**Evaluation of coefficient $c_v$**

Determination of coefficient $c_v$ is not an easy task when superheated steam expands in a Laval nozzle to a pressure below the Wilson line (when spontaneous steam condensation causes additional exergy losses). It should be pointed out that under working conditions the mixing chamber pressure may be different from the nominal pressure at the steam nozzle exit, which causes a shock wave formation and also generates additional exergy losses. A schematic representation of the expansion line in the Laval nozzle is shown in the $h$-$s$ diagram, Fig. 6.

Here four major sources of exergy losses may be distinguished: friction, spontaneous condensation, the flow of the steam-droplet mixture and the shock wave at the nozzle exit (when the exit pressure does not match the inlet MC pressure). The first three phenomena may be taken into account using the well-known Baumann rule [19],

$$\eta_{SN} = \eta_{SN \; dry} \cdot x_a$$  \hspace{1cm} (12)

in which the steam nozzle efficiency $\eta_{SN}$ is equal to the product of nozzle efficiency in dry stream conditions $\eta_{SN \; dry}$ and the average steam quality $x_a$ during steam expansion. It follows from Eq. (12) that for constant inlet steam conditions, the average steam quality is proportional to the exit steam quality $x_1$ only, thus efficiency $\eta_{SN}$ can be presented as

$$\eta_{SN} = (c_v)^2_{dry} \cdot x_1$$  \hspace{1cm} (13)

A special numerical procedure was developed to calculate the overall velocity coefficient $c_v$ in this complex case using experimental data to determine the conditions at the steam nozzle inlet and exit. With the measured values of the inlet steam pressure $p_{v0}$ and temperature $T_{v0}$, as well as of the exit pressure $p_{v1}$ in the mixing chamber (at a location less than 1 mm from the steam nozzle outlet), the iterative method was used to find such a value of $c_v$ where the calculated steam mass flow rate $\dot{m}_{v1}$ was equal to the measured value $\dot{m}_{v0}$.

In each iteration the ideal-flow exit enthalpy $h_{v1s}(p_{v1},s_{v0})$ was calculated first (Fig. 6), assuming isentropic expansion in the steam nozzle, i.e. at the condition $s_{v1s} = s_{v0}$. Next, using an approximate value of the velocity coefficient $c_v$, enthalpy loss $\Delta h_{tir \; SN}$ was evaluated from Eq. (4a). Adding $\Delta h_{tir \; SN}$ and $h_{v1s}$, a value of exit enthalpy $h_{v1}$ in irreversible flow was found,

$$h_{v1} = \Delta h_{tir \; SN} + h_{v1s}.$$  \hspace{1cm} (14)

This enthalpy was used to determine vapour density at the steam nozzle exit, $\rho_{v1}(p_{v1},h_{v1})$. Furthermore, steam nozzle exit velocity $w_{v1}$ was evaluated [11] from

$$w_{v1} = c_v \sqrt{2(h_{v0} - h_{v1s})}.$$  \hspace{1cm} (15)
Finally, the steam mass flow rate at the nozzle exit (of cross-section area $A_{1 SN}$) was calculated as

$$\dot{m}_{v1} = A_{1 SN} \rho_{v1} w_{v1}$$  \hspace{1cm} (16)

and compared with the measured value $\dot{m}_{v0}$.

The Newton numerical method was applied to eliminate the initial discrepancy between the values of $\dot{m}_{v0}$ and $\dot{m}_{v1}$ and to determine the correct value of $c_v$. When the pressure tap was located downstream of the nozzle exit plane at a distance exceeding 1 mm, a parabolic extrapolation was used to get the correct value of the nozzle exit pressure $p_{v1}$.

Results of the $c_v$ calculations for the “short” and “long” version steam injectors are shown in Fig. 7. The values obtained generally are lower than usually assumed for Laval-type nozzles (0.94–0.99 [13]), suggesting that additional irreversible losses are encountered due to spontaneous condensation and shock wave formation in the supersonic steam flow near the nozzle exit. Indeed, calculated steam quality at the nozzle exit indicated the presence of wet steam. Moreover, the measured pressure $p_{v1}$ was higher than the design (nominal) exit value for the steam nozzles of both steam injectors.

The results of the calculation of the exergy losses in injector parts are shown in Fig. 8. The calculations were based on data gathered in the experiments described above, with a constant steam flow rate at the injector inlet and with selected inlet-water flow rates to obtain entrainment ratio $U$ in the range 12–47. The measured flow rates, temperature and pressure were used to calculate exergy at the injector’s inlet and outlet as well as the exergy losses in its component parts according to Eqs. (4)–(7). Total steam injector exergy losses calculated according to Eq. 3 are shown in Fig. 9.

Finally, the exergy efficiency $\eta_b$ of the steam-water injector was calculated as

$$\eta_b = \frac{\dot{B}_s}{\dot{B}_0}$$  \hspace{1cm} (17)

The results shown in Fig. 10 indicate that the efficiency is the highest for low values of entrainment ratio $U$, reaching 36% when $U = 16$ in “long” SI and falling to 28% when $U = 47$. For the “short” SI, the efficiency varied from 44% to 36% when the $U$ ratio range was 12–38.

