#### PONDY PAPERS IN ECOLOGY No. 10

#### Analyzing Canopy Heterogeneity of the Tropical Forests By Texture Analysis of Very-High Resolution Images -A Case Study in the Western Ghats of India

**Appendixes** 

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# **Appendixes**

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## **APPENDIX 1: IKONOS satellite image metadata**

Full details on IKONOS image metadata are available at http://geofuse.geoeye.com

Image ID: 20020110053808200000116200612000012522202THC

Collection Date: 10-Jan-2002

Cloud Cover Percentage: 0

Imagery Source: IKONOS-2

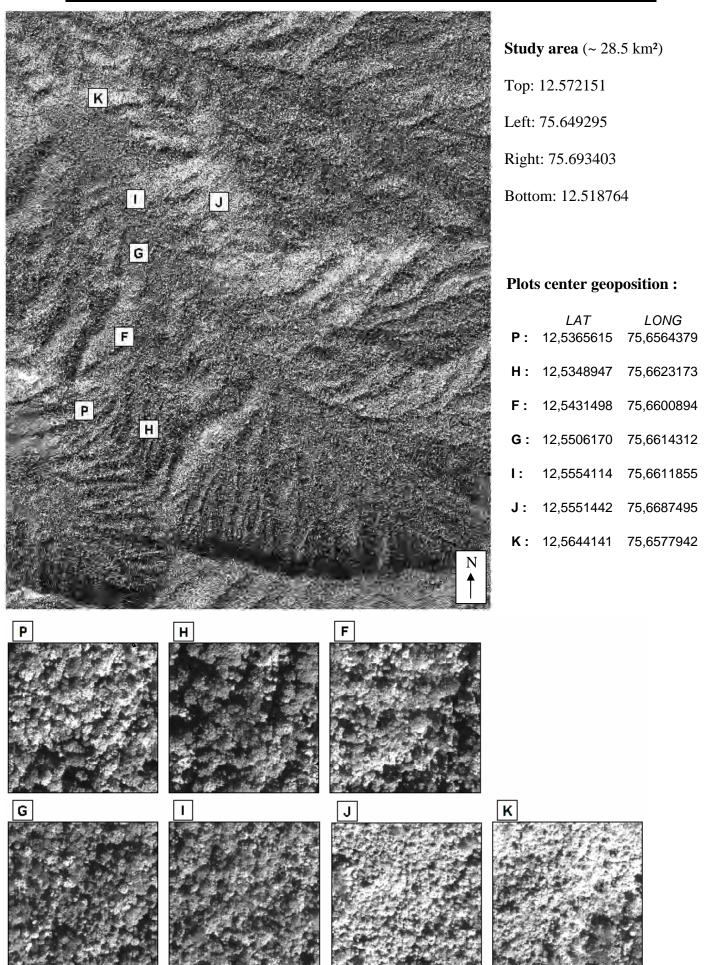
Sensor Azimuth Angle: 348.4703

Sensor Elevation Angle: 83.6821

Sun Azimuth Angle: 147.9756

Sun Elevation Angle: 49.6094

## APPENDIX 2: Study area and plots overview (IKONOS) and geopositions



#### **APPENDIX 3: Regression models quality assessment**

To characterize the quality of the regression models predicting forest structure parameters from windows ordination scores along PCA axes, we used the following indices:

• The adjusted coefficient of determination (adj. R²) provides an assessment of the goodness of the fit of the model by quantifying the proportion of explained variance. The closer R² is to 1, the better does the model. Unlike the simple coefficient of determination (R²), the adjusted coefficient of determination take into account the number of degree of freedom which is more reliable to compare models with different number of explanatory variables. The adj. R² value is computed as follow:

 $adj.R^2 = 1 - (1 - R^2).df_t/df_e$  with df<sub>t</sub>: total degrees of freedom, df<sub>e</sub>: residuals degrees of freedom and R<sup>2</sup> computed as follow:

$$R^2 = \sum_i (\hat{Y}_i - Y)^2 / \sum_i (Y_i - Y)^2$$
 with Y the arithmetic mean of Y.

• The Akaike Information Criterion (AIC) is a trade-off between goodness of fit of a model and the number of parameters it involves. The AIC value has no meaning by itself but is a tool for model selection: the model providing the best trade-off obtain the lowest AIC value. The AIC is computed as follow:

AIC = -2Ln(L) + 2p with L the likelihood of the model and p the number of parameters.

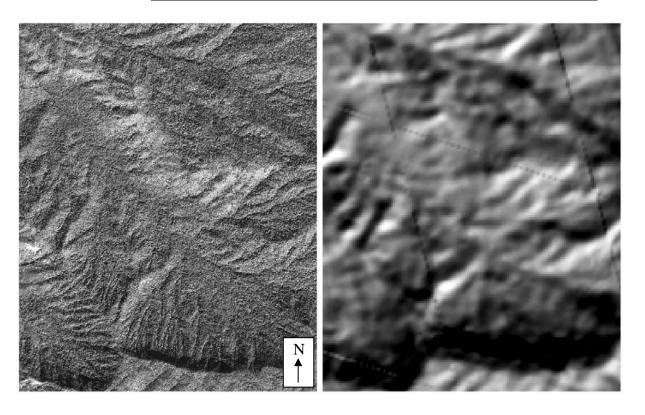
• The relative error (s) is the absolute error (i.e. magnitude of the difference between the exact value or ground data and the approximation or model prediction) divided by the magnitude of the exact value. The relative error is computed as follow:

s = (A/B)\*100 with A: sum of model residuals absolute values and B: sum of exact data absolute values. The relative error is given in percent (i.e. percent error).

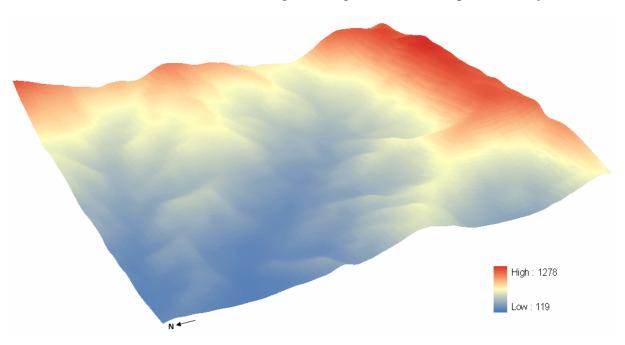
• The root mean square error (**rmse**) is a common measurement to quantify the difference between a predicted quantity and the actual quantity being predicted, so to characterize how well fit the model the data. It is expressed in the same units as the quantity being predicted, and is computed as follow:

 $rmse = \sqrt{1/n\sum (P_i - A_i)^2}$  with n the number of data,  $P_i$  the predicted quantity i and  $A_i$  the actual quantity i.

**APPENDIX 4: Hillshade and elevation of the study area** 



(left) IKONOS image and (right) Hillshade map of the study area



3D view of elevation variations on the study area

# Appendix 5 : FOTO predictive power on stand structure without partitionned standardization