5. Concluding remarks

The above analysis was based on the methodology of entropy production applied to the two-phase steam-water injector. Since the entropy production is equivalent to exergy destruction, a procedure based on the experimental data was developed to evaluate exergy losses in the injector parts. This procedure showed that the highest irreversibility sources are in the two-phase region (mixing chamber and condensation shock) and in steam nozzle.

Special attention was paid to the steam nozzle flow, for which a method was devised to calculate the overall velocity coefficient, including all irreversibility sources during the expansion of motive steam in the Laval nozzle. Since initially superheated steam expands in the Laval nozzle below the saturation and Wilson lines, four irreversibility sources were identified: friction, spontaneous condensation, steam-water droplet mixture flow and the shock wave at the steam nozzle exit.
Using the experimental data, the overall velocity coefficient was calculated for the two test steam-water injectors working at the same initial steam parameters. It turned out that the coefficient values for the two injectors differ significantly. For the short steam nozzle, in which the expansion line terminates at higher pressure and therefore with a higher exit steam quality, the velocity coefficient is greater. This fact evidently shows the importance of steam quality on injector performance. By selecting proper steam parameters at the steam nozzle exit this source of irreversibility may be significantly reduced and injector performance, in respect of the exit pressure, increased.

Calculations of the velocity coefficient and injector exergy efficiency revealed their strong dependence on entrainment ratio \( U \), which results from irreversibility loss changes in the injector elements. Contrary to the common opinion that steam-water injectors have very poor efficiency, this analysis indicates that the exergy efficiency of the injector can be quite high, from 27% to 45%.

References


Figure 1
Figure 4a

$G = 6.0 \text{ m}^3/\text{h}$

$P [\text{kPa}]$

$z [\text{m}]$
Figure 5a

\[ G = 4.5 \text{ m}^3/\text{h} \]

- \( P \) [kPa]
- \( z \) [m]

- P4 = 4.5 bar
- P4 = 4.0 bar
- P4 = 3.0 bar
- P4 = 2.0 bar
- P4 = 1.0 bar
Figure 5b

![Graph showing the relationship between $z$ and $D_z$ for different flow rates $G$. The graph includes data points for $G = 1.5 \, m^3/h$, $G = 2.0 \, m^3/h$, $G = 3.0 \, m^3/h$, $G = 4.0 \, m^3/h$, and $G = 4.9 \, m^3/h$. The pressure $P_d = 200 \, kPa$.](image-url)
Figure 8c

The graph shows the variation of $I_{TP}$ and $I_{SN}$ with $U$ for short and long SI.

- $I_{TP}$: Solid squares for short SI, diamonds for long SI.
- $I_{SN}$: Solid diamonds for short SI, solid squares for long SI.

The graph indicates that $I_{TP}$ increases with $U$ and plateaus at a higher value for both short and long SI, while $I_{SN}$ remains relatively constant for short SI and increases slightly for long SI.
Figure 9

[Graph showing the relationship between $I_{\text{SI}}$ [kW] and $U$ [-].]

- Short SI
- Long SI
Figure 10b
Fig. 1. Sketch of two-phase steam-water injector: \( SN \) – steam nozzle, \( WN \) – water nozzle,
\( MC \) – mixing chamber, \( DF \) – diffuser, \( t \) – throat.

Fig. 2. Diagram of experimental stand [4]: 1 – steam injector, 2 – water container with
degasifier, 3 – steam generator, 4 – steam separator, 5 – steam superheater, 6 – pump,
7 – cooler, 8 – steam flow meter, 9 – water flow meter, 10 – steam control valve, 11 – water
flow control valve, 12 – back-pressure control valve.

Fig. 3. Geometry of the test steam-water injector (short version) with pressure
transducer (P) and thermocouple (T) locations.

Fig. 4. Measured profiles of pressure (a) and temperature (b) along the mixing chamber
and diffuser recorded in the “long” SI for selected values of inlet water flow rate \( G \) and exit
back-pressure \( p_d \). Broken line at \( z = 0.22 \) m indicates the location of mixing chamber throat.

Fig. 5. Measured profiles of pressure (a) and temperature (b) along the mixing chamber
and diffuser recorded in the “short” SI for selected values of inlet water flow rate \( G \) and exit
back-pressure \( p_d \). Broken line at \( z = 0.1 \) m indicates the location of mixing chamber throat.

Fig. 6. Schematic representation of steam expansion line in the steam nozzle: a –
spontaneous condensation on Wilson line, b – shock wave at nozzle exit.

Fig. 7. Overall velocity coefficient \( c_v \) versus entrainment ratio \( U \) calculated for steam
nozzles of two SI versions.

Fig. 8. Exergy losses in the injector parts calculated for the two versions of the injector.

Fig. 9. Total exergy losses calculated for two injector versions.

Fig. 10. a) Exergy rate at steam injector inlet \( \dot{B}_0 \) and exit \( \dot{B}_1 \), b) steam injector
efficiency \( \eta_b \) versus entrainment ratio \( U \).